## 2001 Paper 10 Question 4

## **Compiler Construction**

A regular grammar is a grammar whose rules are in one of the two following forms (where A and B are non-terminal symbols and a is a terminal):

$$\begin{array}{l} A \ \rightarrow a \\ A \ \rightarrow aB \end{array}$$

(a) Give a regular grammar which generates floating point numbers of exactly the following form:

$$(0|1)^+ . (0|1)^* [e(0|1)^+]$$

where "()" indicates grouping, "[]" indicates optional item, " $\rho^+$ " indicates one or more repetitions of  $\rho$  and " $\rho^*$ " indicates zero or more repetitions of  $\rho$ .

[8 marks]

- (b) Give a non-regular grammar with fewer productions than your answer to (a) but which generates the same set of strings. [4 marks]
- (c) Determine, with justification, for the following grammars
  - (i) whether S generates strings not generated by T; and
  - (ii) whether T generates strings not generated by S.

$$\begin{cases} S \to aaS \\ S \to Scc \\ S \to d \end{cases} \text{ and } \begin{cases} T \to aTc \\ T \to d \end{cases}$$

[4 marks]

(d) What is the significance for the compilation process of the idea of "strings which can be generated by regular grammars"? Your answer should explain where such a module recognising such strings would appear in a compiler and a possible external interface (functions, variables and/or objects) it might present to the rest of the compiler. [4 marks]