

**Definition 1.** Let  $X$  be a system of sets.  $X$  is *closed under arbitrary intersections* iff  $\bigcap U \in X$  for every nonempty subclass  $U$  of  $X$ . Let  $X$  is *closed under intersections* stand for  $X$  is closed under arbitrary intersections.