

(First) Language Acquisition

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Mar 2014

Language Learning

- **Reflections on Language** (1975), "To come to know a human language would be an extraordinary intellectual achievement for a creature not specifically designed to accomplish this task."
- **Universal Grammar:** Innate knowledge of grammar which constrains learnable grammars to a finite set specified parametrically e.g. OV/VO? \wedge ReIN/NRel? \wedge ...
- **Learning:** is setting parameters on the basis of exposure to form:meaning pairs, but noise:
 - Daddy threw you the red sock
 $\text{give}'(\text{daddy}' \text{ you}' x) \wedge \text{red}'(\text{sock}'(x))$
 - **Parameter Indeterminacy:** VO-v2 or OV+v2?
The red sock threw Daddy you

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LAD and P&P

Innate Language Acquisition Device (LAD)

– Universal Grammar (UG), Parser, Learning Procedure

Learning Procedure = Parameter setting (finite set of binary-valued independent parameters plus UG define all possible human grammars/languages)

Space of possible human languages is finite and vast:

20Ps = 1048576, 30Ps = 1.073741e+09 grammars

Reluctance to weaken learning to approximately correct

No algorithm for learnability in the limit from positive only examples

Trigger sentences = contextually determinate data for parameter setting (circumvents problems of 'evidence' / uncertainty, etc)

'Minimalist' Parametric Theory (Baker, Roberts et al.)

- (Int./Ext.) Merge is in UG/FLN (= CCG A,C,P...)
- Some linguistic features are in UG/FLN (= CCG Att:Val)
- Parameters relate to features (default absent/off)
- Parameters naturally define hierarchies (Decision Trees)
- Number of parameters = lg. (learning) complexity
- Parameter (re)setting = lg. change
- Macro/Micro/Meso/Nano-Parameters (head-initial/final - lexical irregularity)
- Input Generalisation / Feature Economy (none-all-some-one)
- Parameter setting is lexically-driven (observed)
- Still no theory of parameter (re)setting / learning (= LAg_t LP(UG))

(Bayesian) Parametric Learning

- Bayes Rule: $P(h | i) = \frac{P(h)P(i|h)}{P(i|h \in H)}$
- Single Binary-valued Parameter: X_0 vs. X_1
- Input, i , 00011
- Reinforcement: $X_0 + i_0 - i_1$
- MLE/RF: $\frac{X_0}{X_0+X_1}$
- Beta Distribution + Binomial: $\frac{\alpha_0+X_0}{\alpha_0+X_0+\alpha_1+X_1}$
- Dirichlet / Pitman-Yors + Multinomial
- e.g.s $\frac{1}{2}, \frac{1}{5}, \frac{1}{50} \dots$

No / Uniform / Informative / Accurate Prior? – Strength?

Param. Setting? = Freq. Boosting / Preserving / Averaging? – Selective

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Bayesian Incremental Parameter Setting (BIPS)

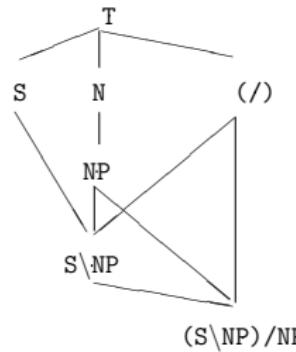
- **Input** – finite noisy randomly-ordered form-meaning pairs (fm_n):
 Daddy gave you the sock throw'(daddy' you' x) \wedge sock'(x)
- **Hypothesis Space** – F/B A+C, L/D P + Cat. + Lex.
- **Learning Bias / Occam's Razor** – prior distribution on set of finite-valued parameters (A,C,P + Cat. Set):

$$p(g \in G) = \prod_{param_i \in g} p(param_i = x)$$
- **Lexical Parameters** $p(Cat, Lexeme)$
- **Incremental Learning**, posterior distribution given input:
 for $0 < i < n$, $argmax_{g \in G} p(g) p(fm_i | g)$

$$p(fm_i | g) = \prod_{param_j \in fm_i} p(param_j)$$

$$p(param_j = x) = \frac{f(param_j=x)+\alpha}{f(param_j=X)+N\alpha}$$
- **Parameter is (re)set** if $argmax(p(param_j = x))$ (selective)

Parametric Specification of Category Sets



Finite Feature / Category Set:

NP	=	[CAT=N, BAR=1, CASE=X, PERNUM=Y]
S	=	[CAT=V, BAR=0, PERNUM=X]
\NP	=	[DIR = left, CAT=N,...]
		$S_{pernum=x} \setminus NP_{pernum=x}$
		$S \setminus NP_{pernum=3sg} \sqcap NP_{case=nom} = NP_{3sg,nom}$

Parameters in Type-driven HPSG / Construction Grammar

- (Default) Inheritance via (default) unification
- A grammar is a set of Constraints (CON)
- CON contains (Sub)Type Inheritance & Path Value Specifications (PVSs)
- $\text{Verb} \sqsubset \text{IntransVb} \sqsubset \text{TransVb}$
- $\text{TransVb } \text{ARG2} =_d \text{NP}$
- $\text{Rain} \sqsubset \text{IntransVb } \text{ARG1} =_d \text{NP}_{IT}$
- Parameters = non-UG part of CON associated with Probabilities/Settings

The Locally Maximal Grammar (none-all-some-one)

$\forall pPVS_i \in CON(Supertype_j, \sqsubset)$

$\forall pPVS_k \in Subtypes_I$ of $Supertype_j$

if

$|pPVS_k = 1 \in Subtypes_I| > |pPVS_k = 0 \in Subtypes_I|$

then

$$P(pPVS_i = 1) = \frac{\sum P(pPVS_k=1) \in Subtypes_I}{|pPVS_k=1 \in Subtypes_I|}$$

(and vice-versa)

else

if

$$\frac{\sum P(pPVS_k=1) \in Subtypes_I}{|pPVS_k=1 \in Subtypes_I|} > \frac{\sum P(pPVS_k=0) \in Subtypes_I}{|pPVS_k=0 \in Subtypes_I|}$$

then

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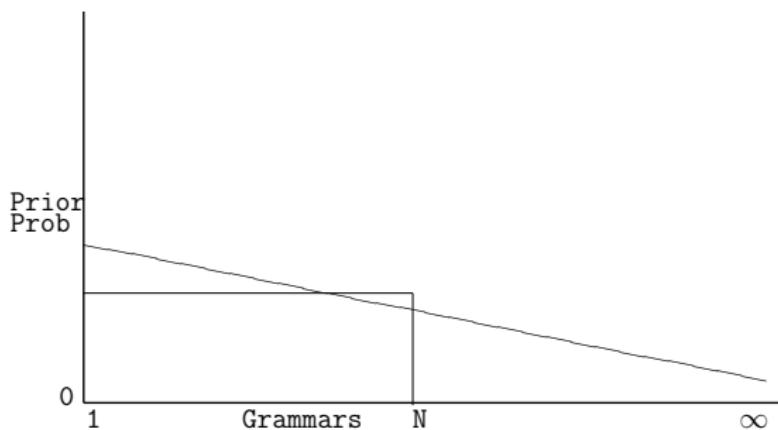
(and vice-versa)

Chomskyan vs. Bayesian Learning

Learning Universal: Irregularity correlated with frequency

go+ed / went, ((S\IT)/NP)/S annoy, bother,...

Convergent Evolution: Irng biases walk thru' parameter space



A Language

Lexicon:

Kim : NP : kim'

Sandy: NP : sandy'

Paris: NP : paris'

kissed : (S\NP)/NP : $\lambda y, x \text{ kiss}'(x y)$

in : ((S\NP)\(S\NP))/NP : $\lambda y, P, x \text{ in }'(y P(x))$

...

Grammar:

Forward Application (FA):

$$X/Y \ Y \Rightarrow X \quad \lambda y [X(y)] (y) \Rightarrow X(y)$$

Backward Application (BA):

$$Y \ X\backslash Y \Rightarrow X \quad \lambda y [X(y)] (y) \Rightarrow X(y)$$

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A Derivation

Kim	kissed	Sandy	in	Paris
NP	$(S \setminus NP) / NP$	NP	$((S \setminus NP) \setminus (S \setminus NP)) / NP$	NP
kim'	$\lambda y, x \text{ kiss}'(x y)$	sandy'	$\lambda y, P, x \text{ in}'(y P(x))$	paris'
	----- FA		----- FA	
	$S \setminus NP$		$(S \setminus NP) \setminus (S \setminus NP)$	
	$\lambda x \text{ kiss}'(x \text{ sandy}')$		$\lambda P, x \text{ in}'(\text{paris}' P(x))$	
	----- BA			
	$S \setminus NP$			
	$\lambda x \text{ in}'(\text{paris}' \text{ kiss}'(x \text{ sandy}'))$			
	----- BA			
S				
in'('paris' kiss'(kim' sandy'))				

... in Paris on Friday by the Eiffel Tower ...

Another Language

Lexicon:

Ayse : NP : kim'

Fatma'yi: NP_{acc} : sandy'

Paris: NP : paris'

gordu : (S\NP)\NP_{acc} : $\lambda y, x \text{ see}'(x y)$

+de : ((S\NP)/(S\NP))\NP : $\lambda y, P, x \text{ in}'(y P(x))$

...

Grammar:

Composition (C):

$$X/Y \ Y/Z \Rightarrow X/Z \quad \lambda y [X(y)] \ \lambda z [Y(z)] \Rightarrow \ \lambda z [X(Y(z))]$$

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Grammar:

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X/Y Y/Z \Rightarrow X/Z $\quad \lambda y [X(y)] \lambda z [Y(z)] \Rightarrow \lambda z [X(Y(z))]$

Another Derivation

Ayse	Fatma'yi	Paris	+de	gordu
NP	NP _{acc}	NP	((S\NP)/(S\NP))\NP	(S\NP)\NP _{acc}
kim'	sandy'	paris'	$\lambda y, P, x \text{ in}'(y P(x))$	$\lambda y, x \text{ see}'(x y)$
			----- BA	
			(S\NP)/(S\NP)	
			$\lambda P, x \text{ in}'(\text{paris}' P(x))$	----- C

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S				
in' (paris' see' (kim' sandy'))				

An Unlikely Language

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Sandy: NP : sandy'

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see : S\NP)\NP : $\lambda y, x \text{ see}'(x y)$

+on : ((S\ NP)/(S\ NP))\NP : $\lambda y, P, x \text{ on}'(P(x) y)$

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An Unlikely Derivation

Kim Friday +on Sandy see in Paris
on'(friday, in'(paris' see'(kim' sandy')))

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The Basic Stochastic ILM

For $i = 1$ to N ,

$L\mathcal{A}gt_1 : < \mathcal{I}g^t, \text{Generate}(\mathcal{I}g^t, m_i), \text{Age}(1) >$

$L\mathcal{A}gt_2 : < \mathcal{I}g^{t+i} = LP(UG, fm_i), \text{Parse}(\mathcal{I}g^{t+i}, m_i), \text{Age}(0) >$

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If N is large enough to guarantee (random) generation of a fair sample of $\mathcal{I}g^t$ and UG provides an uninformative or accurate prior, then $\mathcal{I}g^t = \mathcal{I}g^{t+N}$ for all $t+N$

If there is noise, variation or bottleneck, then prior will dominate over time (Griffiths, Kirby)

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LP Effectiveness

Number of (randomly-generated) inputs (in increments of 10) required to ensure convergence to g_t ($P = 0.99$):

Emergent Compositionality (Kirby)

- Suppose *Generate* invents f_k for m_k when not in Ig^t ?

- Input:

li+co+ba+gu	li+bo+ri
S	S
see'(kim' sandy')	kiss'(kim' fido')

- Acquired Lexicon:

co+ba+gu	: S\NP	: $\lambda x \text{ see}'(x \text{ sandy}')$
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Learning Procedure Desiderata

- 1 Realistic Input noisy, non-homogeneous input
- 2 Accurate parameters are set based on input
- 3 Selective parameters are set to most probable value
- 4 Generalisation resulting grammars are productive
- 5 Regularisation inductive bias for regularity
- 6 Occam's Razor grammars are minimal wrt input

Summary

- I-lgs / CCGs can be incrementally learnt via BIPS LP(UG)
- ILM over BIPS LP is stable and accurate – prior?
- Productivity (recursion) is a property of Application and Composition
- With invention in *Generate compositionality* is emergent
- Where does E-Ig variation and change come from?

Reading

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