

Pocket Switched Networks: Real-world Mobility and its Consequences for Opportunistic Forwarding

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Outline

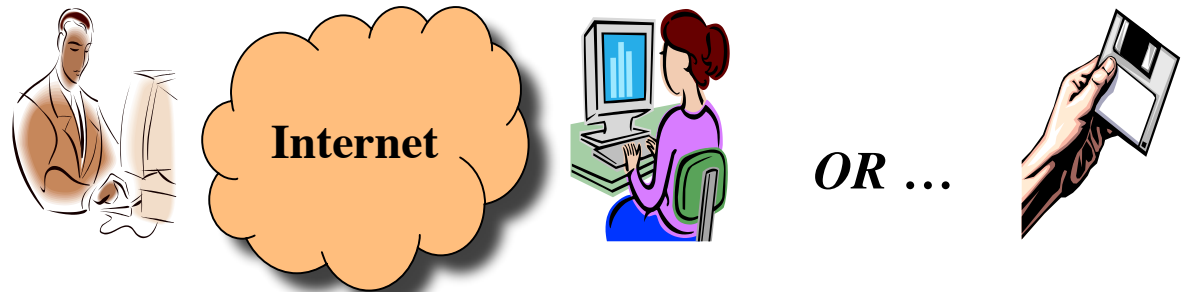
- Motivation and context
- Experiments
- Results
- Analysis of forwarding algorithms
- Consequences on mobile networking

The world is NOT connected!

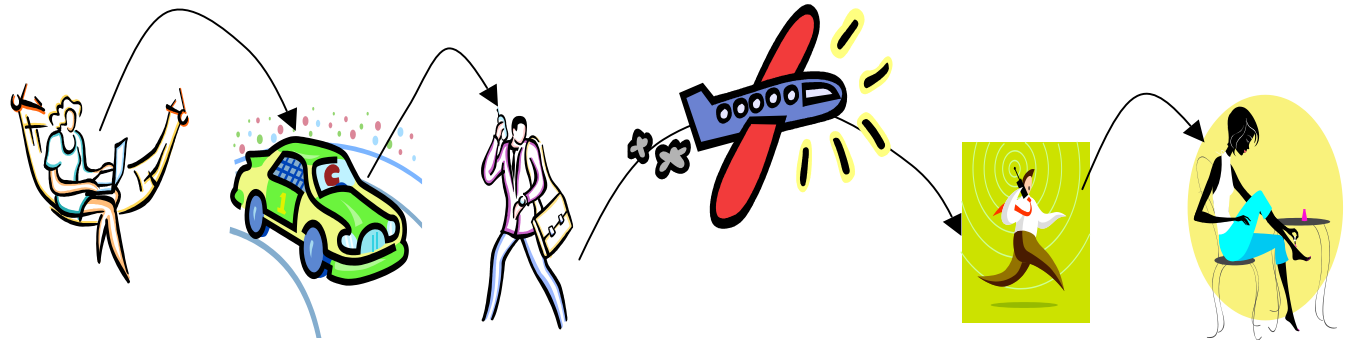
- Users move between heterogeneous connectivity islands
- End-to-end is not always possible
 - One or both ends may be disconnected
 - Internet “routing” is a bad idea
- Device should make network decisions
 - Shall I send by email, infrared or Bluetooth?

No alternative to the Internet

Today



Tomorrow



Pocket networking

- A packet can reach destination using network connectivity or user mobility
- Mobility increases capacity.

[Grossglauser and Tse 2001]

State of the art

- Most efforts try to hack Internet legacy applications so that they work in Delay Tolerant Environments
 - MANET
 - DTN (even if DTN is more general by definition)
- Real “ad-hoc” approaches:
 - Zebranet, Lapnet, Cyberpostman

Challenges

- Exploit massive aggregate bandwidth
 - Devices with local connectivity
 - Make use of MBs of local storage
 - Heterogeneous network types
- Distributed naming
- Nodes need to “locate” themselves and their neighbours
- Forwarding decision
- Security, trust and reputation

Applications

- Asynchronous, local messaging
- Automatic address book or calendar updates
- Ad-hoc google
- File sharing, bulletin board
- Commercial transactions
- Alerting, tracking or finding people

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Three independent experiments

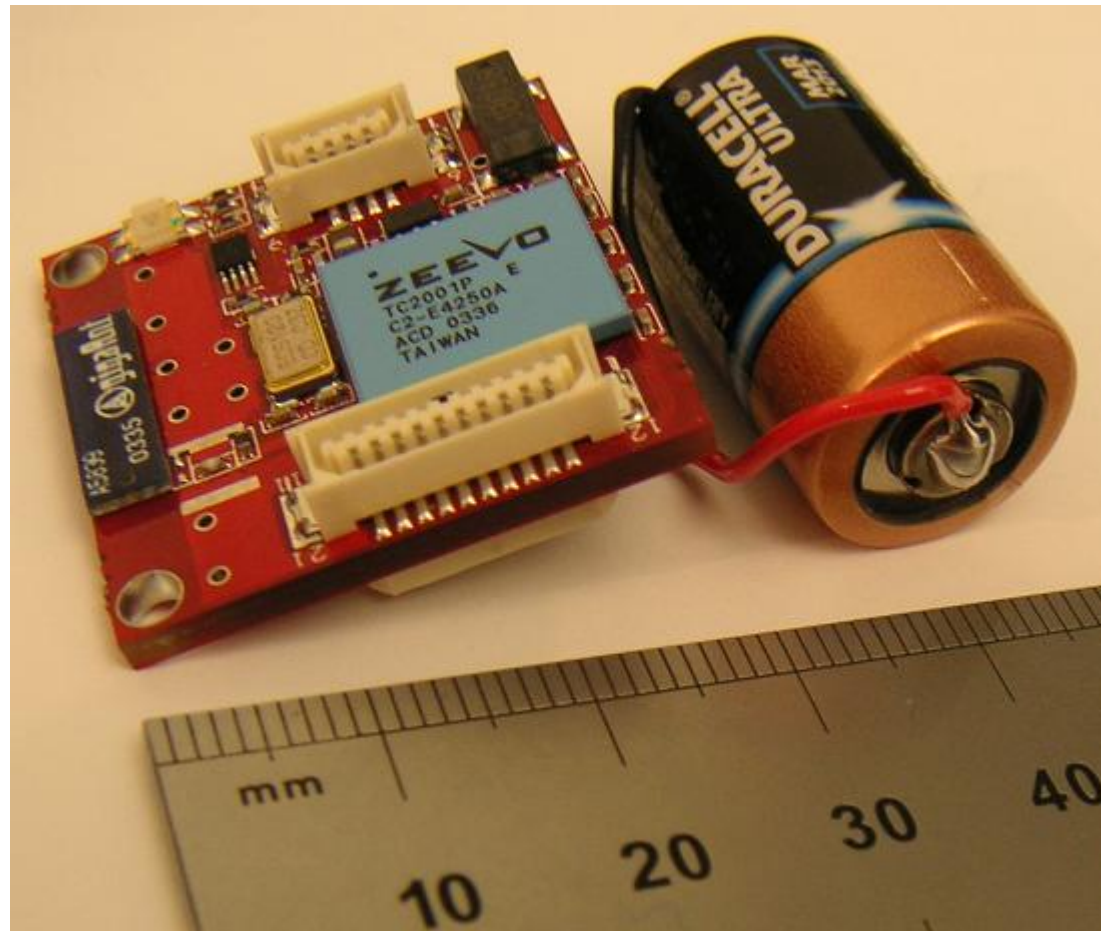
- In Cambridge
 - Capture mobile users interaction.
- Traces from Wifi network :
 - Dartmouth and UCSD

User Population	Intel	Cambridge	UCSD	Dartmouth
Device	iMote	iMote	PDA	Laptop/PDA
Network type	Bluetooth	Bluetooth	WiFi	WiFi
Duration (days)	3	5	77	114
Granularity (seconds)	120	120	20	300
Nodes participating	141	238	261	6648
Number of contacts	3,984	8,856	175,105	4,058,284

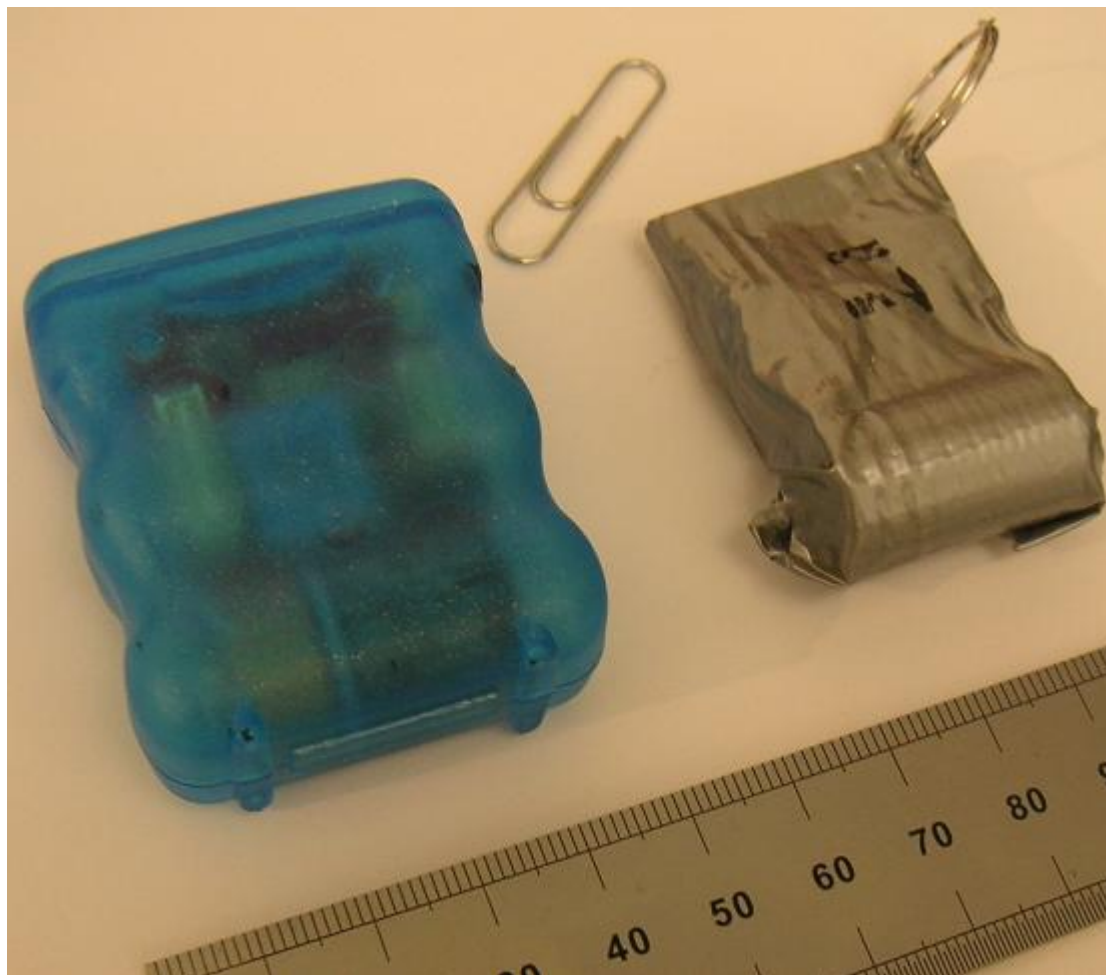
iMote data sets

- Easy to carry devices
- Scan other devices every 2mns
 - Unsync feature
- log data to flash memory for each contact
 - MAC address, start time, end time
- 2 experiments
 - 20 motes, 3 days, 3,984 contacts, IRC employee
 - 20 motes, 5 days, 8,856 contacts, CAM students

What an iMote looks like



Experimental device



UCSD and Dartmouth Traces

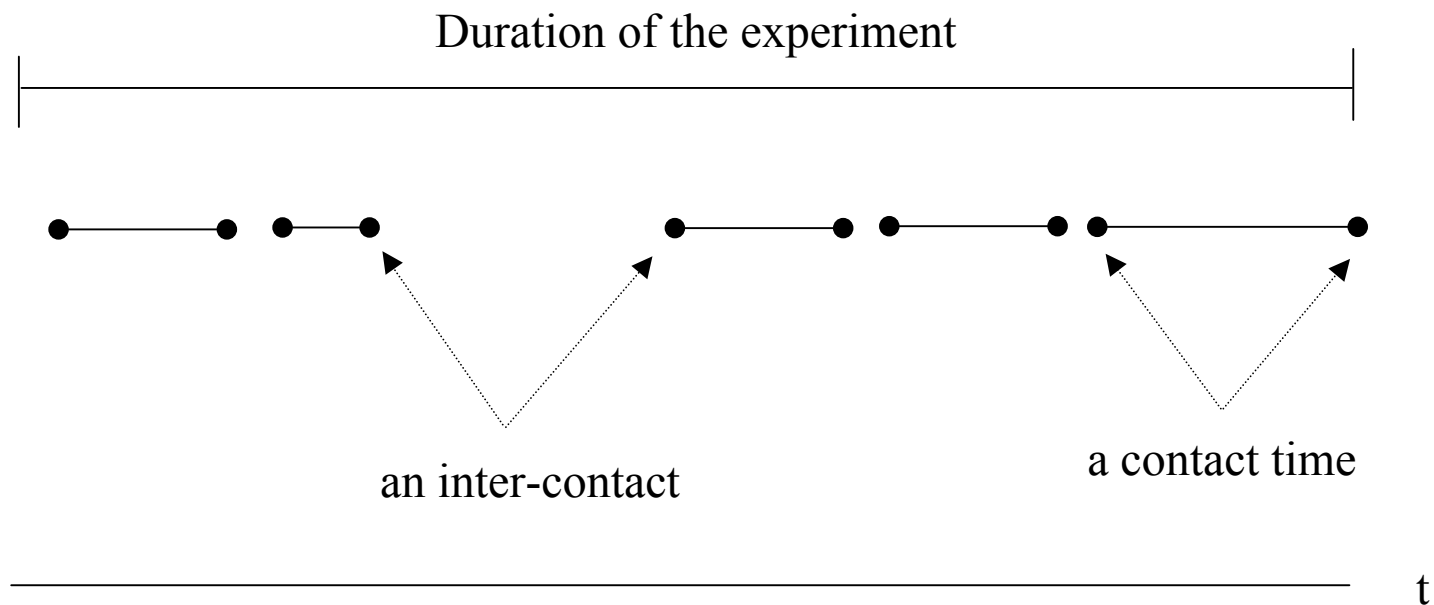
- WiFi access networks
 - Client-based logs of AP (UCSD),
 - SNMP logs from AP (Dartmouth).
- Assumption:
 - Two clients logged on the same AP are in communication range.
- 3 months (UCSD), 4 months (Dartmouth).

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- Analytical analysis
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What we measure

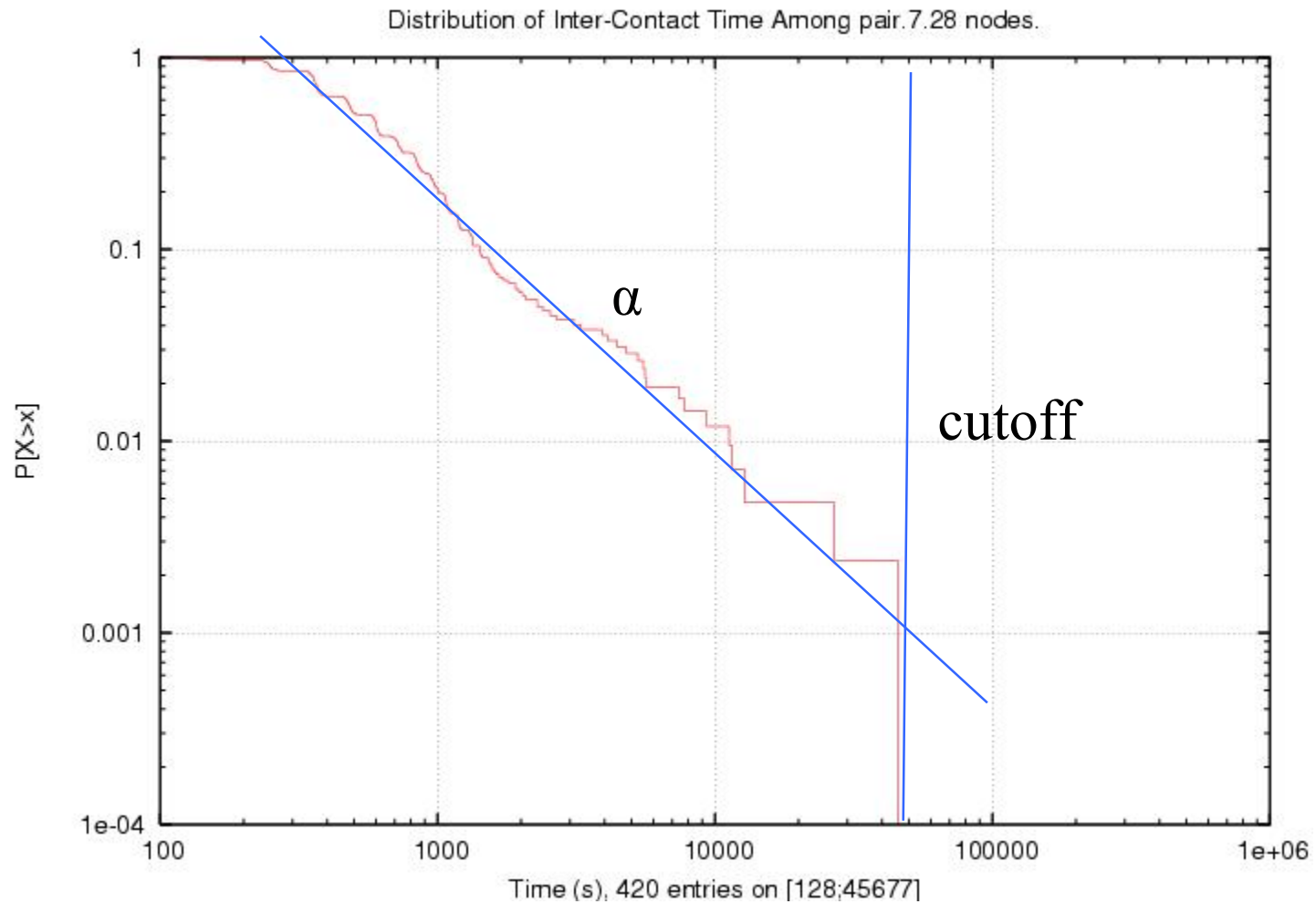
- For a given pairs of nodes:
 - contact times and inter-contact times.



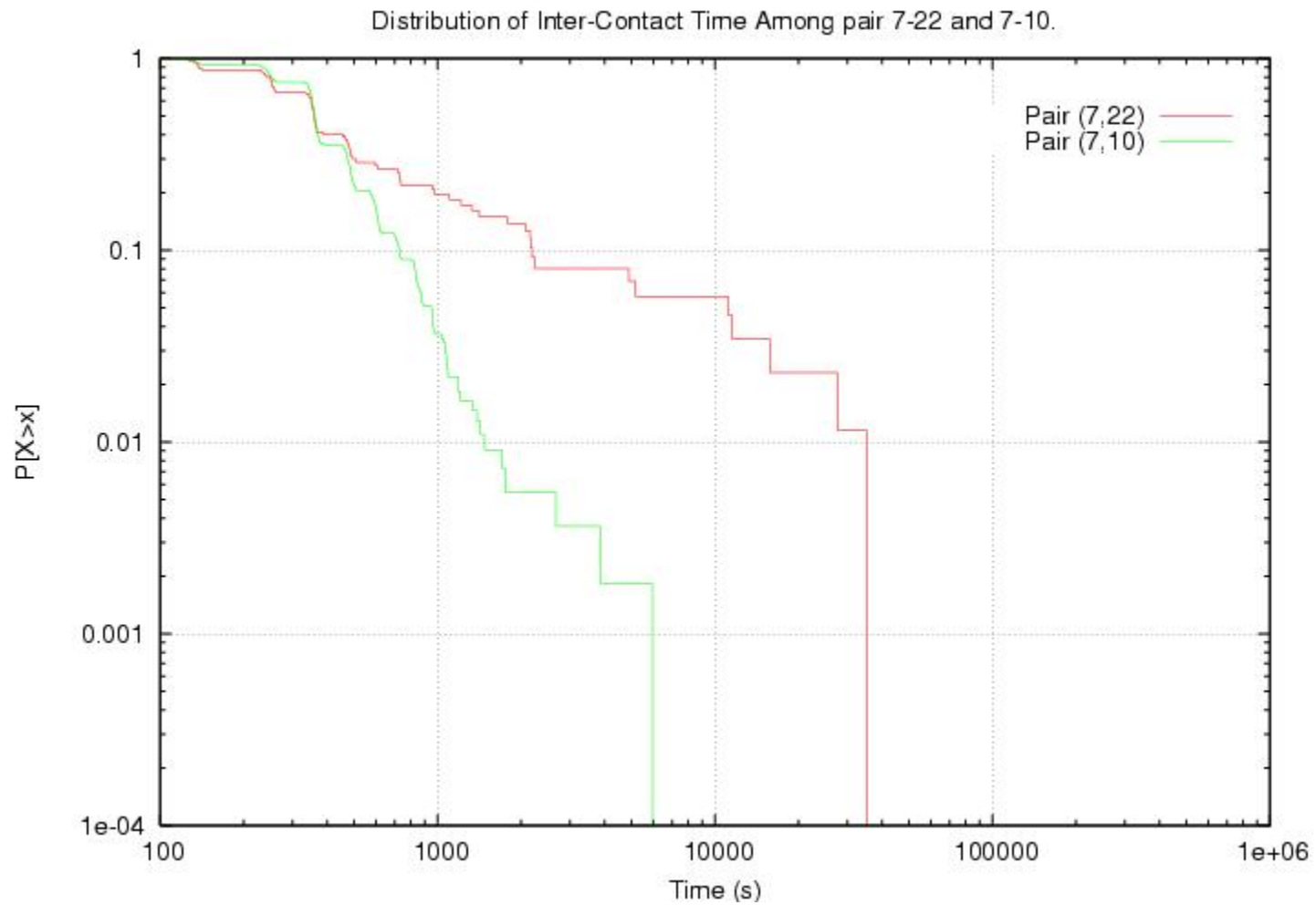
What we measure (cont'd)

- Distribution per event.
 \neq seen at a random instant in time.
- Plot log-log distributions.
- We aggregate the data of different pairs.
 (see the following slides).

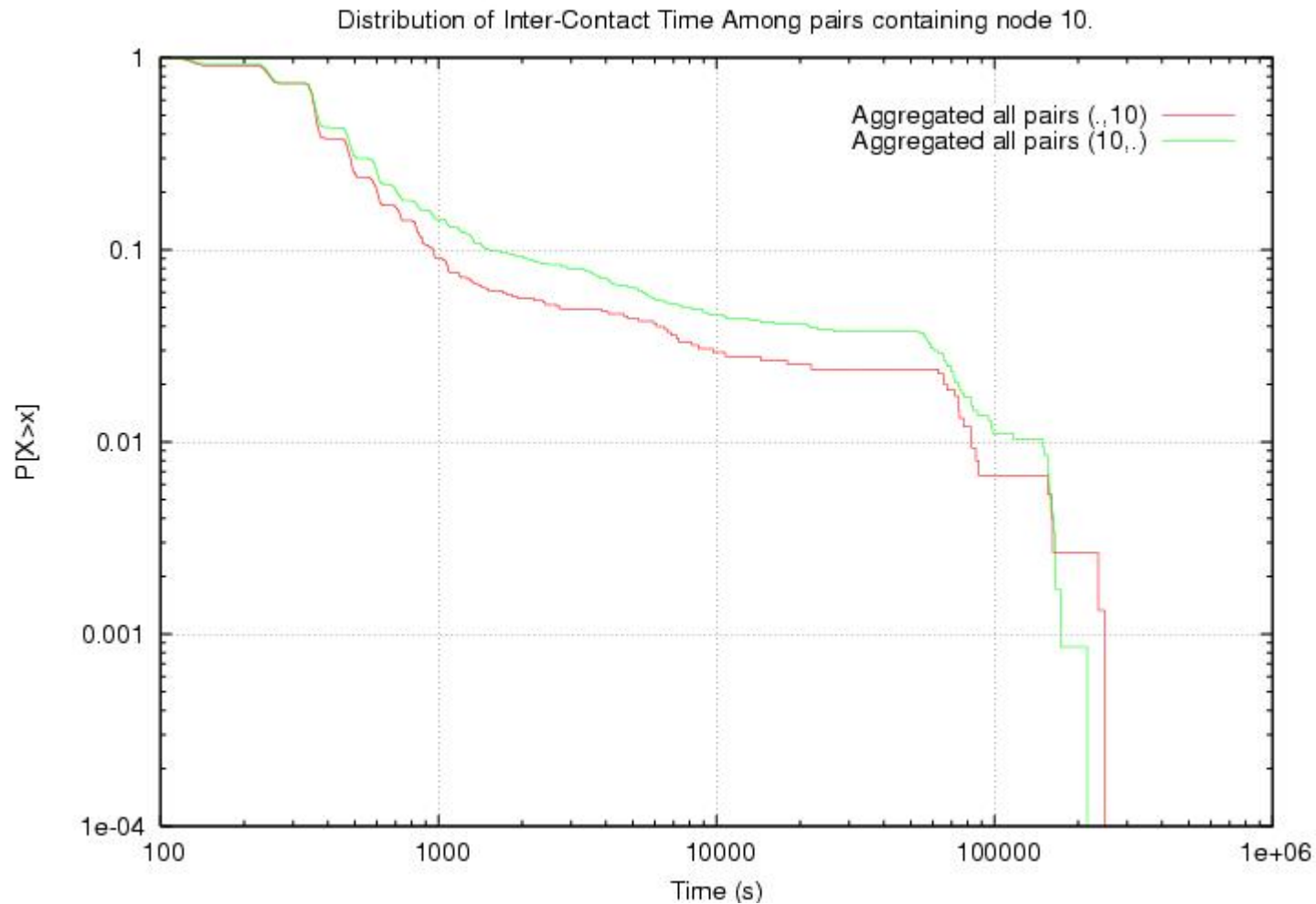
Example: a typical pair



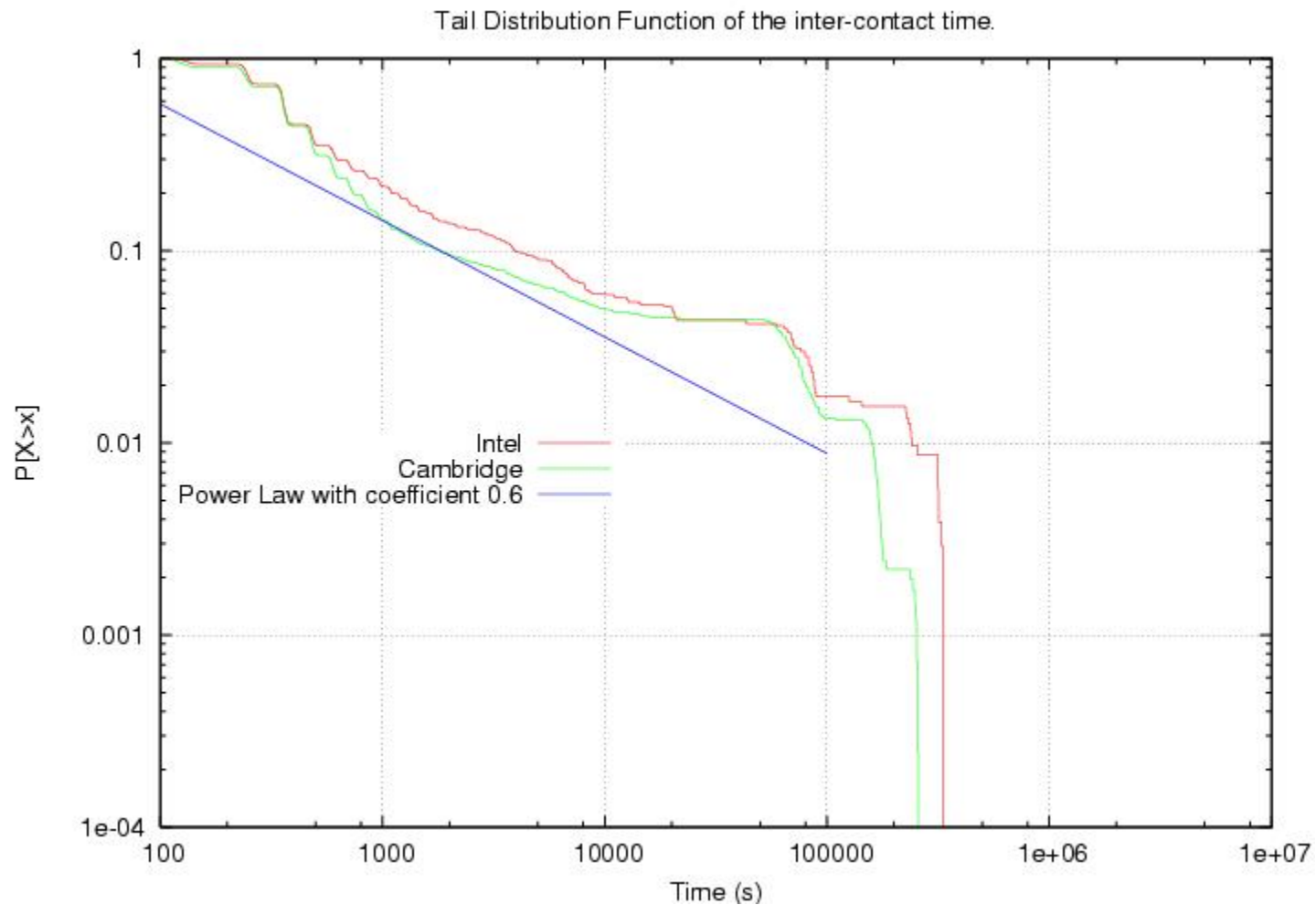
Examples : Other pairs



Aggregation (1): for one fixed node



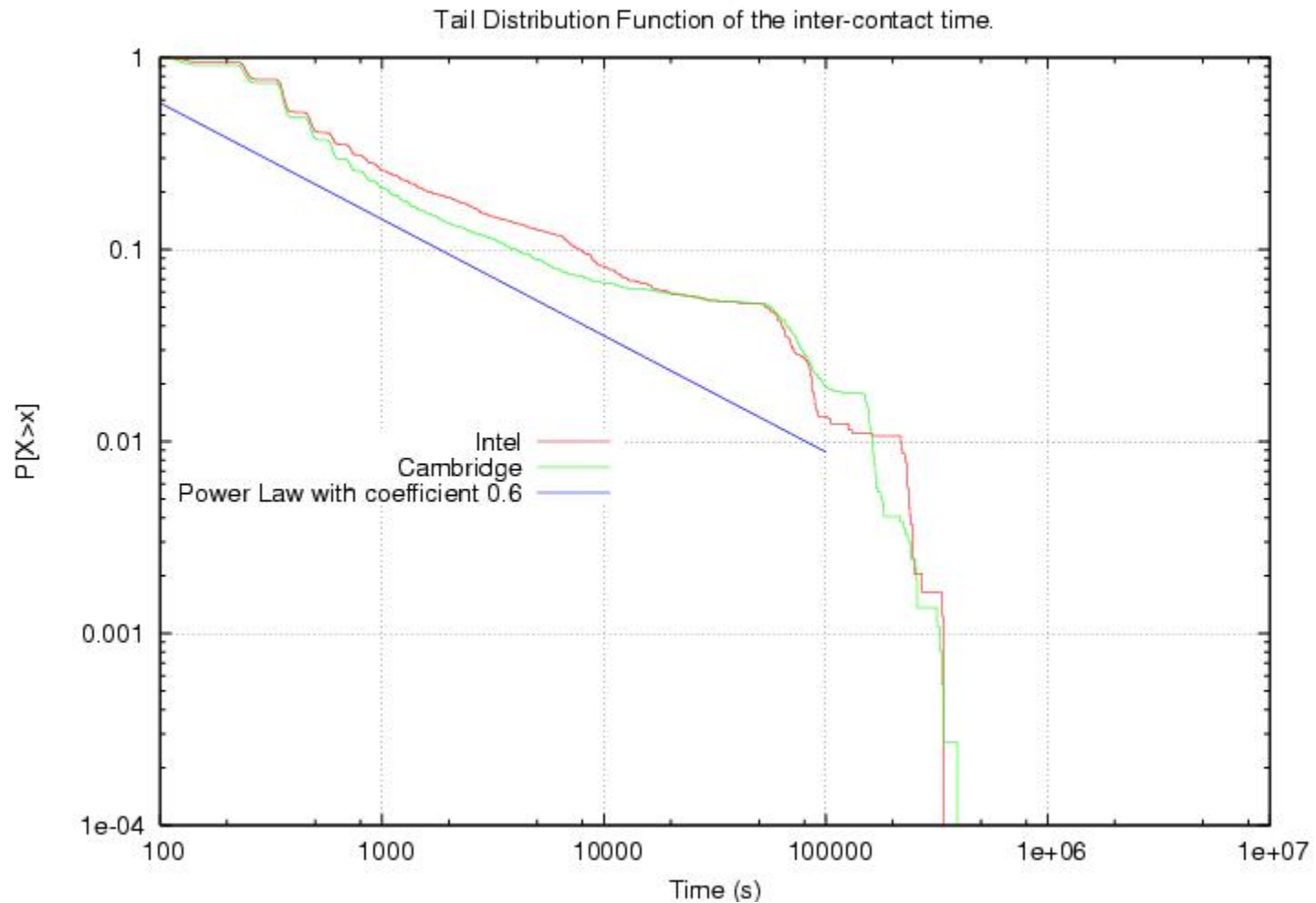
Aggregation (2) : among iMotes



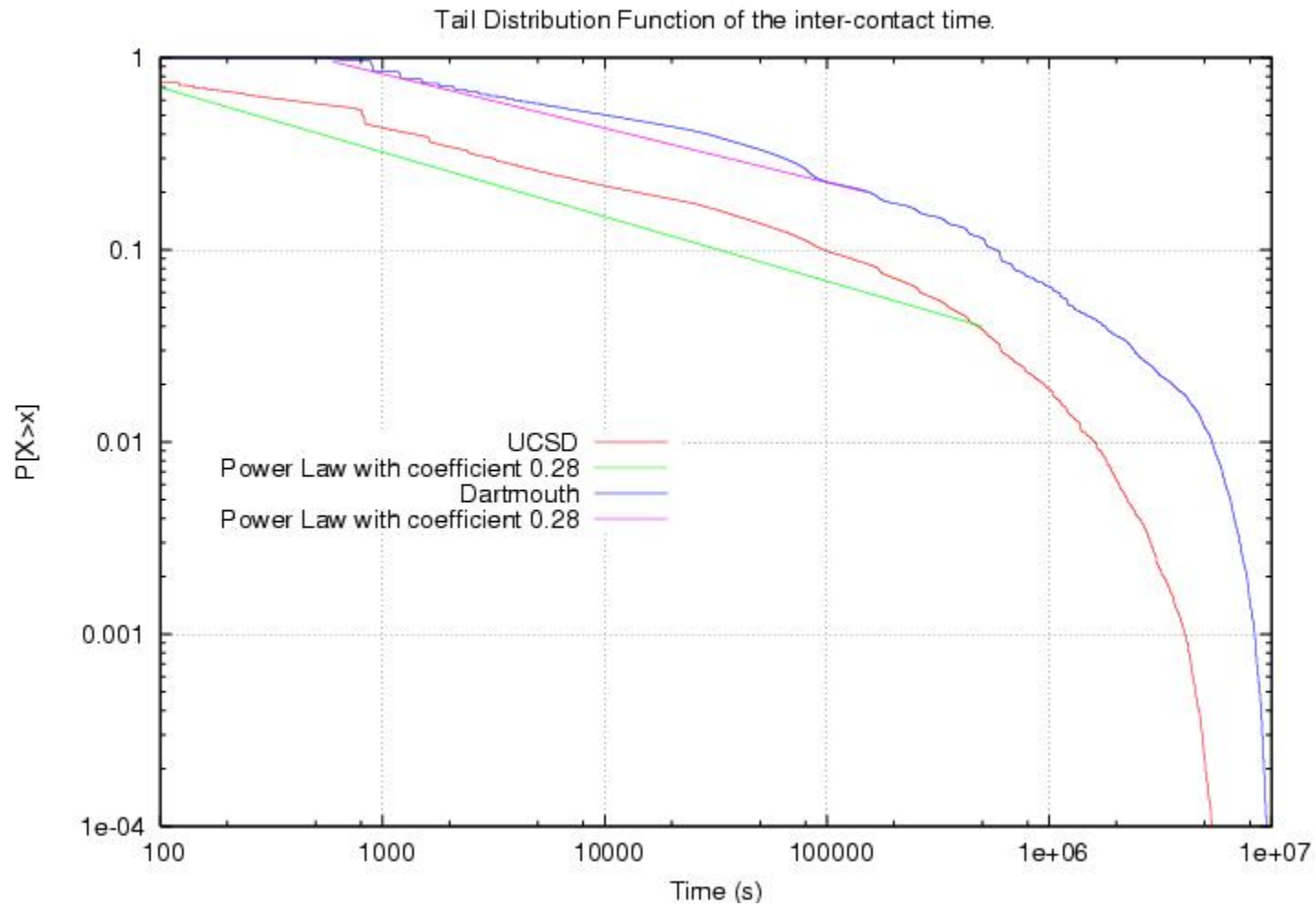
Summary

- Some heterogeneity among iMotes.
- Inter-contact distributions seem to follow a power law on [2mn; 1day].
- What about other nodes ? Campus WiFi experiments ? the time of the day ?

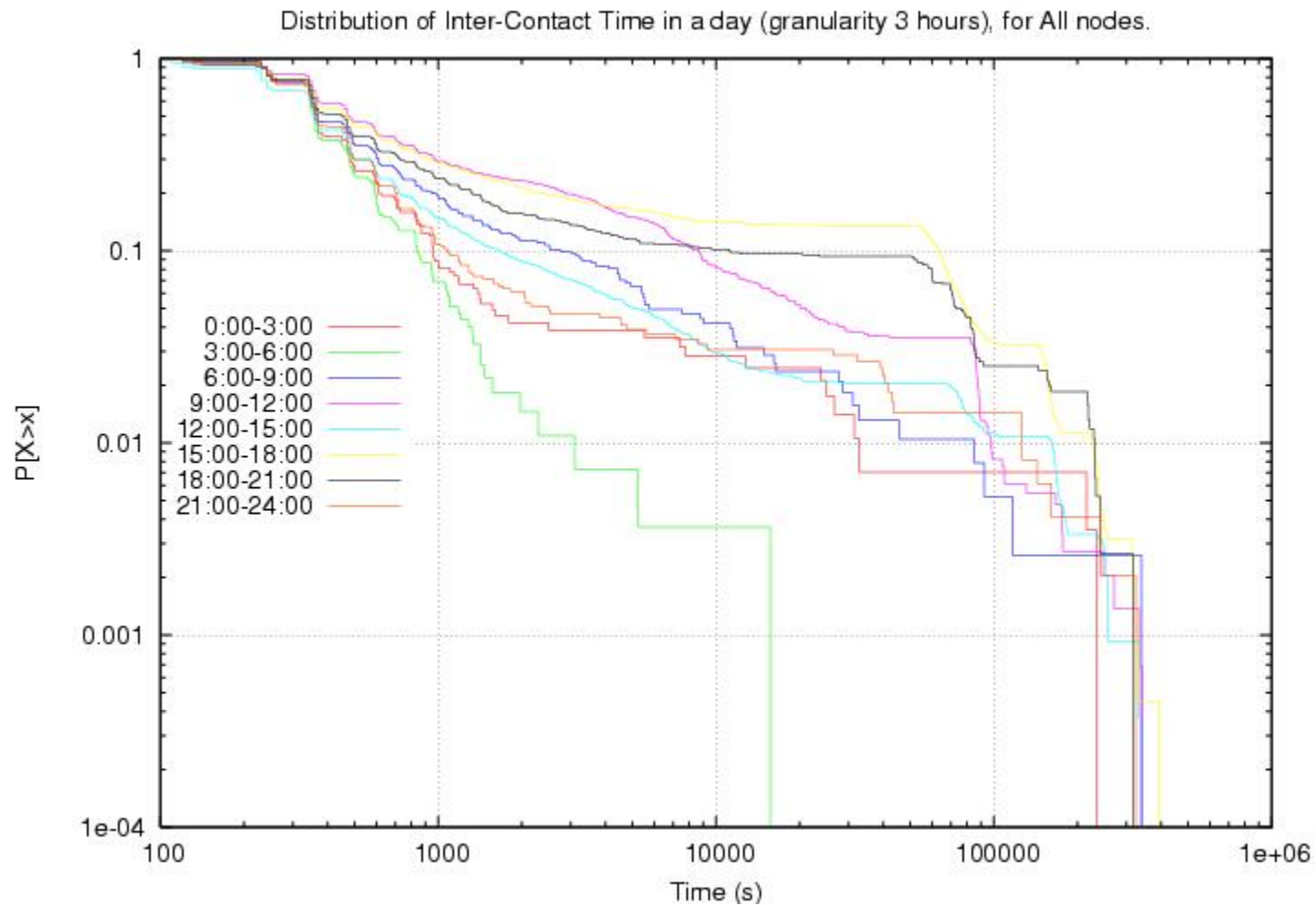
Inter-contact with External nodes



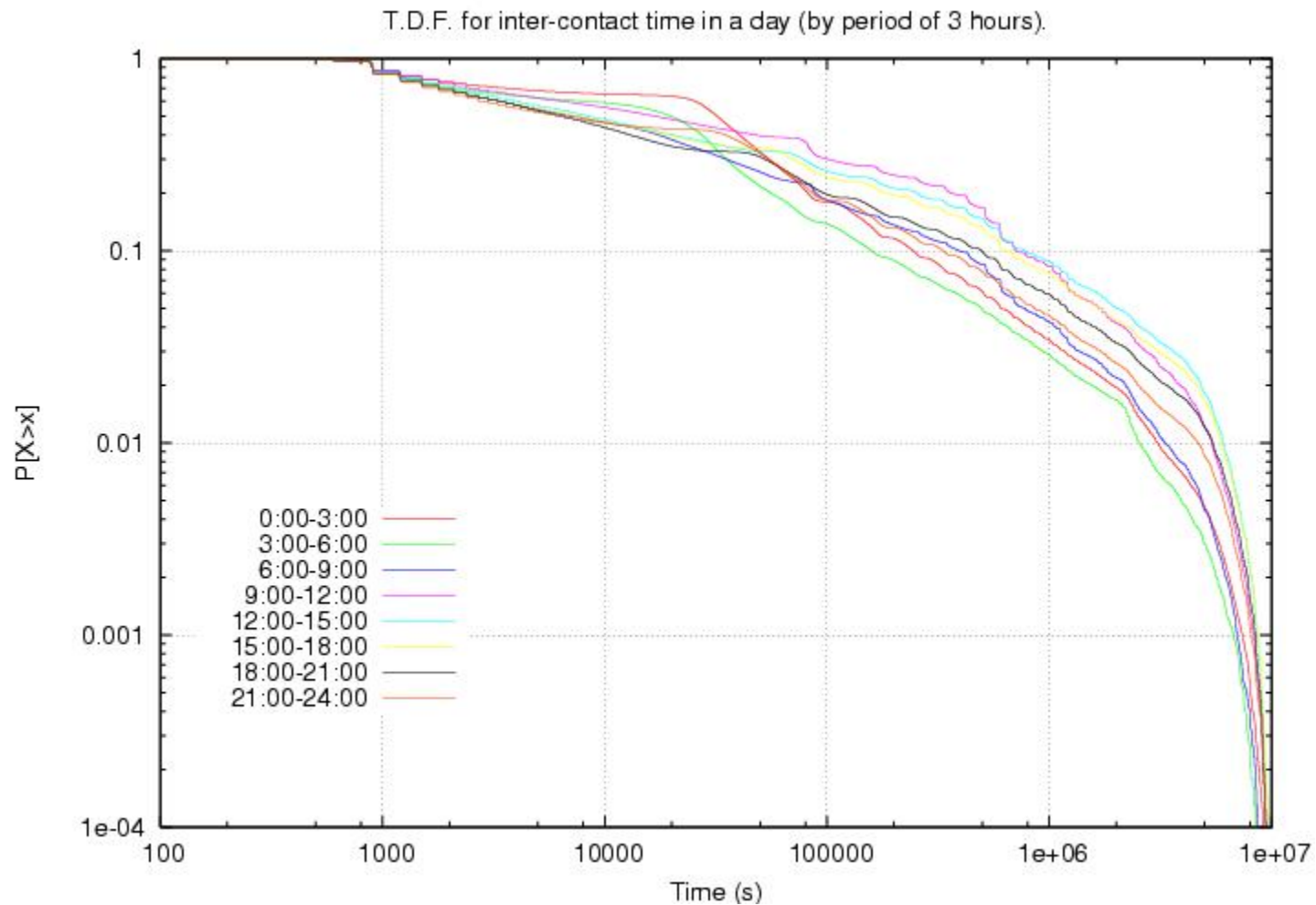
Inter-contact time for WiFi traces



Inter-contact time during the day



Inter-contact time during the day



Summary of observations

- Inter-contact time follows an approximate power-law shape in all experiments.
- $\alpha < 1$ most of the time (very heavily tailed).
- Variation of parameter with the time of day, or among pairs.

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Problem

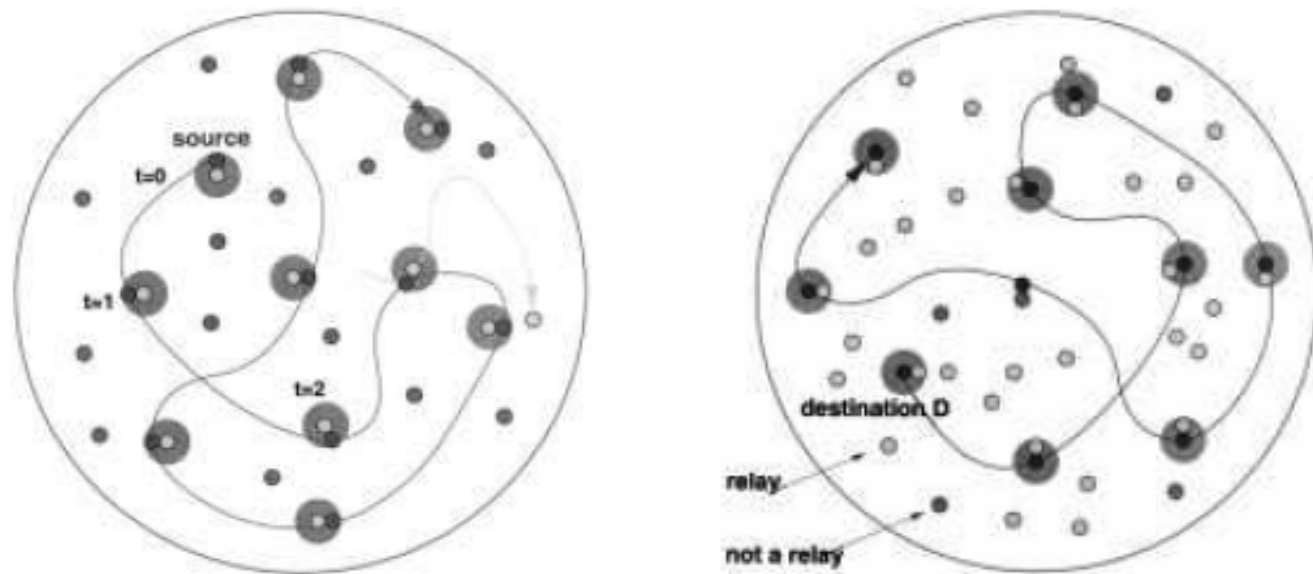
- Given that all data set exhibit approximate power law shape of the inter-contact time distribution:
 - Would a purely opportunistic point-to-point forwarding algorithm converge (i.e. guarantee bounded transmission delays) ?
 - Under what conditions ?

Forwarding algorithms

- Based on opportunities, and “Stateless” :
 - Decision does not depend on the nodes you meet.
- Between two extreme relaying strategies :
 - Wait-and-forward.
 - Flooding.
- Upper and Lower bounds on bandwidth:
 - Short contact time.
 - Full contact time (best case, treated here).

Two-hop relaying strategy

- Grossglauser & Tse (2001) :



- Maximizes capacity of dense ad-hoc networks.
- Authors assume nodes location i.i.d. uniform.

Our assumptions on Mobility

- Homogeneity
 - Inter-contact for every pairs follows power law.

$$P[X \geq t] = t^{-\alpha}$$

- No cut-off bound.
- Independence
 - In “time”: contacts are renewal instants.
 - In “space”: pairs are independent.

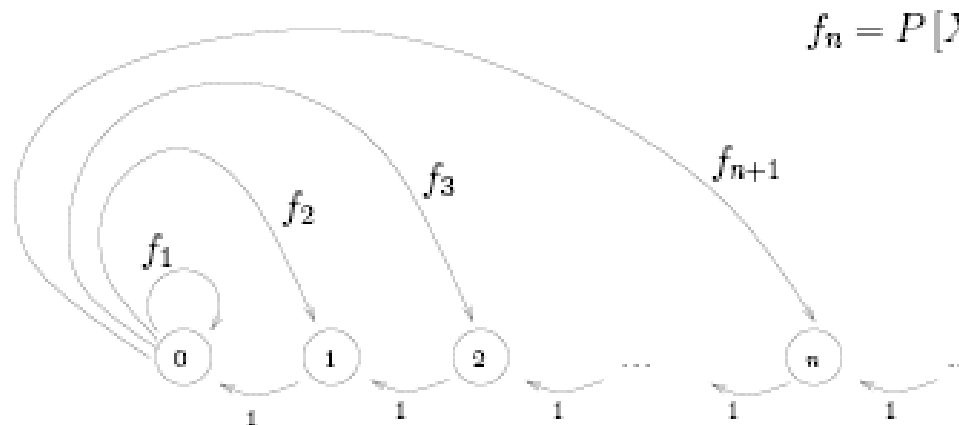
Two-hop: stability/instability

- $\alpha > 2$

The two hop relaying algorithm converges, and it achieves a finite expected delay.

- $\alpha < 2$

The expected delay grow to infinity with time.



Two-hop: extensions

- Power laws with cut-off:
 - Large expected delay.
- Short contact case:
 - By comparison, all the negative results hold.
 - Convergence for $\alpha > 3$ by Kingman's bound.
 - We believe the same result holds for $\alpha > 2$.

The Impact of redundancy

- The Two-hop strategy is **very** conservative.
 - What about duplicate packet ? Or epidemics forwarding ?

- This comes to the question:

D_1, D_2 independent, with same law ,
if $\mathbb{E}[D_1] = \mathbb{E}[D_2] = \infty$ what is $\mathbb{E}[\min(D_1, D_2)]$?

Forwarding with redundancy:

- For $\alpha > 2$
Any stateless algorithm achieves a finite expected delay.
- For $\alpha \geq \frac{m+1}{m}$ and $\# \{ \text{nodes} \} \geq 2m$:
There exist a forwarding algorithm with m copies and a finite expected delay.
- For $\alpha < 1$
No stateless algorithm (even flooding) achieve a bounded delay (Orey's theorem).

Forwarding w. redundancy (cont'd)

- Further extensions:
 - The short contact case is open for $1 < \alpha < 2$.
 - Can we weaken the assumption of independence between pairs ?

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Consequences on mobile networking

- Mobility models needs to be redesigned
 - *Exponential decay of inter contact is wrong.*
 - *Mechanisms tested with that model need to be analyzed with new mobility assumptions.*
- Stateless forwarding does not work
 - *Can we benefit from heterogeneity to forward by communities ?*
 - *Scheme for peer-to-peer information sharing.*

THANK YOU

Tech Report available at:

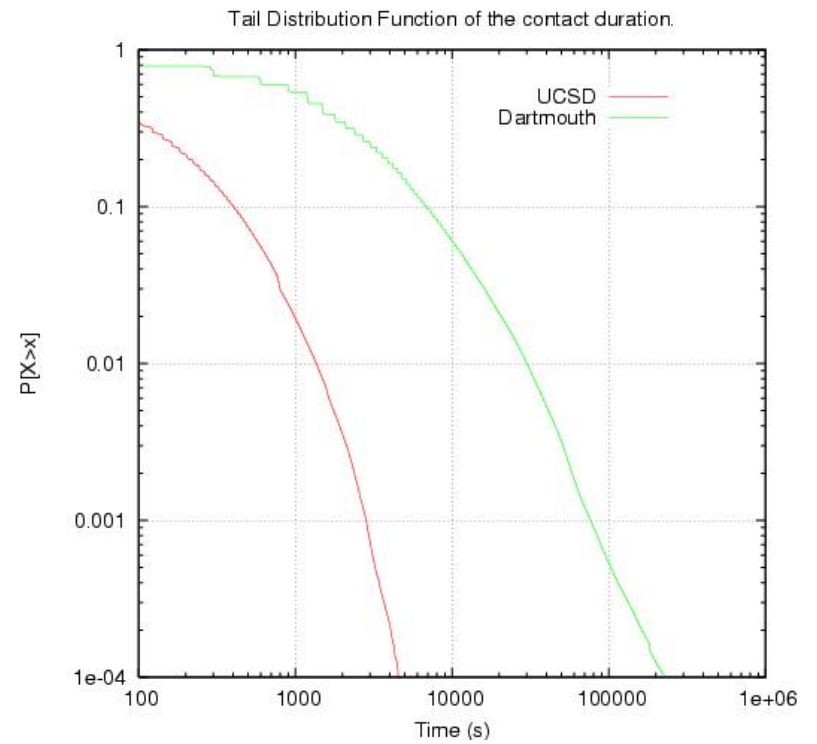
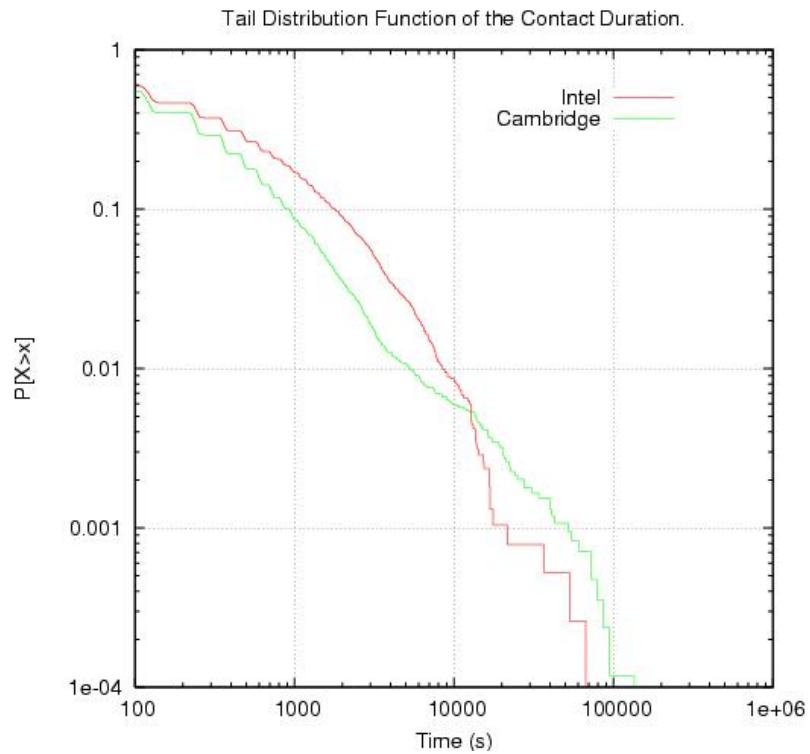
<http://www.cl.cam.ac.uk/TechReports/UCAM-CL-TR-617.html>

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Next steps

- Collect more data
 - More motes
 - Other crowds of users
 - Collect contact time data
- Design algorithms that work
- New mobility models

Contact time distribution



Inter-contact for all pairs

