Introduction to Syntax and Parsing ACS 2015/16 Stephen Clark 6: Combinatory Cotogorial Crammo

L6: Combinatory Categorial Grammar



Long-Range Dependencies

- A central problem for a theory of grammar:
 - "elements of sentences which belong together at the level of semantics or interpretation may be separated by unboundedly much intervening material" (Steedman)
- Obvious example in English is the relative clause construction:
 - a woman whom Warren likes
 - a woman whom Dexter thinks that Warren likes
 - **–** . . .



The Relative Clause Construction

- Relative clause construction:
 - a woman whom Warren likes

$$a\ woman\ whom\ Warren\ likes$$
 NP ? NP $(S\backslash NP)/NP$

- whom Warren likes should be $NP \setminus NP$
- so whom should be $(NP \setminus NP)/X$ for some X to be determined



"Non-Constituents" in CCG

$$\frac{a\ woman}{NP} \ \frac{whom}{(NP\backslash NP)/X} \ \frac{Warren}{NP} \ \frac{likes}{(S\backslash NP)/NP}$$

- Could Warren likes be a constituent?
- The coordination test for constituency suggests so:
 - Warren likes but Dexter detests contemporary dance
- So what is its type?
 - how about S/NP?
 - in which case the type of *whom* is $(NP \setminus NP)/(S/NP)$



Deriving "Non-Constituents"

- Can't combine Warren and likes using application rules
- Need two new rules: type-raising and composition



Type-Raising

- Subject NP becomes a functional category
- In general: $NP \Rightarrow T/(T \backslash NP)$
 - T is a variable; in practice, for both linguistic and practical parsing reasons, we'd want to limit T to a particular set of types
- Other categories can be type-raised, too, and we can have backward, as opposed to forward, type-raising

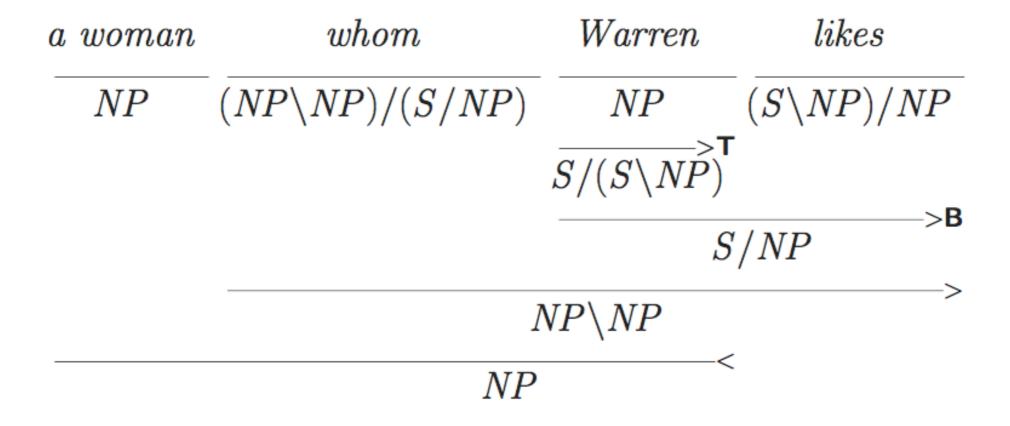


Forward Composition

- Composition allows us to "get inside" a functional category
- In general: X/Y $Y/Z \Rightarrow X/Z$



CCG Derivation for Relative Clause





"Spurious" Ambiguity

$$\frac{NP}{S/(S\backslash NP)} = \frac{likes}{(S\backslash NP)/NP} = \frac{NP}{NP}$$

$$\frac{S/(S\backslash NP)}{S/NP} = \frac{S/NP}{S}$$

$$\frac{S/NP}{S} = \frac{S/NP}{S}$$

- Type-raising and composition can be used to analyse simple sentences with no long-range dependencies
- A different derivation results, but the interpretation is the same (hence so-called "spurious ambiguity")



Generalised Forward Composition

 Some linguistic phenomena suggest the need for additional combinatory rules, eg:

I offered, and may give, a flower to a policeman

 Need to coordinate offered and may give, which means we need to make may give a constituent:

$$(S\backslash NP)/(S\backslash NP) \ ((S\backslash NP)/PP)/NP \ \Rightarrow \ ((S\backslash NP)/PP)/NP \ ?$$



Generalised Forward Composition

$$X/Y (\ldots (Y/Z)/W)/\ldots \Rightarrow_{\mathbf{B}^n} (\ldots (X/Z)/W)/\ldots$$

Can now combine may and give:

$$\frac{may}{(S\backslash NP)/VP} \frac{give}{(VP/PP)/NP} \\ \frac{}{((S\backslash NP)/PP)/NP} > \mathbf{B}^n$$

where $VP = S \backslash NP$



Argument Cluster Coordination

give a teacher an apple and a policemen a flower

- Looks like we need to coordinate a teacher an apple and a policeman a flower
- Can a teacher an apple really be a constituent?!
- Yes, if we allow backward type-raising and composition rules (once we allow these the derivation drops out)



Forward and Backward Type-Raising

$$X \Rightarrow_{\mathbf{T}} T/(T\backslash X)$$
 forward $X \Rightarrow_{\mathbf{T}} T\backslash (T/X)$ backward



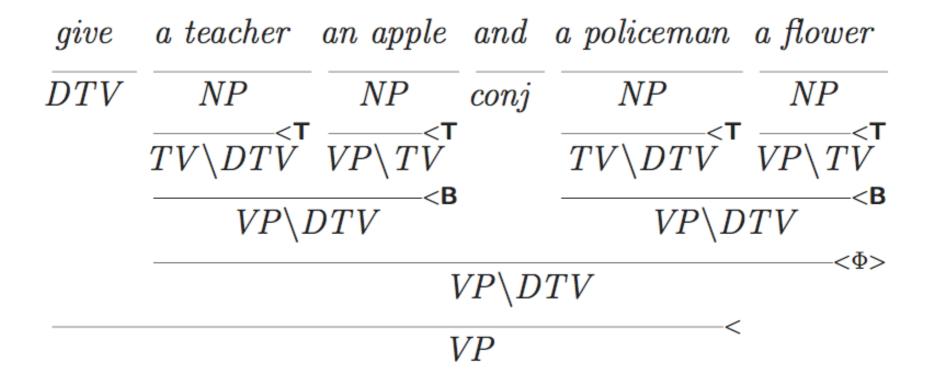
Argument Cluster Coordination

where
$$VP = S \backslash NP$$
, $TV = (S \backslash NP)/NP$, $DTV = ((S \backslash NP)/NP)/NP$

• Now we need a rule to combine $TV \setminus DTV$ and $VP \setminus TV$



Argument Cluster Coordination



where
$$VP = S \setminus NP$$
, $TV = (S \setminus NP)/NP$, $DTV = ((S \setminus NP)/NP)/NP$

Backward Composition (< B):

$$Y \backslash Z \quad X \backslash Y \quad \Rightarrow_{\mathbf{B}} \quad X \backslash Z$$



Backward Crossed Composition

I shall buy today and cook tomorrow some mushrooms

- buy today and cook tomorrow need to be constituents
- buy has category $(S \backslash NP)/NP$ and today has category $(S \backslash NP) \backslash (S \backslash NP)$
- No rule so far allows us to combine these; but this one will:

$$Y/Z X \setminus Y \Rightarrow_{\mathbf{B}} X/Z (< \mathbf{B}_x)$$

$$VP/NP VP \lor VP \Rightarrow_{\mathbf{B}} VP/NP$$



Another Combinatory Rule

Forward-Crossed Composition:

$$X/Y \ Y \backslash Z \Rightarrow_{\mathbf{B_x}} X \backslash Z$$

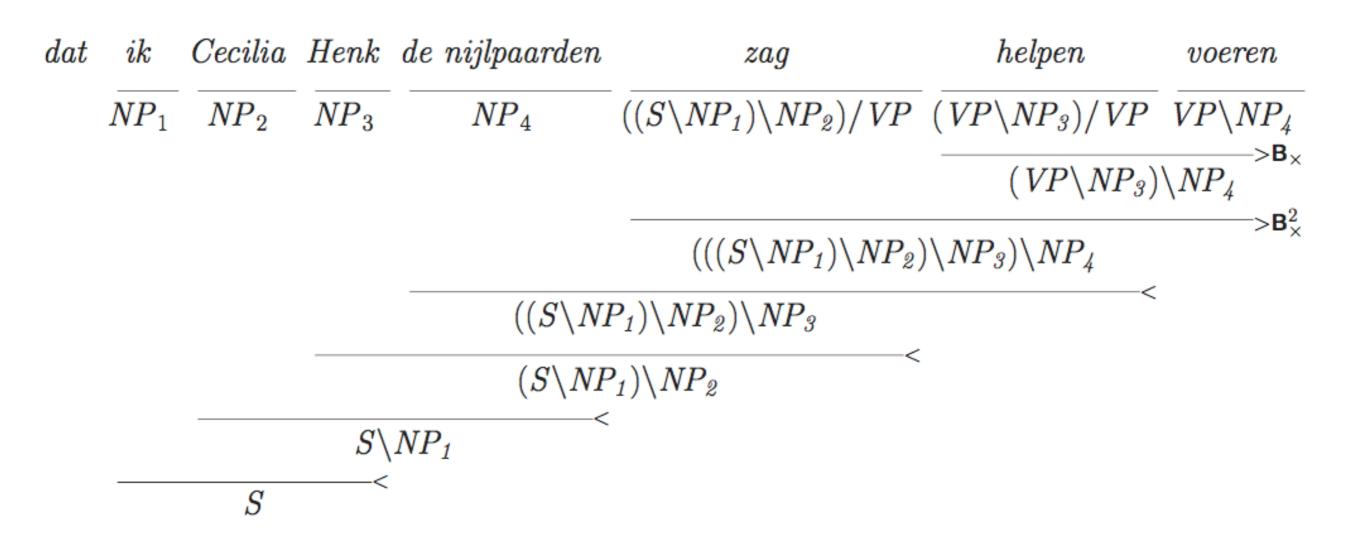
Generalised Foward-Crossed Composition:

$$X/Y (\dots (Y\backslash Z)\backslash W)\backslash \dots \Rightarrow_{\mathbf{B}_{\mathbf{x}}^{n}} (\dots (X\backslash Z)\backslash W)\backslash \dots$$

- Generalised case needed for the next derivation
- These rules not part of the English grammar



Cross-Serial Dependencies in Dutch





Mild Context Sensitivity

- It is the generalised composition rules which lead to greater-than-context free power
- A CCG with generalised composition and certain rule restrictions has the same generative power as Tree Adjoining Grammar (TAG) ("mildly context-sensitive")
- Interestingly, Kuhlman et al. show that relaxing some of the rule restrictions can provide a CCG with greater-than-context-free power, but with strictly less power than TAG



Mild Context Sensitivity

