## 1996 Paper 2 Question 8

## Regular Languages and Finite Automata

Show that if $L$ is a regular language then the set of strings in $L$ of odd length is also a regular language. Is the same true of strings of even length? Justify your answer.

If $L$ is regular language let $L^{\prime}$ be the set of strings in $L$ that are palindromes. Is is possible that $L^{\prime}$ is regular? Will $L^{\prime}$ necessarily be regular? Explain your answer with suitable examples and proofs.

It is known that the language Pal consisting of all palindromes is not regular. If possible find a regular language $L$ such that $L$ is a subset of $P a l$, or if this is not possible explain why. Similarly either find a regular language $L^{\prime}$ so that $P a l$ is a subset of $L^{\prime}$, or again explain why this can not be done.

