# EDSAC Initial Orders and Squares Program 

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## EDSAC

EDSAC (Electronic Delay Storage Automatic Computer), pictured below, was the world's first stored-program computer to operate a regular computing service. Maurice Wilkes lead the team responsible for its design and construction. It ran its
first program succesfully on May 6,1949 .


EDSAC's main memory used mercury delay lines to hold 512 words of 35 bits. We will use the notation: $w[0]$, $w[2], \ldots, w[1022]$ to refer to these words of memory. Each word could be split into two 17 -bit halves, separated by a at address $2 n$, namely $w[2 n]$, consisted of the concatenation of $m[2 n+1]$, a padding bit, and $m[2 n]$. Note that $m[1]$ is the senior half of $w[0]$.

The machine had two central registers visible to the user: the 71 -bit accumulator and the 35 -bit multiplier register. We will use the notation ABC to represent the whole accumulator, and $A$ and $A B$ to represent its senior 17 and 35 bits, respectively. We will use RS to represent the whole multiplier register and R to represent its senior 17 bits. The leftmost bit of each register was the sign bit and the remaining bits form a binary fraction.
EDSAC's machine instructions (also called orders) occupied 17 bits. The leftmost 5 bits was the operation code, the next bit was unused, the following 10 bits was the address field and the last bit specified (where appropriate) whether the order used 17 or 35 -bit operands.

Order format:

Orders were punched on paper tape and consisted of: a character that directly gave the 5 -bit operation code, followed by zero or more decimal digits giving the address, and terminated by S or L specifying the operand length bit. For example, R16S assembled to 00100000000100000 and T11L to 00101000000010111 . Note that the characters R and T had codes 4 and 5 , respectively.

## The Character Set

EDSAC used 5 -bit integers ( 0 to 31) to represent characters using two shifts: letters and figures. In letter shift the codes 0 to 31 respectively represented: P, Q, W, E, R, T, Y, U, I, O, J, figs, S, Z, K, lets, null, F, cr, D, sp, H, N, M, lf, L, X, G, A, B, C and V. In figure shift the encoding was as follows: $0,1,2,3,4,5,6,7,8,9$, ?, figs, $",+,($, lets, null, $\$$, cr, ;, sp, $£$, , ., lf, $,, /, \#,-, ?,:$ and $=$. In these tables, $i g s, c r, s p$ and $l f$ denote figure shift, carriage return, space and line feed, and on the ASCII characters $\#$, $\square$ and read as codes $0(\mathrm{P}), 7(\mathrm{U})$ and $27(\mathrm{G})$, respectively. The machine could read paper tape at a rate of 50 characters per second and output to a Creed teleprinter at nearly 7 characters per second.

## The 1949 Instruction set

EDSAC's instructions in 1949 was very simple and were executed at a rate of about 600 per second. They were as follows:


The numerical values in the accumulator and multiplier registers are normally thought of as signed binary fractions, but integer operations could also be done easily. For example, the order V1S can be interpreted as adding the product of the suitable shift, the integer result can be placed in the senior 17 bits of A ready for storing in memory.

## Initial Orders

The four glass panels on your right contain 20 segments of 5 track paper tape. Reading from right to left and from top to bottom, the first five segments correspond to the initial orders, and the remaining 15 to a program to compute squares. The

The initial orders were written by David Wheeler in May 1949 to load and enter a paper tape represention of a program When EDSAC was started, these initial orders were placed in memory locations 0 to 30 by a mechanism involving uniselec tors before execution stared from location 0 .
The glass panels give a paper tape representation of these orders even though no such paper tape ever existed. The following is an annotated listing of this program.

| Order bit pattern |  |  | Loc | Order | Meaning | Comment |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 00101 | 00000000000 | 0 | 0 : | TOS | $m[0]=A ; A B C=0$ |  |
| 10101 | 00000000010 | 0 | 1: | H2S | $\mathrm{R}=m$ [2] | Put $10 \ll 11$ in R |
| 00101 | 00000000000 | 0 | 2 : | TOS | $m[0]=A ; A B C=0$ |  |
| 00011 | 00000000110 | 0 | 3: | E6S | goto 6 | Jump to main loop |
| 00000 | 00000000001 | 0 | 4: | P1S | data 2 | The constant 2 |
| 00000 | 00000000101 | 0 | $5:$ | P5S | data 10 | The constant 10 |
| 00101 | 00000000000 | 0 | 6: | TOS | $m[0]=A ; A B C=0$ | Start of the main loop |
| 01000 | 00000000000 | 0 | 7: | IOS | $m[0]=r d c h()$ | Get operation code |
| 11100 | 00000000000 | 0 | 8 : | AOS | $\mathrm{A}+=m[0]$ | Put it in A |
| 00100 | 00000010000 | 0 | $9:$ | R16S | ABC>> $=6$ | Shift and store it |
| 00101 | 00000000000 | 1 | 10: | TOL | $w[0]=\mathrm{AB} ; \mathrm{ABC}=0$ | so that it becomes the senior 5 bits of $m[0]$ $m[1]$ is now zero |
| 01000 | 00000000010 | 0 | 11: | I2S | $m[2]=\mathrm{rdch}()$ | Put next ch in $m$ [2] |
| 11100 | 00000000010 | 0 | 12: | A2S | $\mathrm{A}+=m[2]$ | Put ch in A |
| 01100 | 00000000101 | 0 | 13: | S5S | $\mathrm{A}=\boldsymbol{m}$ [5] | A=ch-10 |
| 00011 | 00000010101 | 0 | 14: | E21S | if $\mathrm{A}>=0$ goto 21 | Jump to 21, if ch>=10 |
| 00101 | 00000000011 | 0 | 15: | T3S | $m[3]=\mathrm{A} ; \mathrm{ABC}=0$ | Clear A, $m$ [3] is junk |
| 11111 | 00000000001 | 0 | 16: | V1S | $\mathrm{AB}+=m[1] * \mathrm{R}$ | $\mathrm{A}=m[1] *(10 \ll 11)$ |
| 11001 | 00000001000 | 0 | 17: | L8S | A<<=5 | Shift 5 more places |
| 11100 | 00000000010 | 0 | 18: | A2S | $\mathrm{A}+=m$ [2] | Add the new digit |
| 00101 | 00000000001 | 0 | 19: | T1S | $m[1]=\mathrm{A} ; \mathrm{ABC}=0$ | Store back in m [1] |
| 00011 | 00000001011 | 0 | 20: | E11S | goto 11 | Repeat from 11 |
| 00100 | 00000000100 | 0 | 21: | R4S | ABC>> $=4$ | $\begin{aligned} & A=2, \text { if } c h=' S '^{\prime}(=12) \\ & A=15, \text { if } c h=' L \text { ' }(=25) \\ & \text { lenbit=0, if } c h=' S ' \\ & \text { lenbit }=1 \text {, if } c h=' L ' \end{aligned}$ |
| 11100 | 00000000001 | 0 | 22: | A1S | A $+=m$ [1] | Add in the address |
| 11001 | 00000000000 | 1 | 23: | LOL | $\mathrm{ABC} \ll=1$ | Shift to correct position |
| 11100 | 00000000000 | 0 | 24: | AOS | A $+=m$ [ 0 ] | Add in the operation field |
| 00101 | 00000011111 | 0 | 25: | T31S | $m[31]=A ; A B C=0$ | Store the order in next location |
| 11100 | 00000011001 | 0 | 26: | A25S | $\mathrm{A}+=m$ [25] | Increment the address field of $m$ [25] |
| 11100 | 00000000100 | 0 | 27: | A4S | $\mathrm{A}^{+}=m[4]$ | $m[4]$ holds 2 |
| 00111 | 00000011001 | 0 | 28: | U25S | $m[25]=$ A | Update $m$ [25] |
| 01100 11011 | $\begin{array}{ll}0 & 0000011111 \\ 0 & 000000110\end{array}$ | 0 | $29:$ | S31S | $A-=m[31]$ | Jump to 6, if there are |

The instruction at location 0 does nothing useful, but the instruction at 1 loads the multiplier register $R$ with a 17 -bit pattern 00101000000000000 which is also 10 shifted left 11 places. The instruction instruction at 2 (TOS) assembles into xactly this bit pattern, so is used both as data and an instruction to clear $m$ [ 0 ] The instruction at 3 skips to location 6 over the instructions at 4 and 5 that assemble as the 17 -bit constants 2 and 10 , respectively.
The main assembly loop starts at 6 , leaving locations $m[0]$ to $m[5]$ available as variables and constants in the program They are used as follows:
uses include holding the first character of an order,
used to hold the address field of the current order, used for characters other than the first of an order,
$m$ [3] used as a junk register when the instruction at 15 clears ABC
$m$ [4] the constant 2 used at 27 to add one to an address field,
$m[5]$ the constant 10 used to check for the end of address digits.

The order at 25 is of the form $\mathrm{T} n \mathrm{~S}$, initially T31S. It is used to store an order at location $n$. This instruction is modified by the code in locations 26 to 28 which adds one to its address field, so the next time it is executed it will update th next location. Location 31 is the first order to be loaded and must be of the form $\mathrm{T} n \mathrm{~S}$ where $n-1$ is the address of las in 25 . If loading is not yet complete execution jumps to 11 , otherwise it fall through to 31 . Note that the instruction at 31 will do no damage, since it just writes a value to the first location following the loaded program. The first real instruction of the program is in $m$ [32].

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## The Squares Program

This program, written by Maurice Wilkes in June 1949, outputs the following table of squares and differences of the numbers 1 to 100 .


The following is an annotated listing of the program.

| Order bit pattern |  |  | Loc | Order | Meaning | Comment |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 00101 | 00001111011 | 0 | 31: | T123S | $\mathrm{m}[123]=\mathrm{A} ; \mathrm{ABC}=0$ | The required first word |
| 00011 | 00001010100 | 0 | 32: | E84S | goto 84 | Jump to start |
| 00000 | 00000000000 | 0 | 33: | PS | data 0 | For the next decimal digit |
| 00000 | 00000000000 | 0 | 34: | PS | data 0 | For the current power of ten |
| 00100 | 11100010000 | 0 | 35: | P10000S | data $10000<1$ | The table of 16 -bit |
| 00000 | 01111101000 | 0 | 36: | P1000S | data $1000 \ll 1$ | powers of ten |
| 00000 | 00001100100 | 0 | 37: | P100S | data $100 \ll 1$ |  |
| 00000 | 00000001010 | 0 | 38: | P10S | data $10 \ll 1$ |  |
| 00000 | 00000000001 | 0 | 39: | P1S | data $1 \ll 1$ |  |
| 00001 | 00000000000 | 0 | 40: | QS | data $1 \ll 12$ | 00001 in MS 5 bits, used to form digits |
| 01011 | 00000000000 | 0 | 41: | \#S | data $11 \ll 12$ | Figure shift character |
| 11100 | 00000101000 | 0 | 42: | A40S |  | End limit for values placed in $m$ [52] |
| 10100 | 00000000000 | 0 | 43: | !S | data $20 \ll 12$ | Space character |
| 11000 | 00000000000 | 0 | 44: | \&S | data $24 \ll 12$ | Line feed character |
| 10010 | 00000000000 | 0 | 45: | @S | data $18 \ll 12$ | Carriage return character |
| 01001 | 00000101011 | 0 | 46: | 0435 | wr (m [43]) | Write a space |
| 01001 | 00000100001 | 0 | 47: | 033 S | wr (m[33]) | Write a digit |
| 00000 | 00000000000 | 0 | 48: | PS | data 0 | The number to print |
| 11100 | 00000101110 | 0 | 49: | ${ }^{\text {A } 46 S}$ | A $+=\mathrm{m}$ [46] | Print subroutine entry point |
| 00101 | 00001000001 | 0 | 50: | T65S | $m[65]=\mathrm{A} ; \mathrm{ABC}=0$ | Put 043S in $m$ [65] |
| 00101 | 00010000001 | 0 | 51: | T129S | $m[129]=\mathrm{A}$; $\mathrm{ABC}=0$ | Clear A |
| 11100 | 00000100011 | 0 | 52: | A35S | A $+=m$ [35] | A is next power of ten. $m$ [52] cycles through A35S, A36S, A37S, A38S and A39S |
| 00101 | 00000100010 | 0 | 53: | T34S | $m[34]=\mathrm{A}$; $\mathrm{ABC}=0$ | Store it in $m$ [34] |
| 00011 | 00000111101 | 0 | 54: | E61S | goto 61 |  |
| 00101 | 00000110000 | 0 | 55: | T48S | $m[48]=A ; A B C=0$ | Store value to be printed |
| 11100 | 00000101111 | 0 | 56: | A47S | A $+=m$ [ 47 ] | Store instruction 033S |
| 00101 | 00001000001 | 0 | 57: | T65S | $m[65]=\mathrm{A} ; \mathrm{ABC}=0$ | in $m$ [65] |
| 11100 | 00000100001 | 0 | 58: | A33S | $\mathrm{A}+=m$ [33] | Increment the decimal digit |
| 11100 | 00000101000 | 0 | 59: | A40S | $\mathrm{A}+=m$ [ 40 ] | held in the MS 5 bits |
| 00101 | 00000100001 | 0 | 60: | T33S | $m[33]=\mathrm{A} ; \mathrm{ABC}=0$ | of $m$ [33] |
| 11100 | 00000110000 | 0 | 61: | A48S | $\mathrm{A}+=m$ [48]; $\mathrm{ABC}=0$ | Get value to print |
| 11100 | 00000100010 | 0 | 62: | S34S | $\mathrm{A}==m[34]$ | Subtract a power of 10 |
| 00011 | 00000110111 | 0 | 63: | E55S | if $\mathrm{A}>=0$ goto 55 | Repeat, if positive |
| 11100 | 00000100010 | 0 | 64: | A34S | $\mathrm{A}+=m$ [34] | Add back the power of 10 |
| 00000 | 00000000000 | 0 | 65: | PS | data 0 | This is replaced by either 043S to write a space, or 033S to write a digit |
| 00101 | 00000110000 | 0 | 66: | T48S | $m[48]=\mathrm{A} ; \mathrm{ABC}=0$ | Set the value to print |
| 00101 | 00000100001 | 0 | 67: | T33S | $m[33]=\mathrm{A} ; \mathrm{ABC}=0$ | Set digit to 0 |
| 11100 | 00000110100 | 0 | 68: | A52S | $\mathrm{A}+=m$ [52] | Increment the address field |
| 11100 | 00000000100 | 0 | 69: | A4S | $\mathrm{A}+=m$ [4] | of the instruction |
| 00111 | 00000110100 | 0 | 70: | U52S | $m[52]=\mathrm{A}$ | in $m$ [52] |
| 01100 | 00000101010 | 0 | 71: | S42S | $\mathrm{A}-=m$ [42] | Compare with A40S and |
| 11011 | 00000110011 | 0 | 72: | G51S | if $\mathrm{A}<0$ goto 51 | Repeat, if more digits |
| 11100 | 00001110101 | 0 | 73: | A117S | $\mathrm{A}+=m$ [117] | Put A35S back |
| 00101 | 00000110100 | 0 | 74: | T52S | $m[52]=\mathrm{A} ; \mathrm{ABC}=0$ | in $m$ [52] |
| 00000 | 00000000000 | 0 | 75: | PS | data 0 | To hold the return jump instruction which is E95S, E110S or E118S |


| 00000 | 0 | 0000000000 | 0 | 76: | PS | data 0 | Hold |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 00000 | 0 | 0000000000 | 0 | 77: | PS | data | Holds $x^{2}$ |
| 00000 | 0 | 0000000000 | 0 | 78: | PS | data | Holds previous $x^{2}$ |
| 00000 | 0 | 0000000000 | 0 | 79: | PS | data 0 | Holds $\Delta x^{2}$ |
| 00011 | 0 | 0001101110 | 0 | 80: | E110S | goto 110 | Order to place in $m$ [52] |
| 00011 | 0 | 0001110110 | 0 | 81: | E118S | goto 118 | Order to place in $m$ [52] |
| 00000 | 0 | 0001100100 | 0 | 82: | P100S | data $100 \ll 1$ | End limit for $x$ |
| 00011 | 0 | 0001011111 | 0 | 83: | E95S | goto 95 | Order to place in $m$ [52] |
| 01001 | 0 | 0000101001 | 0 | 84: | 041 S | wr ( $m$ [41]) | Write figure shift |
| 00101 | 0 | 0010000001 | 0 | 85: | T129S | $m[129]=\mathrm{A} ; \mathrm{ABC}=0$ | Start of main loop |
| 01001 | 0 | 0000101100 | 0 | 86: | 044S | wr ( $m$ [44]) | Write line feed |
| 01001 | 0 | 0000101101 | 0 | 87: | 045 S | $\mathrm{wr}(m$ [ 45$]$ ) | Write carriage return |
| 11100 | 0 | 0001001100 | 0 | 88: | A76S | $\mathrm{A}+=m$ [ 76]; $\mathrm{ABC}=0$ | Get $x$ |
| 11100 | 0 | 0000000100 | 0 | 89: | A4S | $\mathrm{A}+=m$ [4] | Increment it |
| 00111 | 0 | 0001001100 | 0 | 90. | U76S | $m[76]=A$ | and store it back in $x$ |
| 00101 | 0 | 0000110000 | 0 | 91: | T48S | $m[48]=\mathrm{A} ; \mathrm{ABC}=0$ | Put it also in $m$ [48] for printing |
| 11100 | 0 | 0001010011 | 0 | 92: | ${ }^{\text {A }} 83 \mathrm{~S}$ | $\mathrm{A}+=m$ [83] | Put return jump E95S |
| 00101 |  | 0001001011 | 0 | 93: | T75S | $m[75]=\mathrm{A} ; \mathrm{ABC}=0$ | into $m$ [75] |
| 00011 | 0 | 0000110001 | 0 | 94: | E49S | goto 49 | Enter the print subroutine |
| 01001 | 0 | 0000101011 | 0 | 95: | 0435 | wr ( $m$ [43]) | Write a space |
| 01001 | 0 | 0000101011 | 0 | 96: | 0435 | wr ( $m$ [43]) | Write a space |
| 10101 |  | 0001001100 | 0 | 97: | H76S | $\mathrm{R}=m$ [76] | Multiply $x$ by |
| 11111 |  | 0001001100 | 0 | 98: | V76S | ABC+ $=m[76] * \mathrm{RS}$ | itself and |
| 11001 | 0 | 0001000000 | 0 | 99: | L64S | ABC<<8 | re-position |
| 11001 | 0 | 0000100000 | 0 | 100: | L32S | ABC<<7 | the result |
| 00111 | 0 | 0001001101 | 0 | 101: | U77S | $m[77]=\mathrm{A}$ | Store in location for $x^{2}$ |
| 01100 | 0 | 0001001110 | 0 | 102: | S78S | $\mathrm{A}-=m$ [78] | Subtract the previous value |
| 00101 | 0 | 0001001111 | 0 | 103: | T79S | $m[79]=\mathrm{A} ; \mathrm{ABC}=0$ | and store the new $\Delta x^{2}$ |
| 11100 | 0 | 0001001101 | 0 | 104: | A77S | $\mathrm{A}+=m$ [77] | Update variable holding |
| 00111 | 0 | 0001001110 | 0 | 105: | U78S | $m[78]=\mathrm{A}$ | the previous $x^{2}$ |
| 00101 | 0 | 0000110000 | 0 | 106: | T48S | $m[48]=\mathrm{A} ; \mathrm{ABC}=0$ | Put $x^{2}$ <br> in $m$ [48] for printing |
| 11100 | 0 | 0001010000 | 0 | 107: | ${ }^{\text {A } 80 S}$ | $\mathrm{A}+=m$ [80] | Put return jump E110S |
| 00101 | 0 | 0001001011 | 0 | 108: | T75S | $m[75]=\mathrm{A} ; \mathrm{ABC}=0$ | into $m$ [75] |
| 00011 | 0 | 0000110001 | 0 | 109: | E49S | goto 49 | Enter the print subroutine |
| 01001 | 0 | 0000101011 | 0 | 110: | 0435 | wr ( $m$ [43]) | Write a space |
| 01001 | 0 | 0000101011 | 0 | 111: | 0435 | $\mathrm{mr}(m[43])$ | Write a space |
| 11100 | 0 | 0001001111 | 0 | 112: | A79S | $\mathrm{A}+=m$ [79] | Get $\Delta x^{2}$ |
| 00101 | 0 | 0000110000 | 0 | 113: | T48S | $m[48]=\mathrm{A} ; \mathrm{ABC}=0$ | Put it in $m$ [48] for printing |
| 11100 | 0 | 0001010001 | 0 | 114: | A81S | $\mathrm{A}+=m$ [81] | Put return jump E118S |
| 00101 | 0 | 0001001011 | 0 | 115: | T75S | $m[75]=\mathrm{A} ; \mathrm{ABC}=0$ | into $m$ [75] |
| 00011 | 0 | 0000110001 | 0 | 116: | E49S | goto 49 | Enter the print subroutine |
| 11100 | 0 | 0000100011 | 0 | 117: | A35S | $\mathrm{A}+=m$ [35] | Order to place in $m$ [52] |
| 11100 | 0 | 0001001100 | 0 | 118: | A76S | A $+=m$ [ 76 ] | Get $x$ |
| 01100 | 0 | 0001010010 | 0 | 119: | S82S | $\mathrm{A}-=m$ [82] | Subtract the end limit ( $=100$ ) |
| 11011 | 0 | 0001010101 | 0 | 120: | G85S | if A<0 goto 85 | Repeat, if more to do |
| 01001 | 0 | 0000101001 | 0 | 121: | 0415 | $\mathrm{wr}(m[41])$ | Write figure shift |
| 01101 |  | 0000000000 | - | 122: | ZS | Stop | Stop the machine |

## The Green Door

The green door on your left was the Corn Exchange Street entrance to the Mathematical Laboratory where EDSAC wa h. By conven brass plaqui this door holds the engraved names of those retired members of the Laborator who used the door in its original location.

## Links

http://www.dcs.warwick.ac.uk/ edsac/
This links to Martin Campbell-Kelly's excellent EDSAC simulator and related documents.
ttp://www.c1.cam.ac.uk/UoccL/misc/edSAcson,
This links to pages relating to the celebration, held in Cambridge in April 1999, of the 50th anniversary of the EDSAC 1 Computer.
http://www.cl.cam.ac.uk/ $\sim$ mr/Edsac.html
This links to a shell based EDSAC simulator that runs on Pentium based Linux systems. It was designed to be educational having a built-in interactive debugger allowing single step execution, the setting of breakpoints he programs described in this poster. This simulator also appears as a demonstration program in the Cintcode BCPL system (http://www.cl.cam.ac.uk/~mr/BCPL.html).
http://www.cl.cam.ac.uk/~mr/edsacposter.pdf
This is a PDF version of this poster on two A4 pages.


The corrected tape segments etched on the Tea Room glass panels

