#### AlOoTa\* (Absolutely Lame OoTA) \*: Ali's OoTA

#### Good

#### Program





Execution



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SC Guarantee:  $[x_i = y_i = 0 \Rightarrow x = 0] \land [y_i > 0 \Rightarrow x = 42]$ Actual Guarantee:  $[x_i = y_i = 0 \Rightarrow x = 0 \lor x = 42] \land [y_i > 0 \Rightarrow x = 42]$ 

Bad

Execution





SC Guarantee:  $[y_i > 0 \Rightarrow x = y_i \lor x = x_i]$ 

Actual Guarantee: true {x can have any value}

### Under-approximation FTW

AlOoTa

- Remove "bad" executions.
- Keep "good" executions.
- Don't worry about the "questionable" executions (yet).

Instructions Potential Instantiations

- r1 = x; { R x=0, R x=1, R x=2, R x=3,... }
- x = r1; { W x=0, W x=1, W x=2, W x=3,... }

$$r1 = k;$$
 {  $Rx=k$  }

$$x = k;$$
 {  $W = k$  }

r1 = Expr( $r_i$ ); { R x=k |  $k \in [[Expr(<math>r_i$ )]] }

 $x = Expr(r_i); \{ W = k | k \in [Expr(r_i)] \}$ 

An instruction is *determined* if its set of possible instantiations is a singleton.

if  $| [Expr(r_i)] | > 1$ 

determined	r1 = k;	{ R x=k }
undetermined	x = r1;	{ W x=0, W x=1, W x=2, W x=3, }
determined	$r1 = Expr(r_{i});$	{ Rx=k   k [ [Expr(r <sub>i</sub> )]] }
		if $  [[Expr(r_i)]]   = 1$
undetermined	$r1 = Expr(r_i);$	{ R x=k   k e [[Expr(ri)]]

An instruction *i* is a provider for another instruction *j* if *i* modifies a register/location which *j* uses.



An instantiation in an execution is resolved if it belongs to a determined instruction or each of its operands are provided by resolved instantiations.





An execution does not have AlOoTA relative to *R* if it is possible to mark each node as resolved by edges that do not conflict with *R*.





#### Example 2











#### Example 4







#### Example 5







# To AlOoTA or To not AlOoTa?







# To AlOoTA or To not AlOoTa?







### Final Words

#### Speculations, how to "resolve"?

 Is there a way to quantify how far we are off relative to SC guarantees?

Examples, examples, examples.