L98: Introduction to Computational Semantics Lecture 14: Scope

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(1) Every cat loves a cat.

Lecture 14: Scope

- 1. What is scope?
- 2. Quantifier scope
- 3. Presuppositions of quantifiers
- 3. Negative scope
- 4. Other types of scope
- 5. Representing scope









What Is Scope?

Scope

Scope is an effect in syntax and semantics

- where a scopal lexical item casts its semantic effect over a particular part of the clause or phrase
- the entire part of the clause is then said to be in the scope of the scopal element
- e.g negative scope:
- (2) a. He didn't see the cow
 - b. He saw no cow
 - c. He didn't only see the cow, but also the bull

Universal and Existential Scope

Reminder from lecture 8

- (3) a. No student smokes $\nexists x(\text{student}'(x) \land \text{smoke}'(x))$
 - b. All/every student(s) smoke(s) $\forall x (student'(x) \rightarrow smoke'(x))$

Lexical entries for the quantifiers:

$$\begin{split} \llbracket \textit{no} \rrbracket &= \lambda P.[\lambda Q.[\nexists x(P(x) \land Q(x))]] \\ \llbracket \textit{every} \rrbracket &= \lambda P.[\lambda Q.[\forall x(P(x) \to Q(x))]] \end{split}$$

In order to do what they need to do (namely return a quantified NP of type $\langle\langle e,t\rangle,t\rangle$), such quantifiers must be of type $\langle\langle e,t\rangle,\langle\langle e,t\rangle,t\rangle\rangle$, which indicates that a quantifier identifies a relation between two sets.



Only Functional Application used



Only Functional Application used

Nothing











Problem with quantified NPs in object position



f Type mismatch **v** VP: $\forall x (cat'(x) \rightarrow \lambda y.love'(y, x))$ Problem with quantified NPs in object position

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\forall x (\mathsf{cat'}(x) \to \mathsf{love'}(\mathsf{Kim'}, x))
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"slot" for the expected subject "semantic materials" correspond to *every cat* "semantic materials" correspond to *loves*

[[every cat]] is separated into two parts

- an unbound variable x
- universal quantifier $\forall x (\mathsf{cat'}(x) \to \ldots)$

We now need some heavy machinery

- Movement
- Traces
- Predicate abstraction rule for binding of traces
- Different shaped trees

What if in reality the tree looks like this:



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- What is the functionality of 1 ?
 Binding x adding λx. This is function abstraction in λ-calculus.

What if in reality the tree looks like this: $S \longrightarrow \forall x(cat'(x) \rightarrow love'(Kim',x))$ NP $\longrightarrow \lambda x.[love'(Kim',x)]$ $S \longrightarrow love'(Kim',x)$ every cat $VP \longrightarrow \lambda y.[love'(y,x)]$ NP Ν Kim loves t_1

- When a constituent is moved, a trace (here: t_1) is left in its place. It's bound to its index (here: 1).
- What is the functionality of 1 ? Binding x – adding λx . This is function abstraction in λ -calculus.

Now our types work out



Heim and Kratzer, p. 112 and chapter 5.4 on Variable binding

Multiple quantification

HP sent one representative to every meeting.

Double quantification under this analysis: Interpretation 1



 $\forall m(\exists r(\mathsf{sent'}(e) \land \mathsf{AGENT}(e, \mathsf{hp'}) \land \mathsf{THEME}(e, r) \land \mathsf{RECIPIENT}(e, m)))$

Double quantification under this analysis: Interpretation 2



 $\exists r(\forall m(\mathsf{sent}'(e) \land \mathsf{AGENT}(e, \mathsf{hp}') \land \mathsf{THEME}(e, r) \land \mathsf{RECIPIENT}(e, m)))$

Interpretation under this world

- There is exactly one company, c.
- There are exactly two representatives, r_1 and r_2 .
- There are exactly three meetings, m_1 , m_2 and m_3 .
- $c \text{ sent } r_1 \text{ to } m_1$, $r_2 \text{ to both } m_2$ and m_3 , and nobody else to anything else.

Which truth-value is assigned to the two interpretations on the previous pages under this world?

In-situ analysis vs. Movement analysis

- What we have just seen here is the movement analysis favoured by many Chomskyan Generative Linguists
- There is also an "in-situ" analysis
- In-situ means that the quantified NPs stay in their place
- The solution then involves two different types for quantified subject and object NPs
- CCG chose this solution
- MRS solves the problem with underspecification
- Contentious issue in Computational Linguistics
- Advantages and disadvantages for either

Presupposition and Quantifiers

Presupposition

(5) a. All American kings lived in New York.

- b. The vice-president is in the house.
- c. The twenty-five cats are in the kitchen.

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Observation: Presupposition failure for a) in all cases, and for b) and c) if there aren't exactly one (salient) vice-president or twenty-five cats exactly.

So which of the following definitions of the semantics of "every" is correct?

- $\mathsf{F}_{\mathsf{every}} = \lambda \langle A, B \rangle : A \subseteq B$ (Theory 1)
- $\mathsf{F}_{\mathsf{every}} = \lambda \langle A, B \rangle : A \neq \emptyset \land A \subseteq B$ (Theory 2)

Presuppositional Hypothesis

Presuppositional hypothesis (H&K, page 163)

In natural languages, a lexical item δ with a denotation of type $\langle \langle \mathbf{e}, \mathbf{t} \rangle, \langle \langle \mathbf{e}, \mathbf{t} \rangle, \mathbf{t} \rangle \rangle$ is presuppositional

iff
$$\forall A \subseteq D, B \subseteq D$$
: if $A = \emptyset$, then $\langle A, B \rangle \notin dom(F_{\delta})$

(6) All American kings lived in New York

This means that presupposition failure occurs if $A=\emptyset$ (there are no American kings)

Some doubt about Presuppositional Hypothesis

Speaker intuitions about the following sentences:

- (7) a. No American king lived in New York.
 - b. Two American kings lived in New York.

and more problems:

- (8) a. Every unicorn has exactly one horn.
 - b. All trespassers will be prosecuted.

Negative Scope

Negative scope

- (9) a. You cannot not do this.
 - b. You must/should do it
 - Double negation is logically equivalent to positive statement
 - Modulo focus effects; modulo presuppositions
 - In some langugages, what looks like double negation is in fact a circumflex morpheme for single negation:
- (10) a. I ain't seen no gun around here. (BAE)
 - b. Je ne regrette rien (French)

Triple negation



Grand Designs, Episode "The Whirral 2016"

Types of Scope

Types of scope

We have so far seen quantifier scope and negative scope. Other kinds:

- modal scope
- "only" scope
- comparative scope
- contrastive scope (*rather than*)
- hypothetical scope
- attributive scope (*she said that...*)
- quotation scope (*so-called...*)

Problems with negation and modal scope



"Du musst nicht weinen." (= you needn't cry)

Informing of lack of need to cry?

Problems with negation and modal scope

English:

- (11) a. you mustn't cry must (not (cry))
 - b. you needn't cry not (must (cry))

German:

- (12) a. du musst nicht weinen not (must (cry))
 - b. du darfst nicht weinen must (not (cry))

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Somebody misheard something

(13) I could care less

What does that possibly mean?

Somebody misheard something

- (13) I could care less
 - What does that possibly mean?



"Only" scope

- (14) a. Kim loved her cats.
 - b. Only Kim loved her cats.
 - c. Kim only loved her cats.
 - d. Kim loved only her cats.
 - Comparison on some scope is involved
 - "only" picks out the smaller situation
 - Unless the scope is numerical or "big-small", we need to infer the comparison ground.
 - "only"'s smaller cousin is called "just"
 - Writing tip

Trouble with "only" scope

- (15) a. If the notice had **only** said 'mine-field' in Welsh as well as in English, . . .
 - b. **If only** the notice had said 'mine-field' in Welsh as well as in English, . . .
 - c. If the notice had only said (rather than signalled in Morse-code) 'mine-field' in Welsh as well as in English, ...

Only meets not

(16) a. He didn't only see the cow, but also the bull

- b. He only saw the cow, and not the bull
- c. It is not the case that he saw only the cow and not the bull
- d. He saw the cow and the bull
- We are told explicitly that it is not the case that the cow-seeing alone is in "only" scope.
- The bull-seeing also happened.
- This type of scope is closely related to the concept of **focus** (discourse lecture)
- "You might be thinking that it's more likely to see the cow, but hey, the bull was also seen."
- There is a "not" in the sentence, but neither the cow-seeing nor the bull-seeing are negated.

Contrastive scope

- (17) a. **Instead of** using biaffine parse selection in subordinate structures, my system uses simple black magic.
 - b. In our interpretation of possible worlds, fictional characters are treated as semi-translucent slime, **rather than** as micron-thin gold plate, as Millovski (2013) does.

Part of the effect of contrastive scope is negation.

Writing tip

Avoid scope ambiguity when negative (or partially negative) scope is involved.

- 1 Recognise scopal properties of lexical items you want to use.
- 2 Move clauses which are under scope into positions where the scope is naturally bounded.

(18) I do X, rather than Y, which causes Z to happen.

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Avoid scope ambiguity when negative (or partially negative) scope is involved.

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(18) I do X, rather than Y, which causes Z to happen.

Whoa. Who did Z, you or the people who do Y?? Reformulations:

(19) a. Rather than doing Y, which would cause Z, I do X.

- b. Rather than doing Y, I do X, which then causes Z to happen.
- c. In order to avoid Z, I do X, rather than doing Y.
- d. In order to achieve Z, I do X, rather than doing Y.

Special forcus on "careless i.e."

(20) I wouldn't do X, i.e., do Y.

🚯 Whoa. Is Y negated or not?

♀ Avoid careless "i.e."

Representing Scope in CS

Scope



Reading

- Heim and Kratzer (1999):
 - Chapter 6 and 7 for quantifiers and scope
 - Chapter 5 for traces and Predicate Abstraction
- Reading for next time: Arcs of Coherence; chapter 5 from Pinker (2014)