7: Catchup Session & very short intro to Other Classifiers Non-examinable

Machine Learning and Real-world Data (MLRD)

Simone Teufel (based on slides by Paula Buttery and Weiwei Sun)

▲ロト ▲ 理 ト ▲ 王 ト ▲ 王 - り へ (~)

What happens in a catchup session?

- Lecture and practical session as normal
- New material in lecture is non-examinable
- Main purpose: catch up on all ticks in segment

- You can also attempt some starred ticks.
- Demonstrators help as per usual.

Naive Bayes is a probabilistic classifier

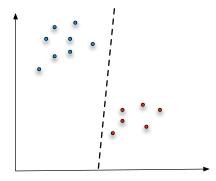
- Given a set of input features a probabilistic classifier provide a distribution over classes.
- That is, for a set of observed features *O* and classes $c_1...c_n \in C$ gives $P(c_i|O)$ for all $c_i \in C$
- For us O was the set all the words in a review $\{w_1, w_2, ..., w_n\}$ where w_i is the *i*th word in a review, $C = \{\text{POS}, \text{NEG}\}$
- We decided on a single class by choosing the one with the highest probability given the features:

$$\hat{c} = \operatorname*{argmax}_{c \in C} P(c|O)$$

An SVM is a popular discriminative classifier

- A Support Vector Machine (SVM) is a non-probabilistic binary linear classifier
- SVMs assign new examples to one category or the other
- SVMs can reduce the amount of labeled data required to gain good accuracy
- SVMs can be efficiently adapted to perform a non-linear classification

SVMs find hyper-planes that separate classes



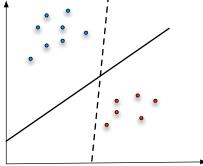
Our classes exist in a multidimensional feature space

・ロト ・ 戸 ト ・ ヨ ト ・ ヨ ト

Э

Sac

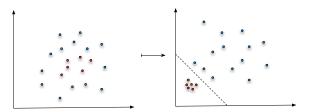
 A linear classifier will separate the points with a hyper-plane SVMs find a maximum-margin hyper-plane in noisy data



- There are many possible hyper-planes
- SVMs find the best hyper-plane such that the distance from it to the nearest data point from each class is maximised
- i.e. the hyper-plane that passes through the widest possible gap (hopefully helps to avoid over-fitting)

SVMs can be very efficient and effective

- Efficient when learning from a large number of features (good for text)
- Effective even with relatively small amounts of labelled data (we only need points close to the plane to calculate it)
- We can choose how many points to involve (size of margin) when calculating the plane (tuning vs. over-fitting)
- Can separate non-linear boundaries by changing the feature space (using a kernal function)



Choice of classifier will depend on the task

Comparison of a SVM and Naive Bayes on the same task:

- 2000 imdb movie reviews, 1600/400 test/training split
- preprocess with improved tokeniser (lowercased, removed uninformative words, dealt with punctuation, lemmatised words)

	SVM	Naive Bayes
Accuracy on train		0.96
Accuracy on test	0.84	0.80

- But from Naive Bayes I know that *character*, *good*, *story*, *great*, ... are informative features
- SVMs are more difficult to interpret

Decision tree can be used to visually represent classifications



- Simple to interpret
- Can mix numerical and categorical data
- You specify the parameters of the tree (maximum depth, number of items at leaf nodes—both change accuracy)
- But finding the optimal decision tree can be NP-complete

Information gain can be used to decide how to split

Information gain is defined in terms of entropy H Entropy of tree node:

$$H(n) = -\sum_{p} p_i \log_2 p_i$$

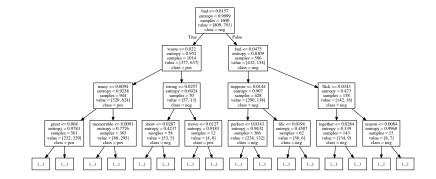
where p_i are the probabilities of each class at node n

Information gain I is the reduction in entropy of n achieved by learning the state of the random variable D. Information gain:

$$I(n,D) = H(n) - H(n|D)$$

where H(n|D) is the weighted entropy of the daughter nodes if we split on D.

Information gain can be used to decide how to split



Results on the movie review dataset:

	SVM	Naive Bayes	DTree (max depth 7)
Accuracy on train		0.96	0.80
Accuracy on test	0.84	0.80	0.69

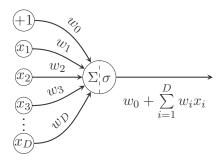
Think about multi-class classification:

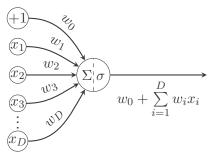
- *D* number of features (input)
- K number of classes (output)
- x the input feature vector

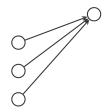
Think about a particular class, say y_k . We describe the "friendship" between x and y_k in the following way:

score_function
$$(x, y_k) = w_0 + \sum_{i=1}^{D} w_i x_i$$

where w measures how much each feature w_i contributes to y_k .

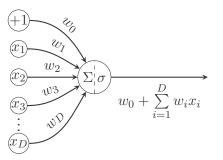


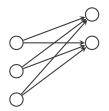




<□ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ >

For each class y_k , we do the same thing.

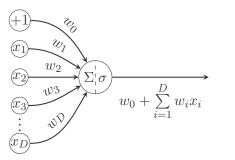


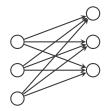


◆ロト ◆聞 ト ◆注 ト ◆注 ト ─ 注 ─

990

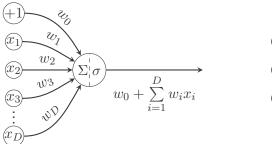
For each class y_k , we do the same thing. Again

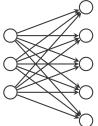




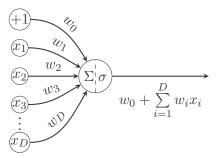
▲□▶ ▲□▶ ▲三▶ ▲三▶ 三三 のへで

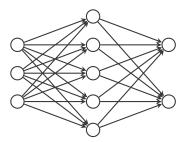
For each class y_k , we do the same thing. Again **and again**





For each class y_k , we do the same thing. Again and again **and** again. This is called perceptron, which was invented by Frank Rosenblatt in 1958.

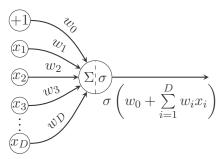


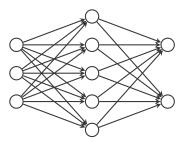


ヘロト 人間 トイヨト 人用 トーヨー

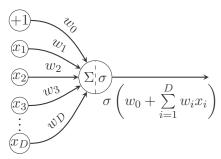
500

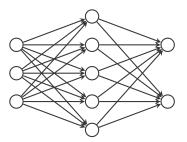
For each class y_k , we do the same thing. Again and again and again. This is called perceptron, which was invented by Frank Rosenblatt in 1958. Things will be much more fun if we have a stack of perceptrons (MLP).





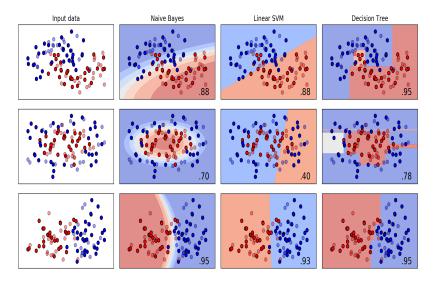
For each class y_k , we do the same thing. Again and again and again. This is called perceptron, which was invented by Frank Rosenblatt in 1958. Things will be much more fun if we have a stack of perceptrons (MLP). **Oops, must add something...** *Sigmoid* $\sigma(x) = \frac{1}{1+e^{-x}}$ **Otherwise, simple matrix multiplication.**





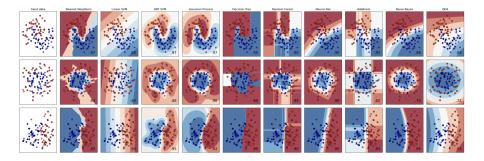
For each class y_k , we do the same thing. Again and again and again. This is called perceptron, which was invented by Frank Rosenblatt in 1958. Things will be much more fun if we have a stack of perceptrons (MLP). Oops, must add something... Sigmoid $\sigma(x) = \frac{1}{1+e^{-x}}$ Otherwise, simple matrix multiplication. Now you can do non-linear classification.

Nature of decision Boundaries: artificial data



Modified from SciKit Learn Classifier Comparison

More classifiers



https://scikit-learn.org/stable/auto_examples/classification/plot_classifier_comparison.html

Image: A matrix and a matrix

90

Training data points: dark Test data points: light

End of Classification Topic

- Next topic on Friday
- Hidden Markov Models
- Lecturer: Andreas Vlachos

▲□▶ ▲□▶ ▲ □▶ ▲ □▶ □ のへぐ