

Theorem 2 (step1)

Let $Acc(G)$ be the accessibility list of an acyclic directed graph, G_{pars} its most parsimonious graph, and $V(G_{pars})$ the set of all nodes of G_{pars} . Then the following equation (1):

$$\forall i \in V(G_{pars}) \dots Adj(i) = Acc(i) \setminus \cup_{j \in Acc(i)} Acc(j)$$

In words, for each node i the adjacency list $Adj(i)$ of the most parsimonious genetic network is equal to the accessibility list $Acc(i)$ after removal of all nodes that are accessible from any node in $Acc(i)$.

$$\text{\caption{\$Adj(1) = Acc(1) \$ -- \$(Acc(2) + Acc(3)+ Acc(4) + Acc(5)+Acc(6))\$ \\\$ = \$(2,3,4,5,6) \$ -- \$(3 \cup (5,6) \cup 6) = (2,4)\$}}$$

Some typos have been corrected with respect to the printed version