

# Extracting and Verifying Cryptographic Models from C Protocol Code by Symbolic Execution

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- Problem: we often verify formal models of cryptographic protocols, but what we rely on are their implementations.
- Bridge the gap by extracting high-level ( $\pi$  calculus) models straight from C code.
- We check trace properties such as authentication and weak secrecy, aiming to be automated and sound.
- Assume correctness of cryptographic primitives.
- Main limitation so far: model extracted from a single program path.

Types of properties and languages.

	Low-Level (C, Java)	High-Level (F#)	Formal ( $\pi$ , LySa)
low-level (NULL dereference, division by zero)	<ul style="list-style-type: none"><li>• VCC</li><li>• Frama-C</li><li>• ESC/Java</li><li>• SLAM</li></ul>	N/A	N/A
high-level (secrecy, authentication)	<ul style="list-style-type: none"><li>• CSur</li><li>• JavaSec</li><li>• ASPIER</li><li>• <b>csec-modex</b></li></ul>	<ul style="list-style-type: none"><li>• F7/F*</li><li>• fs2pv/fs2cv</li></ul>	<ul style="list-style-type: none"><li>• ProVerif</li><li>• CryptoVerif</li><li>• AVISPA</li><li>• LySatool</li></ul>

	C LOC	model LOC	outcome	result type	time
simple mac	~ 250	12	verified	symbolic	4s
RPC	~ 600	35	verified	symbolic	5s
NSL	~ 450	40	verified	computat.	5s
CSur	~ 600	20	flaws found	—	5s
Metering	~ 1000	51	flaws found	—	15s

- Three implementations (1300 LOC) verified in the symbolic model.
- One of them also verified in the computational model by application of a computational soundness result.
- Found 3 flaws in a Microsoft Research implementation of a smart metering protocol (1000 LOC) (all fixed now).

# Example Flaw

In the smart metering protocol:

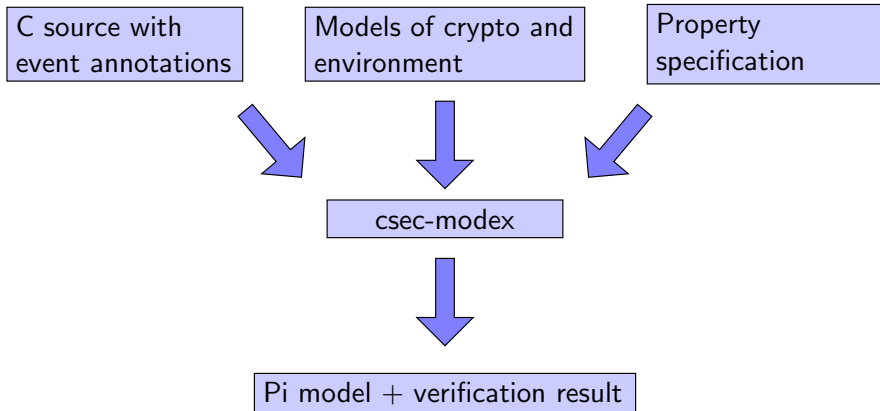
```
unsigned char session_key[256 / 8];  
...  
encrypted_reading = ((unsigned int) *session_key) ^ *reading;
```

---

Extracted model:

```
let msg3 = (hash2{0, 1} castTo "unsigned_int")  $\oplus$  reading1 in ...
```

# Overview: What



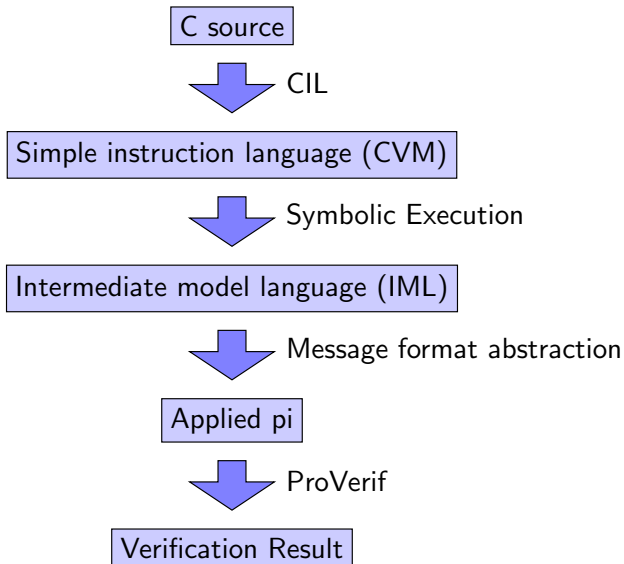
Abstract protocol:

$$A \xrightarrow{m, hmac(m, k_{AB})} B.$$

Concrete protocol:

$$A \xrightarrow{\text{len}(m)|1|m|hmac(\text{len}(m)|2|m, k_{AB})} B.$$

# Overview: How

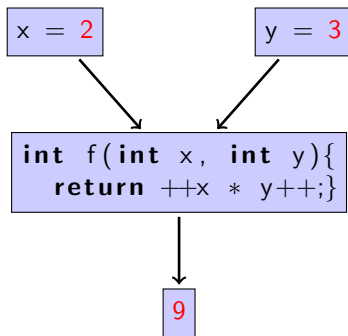




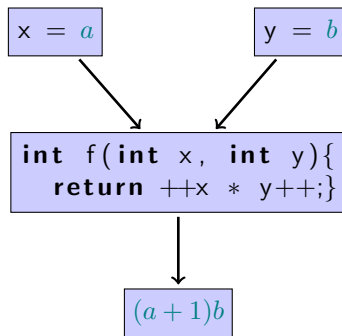
# Symbolic Execution: Basic Idea

Symbolic execution is a tool to simplify programs and extract their meaning.

Concrete:



Symbolic:



Output:

---

$\text{stack } msg \rightsquigarrow \text{ptr}(\text{heap } 2, 0)$

$\text{heap } 2 \rightsquigarrow \text{len}(x)|x|y \oplus k$

$\text{stack } msg\_len \rightsquigarrow 4 + \text{len}(x) + \text{len}(y)$

---

`write (msg, msg_len );`

---

Generate IML “**out**( $\text{len}(x)|x|y \oplus k$ );”.

# Message Format Abstraction (1)

An IML model:

```
let A =  
  in( $x$ );  
  event( $send(x)$ );  
  out( $len(x)|1|x|hmac(x, k_{AB})$ ).
```

```
let B =  
  in( $m$ );  
  if  $len(m) < m\{0, 4\} + 5$  then  
  if  $m\{4, 1\} = 1$  then  
  let  $x = m\{5, m\{0, 4\}\}$  in  
  let  $h = m\{5 + m\{0, 4\}, len(m) - 5 + m\{0, 4\}\}$  in  
  if  $h = hmac(x, k_{AB})$  then  
  event( $accept(x)$ ).
```

```
P =  $!(\nu k_{AB}; (!A \mid !B))$ .
```

# Message Format Abstraction (2)

Pi calculus translation of the IML model:

```
reduc  $d_1(c_1(x, y)) = x; d_2(c_1(x, y)) = y.$ 
```

```
query  $\mathbf{ev:accept}(x) \implies \mathbf{ev:send}(x).$ 
```

```
let A =
```

```
  in( $x$ );
```

```
  event( $send(x)$ );
```

```
  out( $c_1(x, hmac(x, k_{AB}))$ )).
```

```
let B =
```

```
  in( $m$ );
```

```
  let  $x = d_1(m)$  in
```

```
  let  $h = d_2(m)$  in
```

```
  if  $h = hmac(x, k_{AB})$  then
```

```
  event( $accept(x)$ ).
```

```
process  $!(\nu k_{AB}; (!A \mid !B)).$ 
```

# Message Format Abstraction (3)

We prove that IML bitstring manipulation expressions implement pairing.

$$c_1/2 := \lambda xy. \text{len}(x)|1|x|y,$$

$$d_1/1 := \lambda x. \mathbf{if} \text{len}(m) < x\{0, 4\} + 5 \mathbf{then}$$

$$\mathbf{if} x\{4, 1\} = 1 \mathbf{then} x\{5, x\{0, 4\}\} \mathbf{else} \perp,$$

$$d_2/1 := \lambda x. \mathbf{if} \dots \mathbf{then} x\{5 + x\{0, 4\}, \text{len}(x) - 5 + x\{0, 4\}\} \mathbf{else} \perp.$$

Properties:

- all concatenation functions have disjoint ranges,
- for all  $x$  and  $y$ :  $d_1(c_1(x, y)) = x$  and  $d_2(c_1(x, y)) = y$ ,
- whenever  $d_1(m) \neq \perp$  or  $d_2(m) \neq \perp$ , there exist  $x, y$  such that  $m = c_1(x, y)$ .

Implementation available from

<https://github.com/tari3x/csec-modex>

Csec-challenge:

<http://research.microsoft.com/csec-challenge>

Working on:

- Using CryptoVerif for verification of models, removing need for computational soundness results.
- Adding support for arbitrary control flow.

# Thank you!