COMPUTER SCIENCE TRIPOS Part II – 2015 – Paper 9

12 Topics in Concurrency (JMH)

(a) Define when a relation R is a *(strong)* bisimulation and define bisimilarity.

[3 marks]

(b) Let the pure CCS processes P and Q be

$$P \stackrel{\text{def}}{=} a.Q \qquad \qquad Q \stackrel{\text{def}}{=} b.P$$

- (i) Show that: $a.b.P + b.a.Q \sim P + Q$ [4 marks]
- (*ii*) Use the local model checking algorithm to show that

$$P \vdash \nu X(\langle \cdot \rangle T \land [\cdot]X)$$

reduces to true

[4 marks]

- (*iii*) Given that $a.(b.nil + Q) \vdash \nu X(\langle \cdot \rangle T \land [\cdot]X)$ reduces to **false**, are P and a.(b.nil + Q) bisimilar? State carefully but do not prove any results upon which your answer relies. [3 marks]
- (c) Explain how bisimilarity \sim is a greatest fixed point. State carefully but do not prove any results upon which your answer relies. [6 marks]