

Alias and Points-to Analysis

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http://www.cl.cam.ac.uk/teaching/current/OptComp

Lecture 13a[may be updated for 2012]

Alias and Points-to Analysis

Lecture 13a

Points-to analysis, parallelisation etc.



Consider an MP3 player containing code:

for (channel = 0; channel < 2; channel++)
 process_audio(channel);
or even</pre>

process_audio_left();
process_audio_right();

Can we run these two calls in parallel?

Alias and Points-to Analysis

Lecture 13a

Points-to analysis, parallelisation etc. (2)



Multi-core CPU: probably want to run these two calls in paralle. MBRIDGE

Question: when is this transformation safe?

Alias and Points-to Analysis

Can we know what locations are read/written?



Basic parallelisation criterion: parallelise only if neither call writes to a memory location read or written by the other.

So, we want to know (at compile time) what locations a procedure might write to at run time. Sounds hard!

Alias and Points-to Analysis

Lecture 13a

Can we know what locations are read/written?



Non-address-taken variables are easy, but consider:

```
for (i = 0; i < n; i++) v[i]->field++;
```

Can this be parallelised? Depends on knowing that each cell of v[] points to a distinct object (i.e. there is no aliasing).

So, given a pointer value, we are interested in finding a finite description of what locations it might point to - or, given a procedure, a description of what locations it might read from or write to

If two such descriptions have empty intersection then we can parallelise.

Alias and Points-to Analysis

5

Lecture 13a

Can we know what locations are read/written?



For simple variables, even including address-taken variables, this $k_{\rm tot}^{\rm total}$ moderately easy (we have done similar things in "ambiguous ref" in LVA and "ambiguous kill" in Avail). Multi-level pointers, e.g.

int a, *b, **c;
b=&a;
c=&b;

make the problem more complicated here. $\,$

What about new, especially in a loop?

Coarse solution: treat all allocations done at a single program point as being aliased (as if they all return a pointer to a single piece of memory).

6

Alias and Points-to Analysis

Lecture 13a

Lecture 13a

Andersen's points-to analysis



An $O(n^3)$ analysis – underlying problem same as 0-CFA. We'll only look at the intra-procedural case.

First assume program has been re-written so that all $\it pointer-typed$ operations are of the form

$$\begin{split} x := \mathbf{new}_{\ell} &\quad \ell \text{ is a program point (label)} \\ x := \mathbf{null} &\quad \text{optional, can see as variant of } \mathbf{new} \end{split}$$

x := & y only in C-like languages, also like new variant

x := y copy

x := *y field access of object

*x := y field access of object

Note: no pointer arithmetic (or pointer-returning functions here). Also fields conflated (but 'field-sensitive' is possible too).

Andersen's points-to analysis (2)



Get set of abstract values $V = Var \cup \{\mathtt{new}_\ell \mid \ell \in Prog\} \cup \{\mathtt{null}\}^{\mathtt{Nonemer}}$. Note that this means that all new allocations at program point ℓ are conflated – makes things finite but loses precision.

The points-to relation is seen as a function $pt:V\to \mathcal{P}(V)$. While we might imagine having a different pt at each program point (like liveness) Andersen keeps one per function.

Have type-like constraints (one per source-level assignment)

 $\overline{\vdash x := \& y : y \in pt(x)}$

 $\overline{\vdash x := y : pt(y) \subseteq pt(x)}$

 $\frac{z \in pt(y)}{\vdash x := *y : pt(z) \subseteq pt(x)}$

 $\frac{z \in pt(x)}{\vdash *x := y : pt(y) \subseteq pt(z)}$

 $x := new_{\ell}$ and x := null are treated identically to x := &y.

Alias and Points-to Analysis 8

Alias and Points-to Analysis 7 Lecture 13a

Andersen's points-to analysis (3)



Alternatively, the same formulae presented in the style of 0-CFA (this is only stylistic, it's the same constraint system, but there are no obvious deep connections between 0-CFA and Andersen's points-to):

- for command x := & y emit constraint $pt(x) \supseteq \{y\}$
- \bullet for command x := y emit constraint $pt(x) \supseteq pt(y)$
- for command x := *y emit constraint implication $pt(y) \supseteq \{z\} \Longrightarrow pt(x) \supseteq pt(z)$
- for command *x := y emit constraint implication $pt(x) \supseteq \{z\} \Longrightarrow pt(z) \supseteq pt(y)$

Alias and Points-to Analysis

9

Lecture 13a

Andersen's points-to analysis (4)



Flow-insensitive – we only look at the assignments, not in which order they occur. Faster but less precise – syntax-directed rules all use the same set-like combination of constraints (\cup here).

Flow-insensitive means property inference rules are essentially of the form:

$$(\mathrm{ASS})_{\overline{\vdash x := e : \dots}} \qquad (\mathrm{SEQ})^{\underline{\vdash C : S} \quad \vdash C' : S'}_{\overline{\vdash C : C' : S \cup S'}}$$

$$(\mathtt{COND}) \frac{\vdash C : S \qquad \vdash C' : S'}{\vdash \mathtt{if} \ e \ \mathtt{then} \ C \ \mathtt{else} \ C' : S \cup S'}$$

$$(\mathsf{WHILE}) \frac{\vdash C : S}{\vdash \mathtt{while} \ e \ \mathtt{do} \ C : S}$$

Alias and Points-to Analysis

Lecture 13a

Andersen: example



[Example taken from notes by Michelle Mills Strout of Colorado State University]

command	constraint	solution
a = &b	$pt(a)\supseteq\{b\}$	$pt(a) = \{b,d\}$
c = a;	$pt(c)\supseteq pt(a)$	$pt(c) = \{b,d\}$
a = &d	$pt(a)\supseteq \{d\}$	$pt(b)=pt(d)=\{\}$
e = a;	$pt(e)\supseteq pt(a)$	$pt(e) = \{b,d\}$

Note that a flow-sensitive algorithm would instead give $pt(c) = \{b\}$ and $pt(e) = \{d\}$ (assuming the statements appear in the above order in a single basic block).

Alias and Points-to Analysis

11

Lecture 13a

Andersen: example (2)



command	constraint	solution
a = &b	$pt(a) \supseteq \{b\}$	$pt(a) = \{b, \frac{\mathbf{d}}{\mathbf{d}}\}$
c = &d	$pt(c) \supseteq \{d\}$	$pt(c) = \{d\}$
e = &a	$pt(e) \supseteq \{a\}$	$pt(e) = \{a\}$
f = a;	$pt(f) \supseteq pt(a)$	$pt(f) = \{ \textcolor{red}{b}, \textcolor{red}{d} \}$
*e = c;	$pt(e)\supseteq\{z\}\Longrightarrow pt(z)\supseteq pt(c)$	
(generates)	$pt(a)\supseteq pt(c)$	

Alias and Points-to Analysis

Lecture 13a

Points-to analysis – some other approaches



- Steensgaard's algorithm: treat e := e' and e' := e identically. Less accurate than Andersen's algorithm but runs in almost-linear time.
- shape analysis (Sagiv, Wilhelm, Reps) a program analysis with elements being abstract heap nodes (representing a family of real-world heap notes) and edges between them being must or may point-to. Nodes are labelled with variables and fields which may point to them. More accurate but abstract heaps can become very large.

Coarse techniques can give poor results (especially inter-procedurally), while more sophisticated techniques can become very expensive for large programs.

Points-to and alias analysis

"Alias analysis is undecidable in theory and intractable in practice.



It's also very discontinuous: small changes in program can produce global changes in analysis of aliasing. Potentially bad during program development.

So what can we do?

Possible answer: languages with type-like restrictions on where pointers can point to. $\,$

- Dijkstra said (effectively): spaghetti code is bad; so use structured programming.
- I argue elsewhere that spaghetti data is bad; so need language primitives to control aliasing ("structured data").

Alias and Points-to Analysis 14

Lecture 13a

Alias and Points-to Analysis

13

Lecture 13a