## Floating-Point Computation

(a) A hypothetical (and practically rather useless) floating-point number representation inspired by the IEEE floating-point standards uses 6 bitsone bit for sign, three bits for exponent and two (stored) bits for mantissa (significand). Assuming that 1.0 is represented in this format as 0:011:00 give the values, in decimal notation (fractions are acceptable), of all the other nonnegative floating-point values in this representation. You do not need to give details of denormalised numbers or NaNs.
(b) Explain the following terms:
(i) absolute error;
(ii) relative error;
(iii) rounding error;
(iv) truncation error;
$(v)$ ill-conditionedness.
(c) Assuming the floating-point representation for type float has bits in its mantissa (significand), what can be said about the output of the following program?

```
float f = 10.0/3.0;
for (i=0; i<100; i++)
{ int v = (int)f; /* get integer part of f */
    printf("%d\n", v); /* print it */
    f = (f - v) * 10;
}
```

Discuss how accurately $f$ represents 10.0/3.0 at the start of each iteration and explain which operation(s) represent the main loss of accuracy in $f$ on each iteration. (You may assume that 10 significant bits of accuracy is approximately 3 decimal digits of accuracy.)

