

CONNECT++

Attempting to prove problem from file: simple_test_2.p

Problem has matrix:

$$\textcolor{violet}{M} = \{p(X)\}$$

$$\{r(X, Y), \neg p(X), q(Y)\}$$

$$\{s(X), \neg q(b)\}$$

$$\{\neg s(X), \neg q(X)\}$$

$$\{\neg q(X), \neg r(a, X)\}$$

$$\{\neg r(a, X), q(X)\}$$

PROOF:

$$(\neg 7 \rightarrow a) \frac{}{\{\}, \textcolor{violet}{M}, [\neg s(-2), \neg q(b), \neg r(a, -4), \neg p(-5)], [q(-6)]} \text{Axiom} \quad (\neg 7 \rightarrow a) \frac{}{\{\}, \textcolor{violet}{M}, [\neg s(-2), \neg q(b), \neg r(a, -4)], [q(-6), \neg p(-5)]} \text{Axiom}$$

$$(\neg 6 \rightarrow b, \neg 5 \rightarrow a) \frac{(\neg p(-5)), \textcolor{violet}{M}, [\neg s(-2), \neg q(b), \neg r(a, -4)], [\neg p(-5)]}{\{\}, \textcolor{violet}{M}, [\neg s(-2), \neg q(b)], [\neg r(a, -4)]} \text{Ext}$$

$$(\neg 4 \rightarrow b) \frac{}{\{\neg r(a, -4)\}, \textcolor{violet}{M}, [\neg s(-2), \neg q(b)], []} \text{Red}$$

$$(\neg 2 \rightarrow \neg 3) \frac{}{\{\neg q(b)\}, \textcolor{violet}{M}, [\neg s(-2)], []} \text{Ext}$$

$$\epsilon, \textcolor{violet}{M}, \epsilon, \epsilon \frac{}{\{\neg s(-2), \neg q(-2)\}, \textcolor{violet}{M}, [], []} \text{Start}$$

$$(\neg 11 \rightarrow a) \frac{}{\{\}, \textcolor{violet}{M}, [\neg q(-2), \neg r(a, -8), \neg p(-9)], [\neg s(-2), q(-10)]} \text{Axiom} \quad (\neg 11 \rightarrow a) \frac{}{\{\}, \textcolor{violet}{M}, [\neg q(-2), \neg r(a, -8)], [\neg s(-2), q(-10), \neg p(-9)]} \text{Axiom}$$

$$(\neg 8 \rightarrow \neg 10, \neg 9 \rightarrow a) \frac{(\neg p(-9)), \textcolor{violet}{M}, [\neg q(-2), \neg r(a, -8)], [\neg s(-2)]}{\{\}, \textcolor{violet}{M}, [\neg q(-2), \neg r(a, -8)], [\neg s(-2)]} \text{Ext}$$

$$(\neg 3 \rightarrow \neg 8) \frac{}{\{\neg r(a, -8)\}, \textcolor{violet}{M}, [\neg q(-2)], [\neg s(-2)]} \text{Red}$$

$$\epsilon, \textcolor{violet}{M}, \epsilon, \epsilon \frac{}{\{\neg q(-2)\}, \textcolor{violet}{M}, [], [\neg s(-2)]} \text{Ext}$$