## 2: Naive Bayes Classification Machine Learning and Real-world Data

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# Last session: an algorithmic solution to sentiment detection

- You built a symbolic system.
- The information source in your system was the sentiment lexicon.
- It was based on human intuition and required much human labour to build.

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- You evaluated it in terms of accuracy.
- Accuracy is an adequate metric because the data was balanced.
- Is there a way to achieve a higher accuracy?

- We will start today with a simple machine learning (ML) application
- Definition of ML: a program that learns from data, i.e., adapts its behaviour after having been exposed to new data.
- Hypothesis: we can learn which words (out of all words we encounter in reviews) express sentiment
  - rather than relying on a fixed set of words decided independently from the data and before the experiment (sentiment lexicon approach).

# Two tasks in ML – classification vs prediction

- Classification: Which class (label) should the data I see have?
  - This is what we are doing here.
- Prediction: Which data is likely to occur in the given situation?

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- Input: easily observable data [often not obviously meaningful] features f<sub>i</sub> (or observations o<sub>i</sub>)
- Output: meaningful label associated with the data [cannot be algorithmically determined] class c<sub>n</sub>

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 Classification algorithm is a function that maps from features f<sub>i</sub> to target class c<sub>n</sub>

# Statistical Machine Learning

- Your system from Task 1 is already a classification algorithm, but it's not an ML algorithm
- A statistical classifier maximises the probability that a class c is associated with the observations o, and returns the maximising class c:

 $\hat{c} = \operatorname*{argmax}_{c \in C} P(c|o)$ 

- *c* is a class  $c \in C = \{c_1 \dots c_m\}$ , the set of classes.
- In our case, the observations *o* are the entire document *d*.

# **Testing and Training**

- A machine learning algorithm has two phases: training and testing.
- Training: the process of making observations about some known data set
  - You are allowed to manipulate the f<sub>i</sub> (and maybe look at c<sub>n</sub> while you do that)

- Testing: the process of applying the knowledge obtained in the training stage to some new, unseen data
- Important principle: never test on data that you trained a system on

- Supervised ML: you use the classes that come with the data in the training and the testing phase.
- Unsupervised ML: you use the classes only in the testing phase.

$$c_{NB} = \operatorname*{argmax}_{c \in C} P(c|d) = \operatorname*{argmax}_{c \in C} P(c) \prod_{i \in positions} P(w_i|c)$$

Document *d* is represented by word positions  $w_i$ , the word encountered at position *i* in the test document; *positions* is the set of indexes into the words in the document.

- In the training phase, you will collect whatever information you need to calculate  $P(w_i|c)$  and P(c).
- In the testing phase, you will apply the above formula to derive c<sub>NB</sub>, the classifier's decision.
- This is supervised ML because you use information about the classes during training.

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How did we get from

\hat{c} = \operatorname{argmax}_{c \in C} P(c|d)

to

c_{NB} = \operatorname{argmax}_{c \in C} P(c) \prod_{i \in positions} P(w_i|c)?
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We got there in three steps:

Bayes' Rule: 
$$P(c|d) = \frac{P(c)P(d|c)}{P(d)}$$

P(d) does not affect ĉ

Independence assumption:

 $P(w_1, w_2, \dots, w_n | c) = P(w_1 | c) \dots P(w_2 | c) \times \dots \times P(w_n | c)$ 

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# Data Split

- From last time, you have 1800 documents which you used for evaluation.
- We now perform a data split into 200 for testing, 1600 for training.
- You may later want to compare how well the NB System is doing in comparison to the symbolic system.
  - As the NB system is evaluated only on 200 documents.
  - Therefore, you should rerun your symbolic system on the same 200 documents.

# Maximum Likelihood Estimates (MLE) $\hat{P}(w_i|c), \hat{P}(c)$

Maximum Likelihood estimation (MLE) = finding the parameter values that maximize the likelihood of making the observations given the parameters

$$\hat{P}(w_i|c) = \frac{count(w_i, c)}{\sum_{w \in V} count(w, c)}$$

$$\hat{P}(c) = rac{N_c}{N_{doc}}$$

- *N<sub>c</sub>*: number of documents with class *c*
- *N<sub>doc</sub>*: total number of documents
- count(w<sub>i</sub>, c): number of word positions w<sub>i</sub> occurring together with a class c
- V: vocabulary of distinct words

# A problem you might run into

A certain word may not have occurred together with one of the classes in the training data, so the count is 0.

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- Part of your task today:
  - understand why this is a problem
  - work out what you could do to deal with it

### Task 2:

- Write code that calculates the MLE  $\hat{P}(w_i|c)$  and  $\hat{P}c$ , using only the training set.
- Now you have covered the training phase.
- Then write code for testing, i.e., apply your classifier to the validation set.
- Measure accuracy on the 200 documents.
- When you design your data structures, you may want to consider that you will in later sessions dynamically split data into a training and test set.

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# Ticking today

### Task 1 – Symbolic Classifier

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 Textbook Jurafsky and Martin Edition 2, Chapter 6.2: Naive Bayes Classifier

