

# Optimizing Search Engines using Clickthrough Data

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# What is clickthrough data?

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- ▶ Triplet: (q, r, c)
- ▶ Premise: set *c* conveys some information about user preferences

1. Kernel Machines  
<http://svm.first.gmd.de/>
2. Support Vector Machine  
<http://jbolivar.freesevers.com/>
3. SVM-Light Support Vector Machine  
[http://ais.gmd.de/~thorsten/svm\\_light/](http://ais.gmd.de/~thorsten/svm_light/)
4. An Introduction to Support Vector Machines  
<http://www.support-vector.net/>
5. Support Vector Machine and Kernel Methods References  
<http://svm.research.bell-labs.com/SVMrefs.html>
6. Archives of SUPPORT-VECTOR-MACHINES@JISCMAIL.AC.UK  
<http://www.jiscmail.ac.uk/lists/SUPPORT-VECTOR-MACHINES.html>
7. Lucent Technologies: SVM demo applet  
<http://svm.research.bell-labs.com/SVT/SVMsvt.html>
8. Royal Holloway Support Vector Machine  
<http://svm.dcs.rhbnc.ac.uk/>
9. Support Vector Machine - The Software  
<http://www.support-vector.net/software.html>
10. Lagrangian Support Vector Machine Home Page  
<http://www.cs.wisc.edu/dmi/lsvm>

# Pairwise preferences

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$$\begin{aligned} link_3 <_{r^*} link_2 & \quad link_7 <_{r^*} link_2 & (1) \\ link_7 <_{r^*} link_4 & \\ link_7 <_{r^*} link_5 & \\ link_7 <_{r^*} link_6 & \end{aligned}$$

ALGORITHM 1. (EXTRACTING PREFERENCE FEEDBACK FROM CLICKTHROUGH)

*For a ranking  $(link_1, link_2, link_3, \dots)$  and a set  $C$  containing the ranks of the clicked-on links, extract a preference example*

$$link_i <_{r^*} link_j$$

*for all pairs  $1 \leq j < i$ , with  $i \in C$  and  $j \notin C$ .*

# A new learning algorithm

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- ▶ Optimal (target) ranking  $r^*$  v. system ranking  $r_{f(q)}$
- ▶ Kendall's  $\tau$ :

$$\tau(r_a, r_b) = \frac{P - Q}{P + Q} = 1 - \frac{2Q}{\binom{m}{2}} \quad (2)$$

- ▶ Expected Kendall's  $\tau$ :

$$\tau_P(f) = \int \tau(r_{f(q)}, r^*) d\text{Pr}(q, r^*) \quad (6)$$

# SVM algorithm for learning

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- ▶ Empirical risk minimization approach:

$$\tau_S(f) = \frac{1}{n} \sum_{i=1}^n \tau(r_{f(q_i)}, r_i^*). \quad (8)$$

$$\forall (d_i, d_j) \in r_1^* : \vec{w}\Phi(q_1, d_i) > \vec{w}\Phi(q_1, d_j) \quad (10)$$

...

$$\forall (d_i, d_j) \in r_n^* : \vec{w}\Phi(q_n, d_i) > \vec{w}\Phi(q_n, d_j) \quad (11)$$

OPTIMIZATION PROBLEM 1. (RANKING SVM)

$$\text{minimize:} \quad V(\vec{w}, \vec{\xi}) = \frac{1}{2} \vec{w} \cdot \vec{w} + C \sum \xi_{i,j,k} \quad (12)$$

subject to:

$$\forall (d_i, d_j) \in r_1^* : \vec{w}\Phi(q_1, d_i) \geq \vec{w}\Phi(q_1, d_j) + 1 - \xi_{i,j,1} \\ \dots \quad (13)$$

$$\forall (d_i, d_j) \in r_n^* : \vec{w}\Phi(q_n, d_i) \geq \vec{w}\Phi(q_n, d_j) + 1 - \xi_{i,j,n} \\ \forall i \forall j \forall k : \xi_{i,j,k} \geq 0 \quad (14)$$

# Using partial feedback

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- ▶ Replace  $r^*$  with  $r'$ :

OPTIMIZATION PROBLEM 2. (RANKING SVM (PARTIAL))

$$\text{minimize:} \quad V(\vec{w}, \vec{\xi}) = \frac{1}{2} \vec{w} \cdot \vec{w} + C \sum \xi_{i,j,k} \quad (21)$$

*subject to:*

$$\begin{aligned} \forall (d_i, d_j) \in r'_1 : \vec{w}\Phi(q_1, d_i) &> \vec{w}\Phi(q_1, d_j) + 1 - \xi_{i,j,1} \\ &\dots \end{aligned} \quad (22)$$

$$\begin{aligned} \forall (d_i, d_j) \in r'_n : \vec{w}\Phi(q_n, d_i) &> \vec{w}\Phi(q_n, d_j) + 1 - \xi_{i,j,n} \\ \forall i \forall j \forall k : \xi_{i,j,k} &\geq 0 \end{aligned} \quad (23)$$

# Experiment: Offline

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- ▶ Training set: 112 queries over one month to Google and MSNSearch through “Striver”
- ▶ Feature mapping  $\Phi(q, d)$  :
  - ▶ 38 rank-based features
  - ▶ 3 query/content features
  - ▶ ~20 000 popularity attribute features
- ▶ Extracted pairwise preferences using Alg 1
- ▶ 50 constraints added

# Offline: Results

- ▶ Test error decreases to ~10% with 80 training queries (out of 112)

✓ Proof of concept

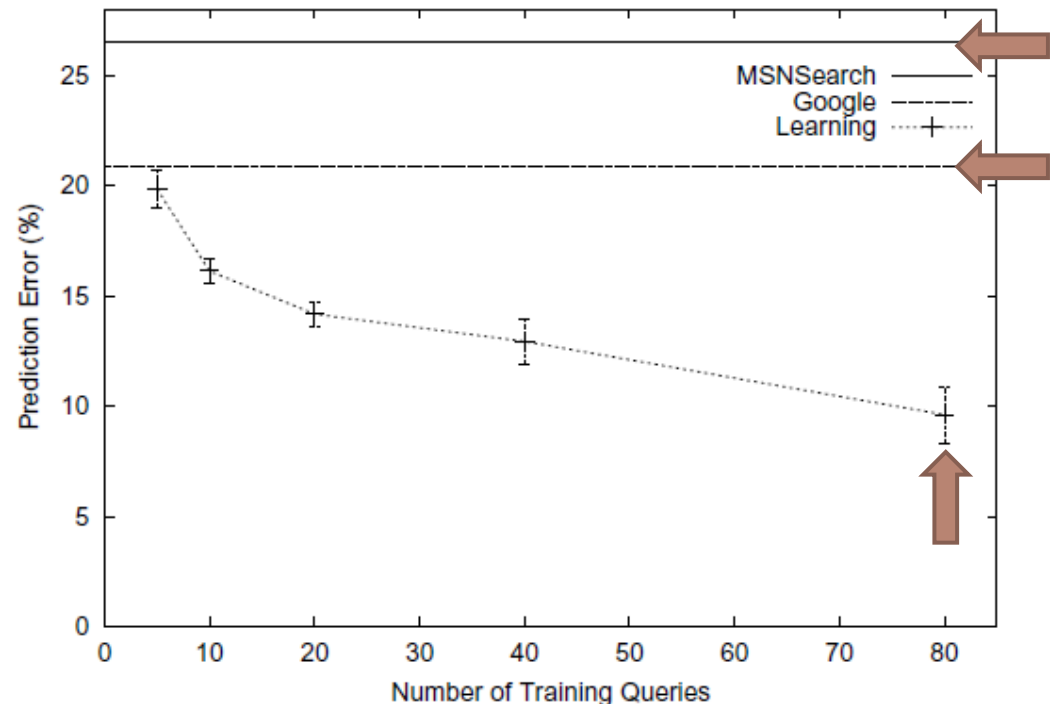


Figure 4: Generalization error of the Ranking SVM depending on the size of the training set. The error bars show one standard error.



# Experiment: Interactive Online

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- ▶ Training set: 260 queries from 20 users over less than a month
- ▶ Evaluation period of ~2 weeks
- ▶ Compared against Google, MSNSearch and Toprank

# Interactive Online: Results

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| Comparison            | more clicks on learned | less clicks on learned | tie (with clicks) | no clicks | total |
|-----------------------|------------------------|------------------------|-------------------|-----------|-------|
| Learned vs. Google    | 29                     | 13                     | 27                | 19        | 88    |
| Learned vs. MSNSearch | 18                     | 4                      | 7                 | 11        | 40    |
| Learned vs. Toprank   | 21                     | 9                      | 11                | 11        | 52    |

Table 2: Pairwise comparison of the learned retrieval function with Google, MSNSearch, and the non-learning meta-search ranking. The counts indicate for how many queries a user clicked on more links from the top of the ranking returned by the respective retrieval function.

- ▶ Users clicked on more links from the learned retrieval function than the other search engines
- ✓ Learned function improves retrieval

# Discussion

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- ▶ Personalised retrieval functions which can be tailored to small homogenous groups or individual users
- ▶ Function doesn't rely on explicit relevance judgements
- ▶ Question: What are the computational demands of training using clickthrough data?

# Critique

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- ▶ Theory well-placed in context of other measures and research
- ▶ Well-reasoned explanations throughout

# Critique

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- ▶ Little to no discussion about the constraints
- ▶ No discussion about the relevance/influence of the tied clicks or no clicks in the online experiment
- ▶ Experiments based on homogenous user base:
  - ▶ How diverse were the queries in the training and testing periods
- ▶ Hypothesise the effect of scaling up the number of queries