Distributed Systems
8L for Part IB

Handout 2

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Clocks

- Distributed systems need to be able to:
  - order events produced by concurrent processes;
  - synchronize senders and receivers of messages;
  - serialize concurrent accesses to shared objects; and
  - generally coordinate joint activity
- This can be provided by some sort of "clock":
  - **physical clocks** keep time of day
    - (must be kept consistent across multiple nodes)
  - **logical clocks** keep track of event ordering

Physical Clock Technology

- Quartz Crystal Clocks (1929)
  - resonator shaped like a tuning fork
  - laser-trimmed to vibrate at 32,768 Hz
  - standard resonators accurate to 6ppm at 31°C… so will gain/lose around 0.5 seconds per day
  - stability better than accuracy (about 2s/month)
  - best resonators get accuracy of ~1s in 10 years
- Atomic clocks (1948)
  - count transitions of the caesium 133 atom
  - 9,192,631,770 periods defined to be 1 second
  - accuracy is better than 1 second in 6 million years…

Coordinated Universal Time (UTC)

- Physical clocks provide 'ticks' but we want to know the actual time of day
  - determined by astronomical phenomena
- Several variants of universal time
  - **UT0**: mean solar time on Greenwich meridian
  - **UT1**: UT0 corrected for polar motion; measured via observations of quasars, laser ranging, & satellites
  - **UT2**: UT1 corrected for seasonal variations
  - **UTC**: civil time, tracked using atomic clocks, but kept within 0.9s of UT1 by occasional leap seconds
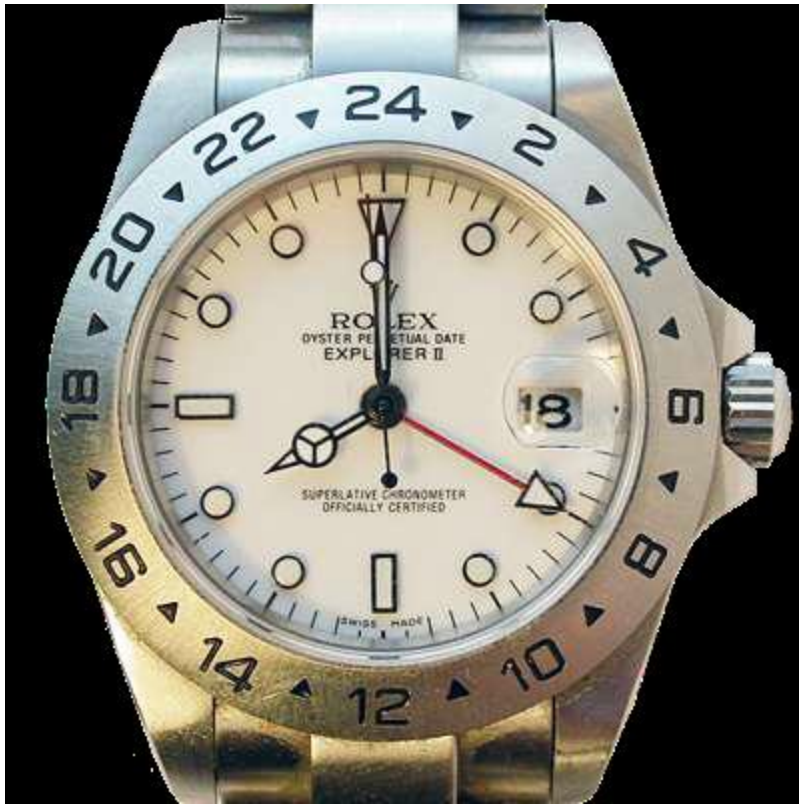
Computer Clocks

- Typically have a real-time clock
  - CMOS clock driven by a quartz oscillator
  - battery-backed so continues when power is off
- Also have range of other clocks (PIT, ACPI, HPET, TSC, …), mostly **higher frequency**
  - free running clocks driven by quartz oscillator
  - mapped to real time by OS at boot time
  - programmable to generate interrupts after some number of ticks (~= some amount of real time)

The Clock Synchronization Problem

- In distributed systems, we'd like all the different nodes to have the same notion of time, but
  - quartz oscillators oscillate at slightly different frequencies (time, temperature, manufacture)
- Hence clocks tick at different rates:
  - create ever-widening gap in perceived time
  - this is called **clock drift**
- The difference between two clocks at a given point in time is called **clock skew**
- Clock synchronization aims to minimize clock skew between two (or a set of) different clocks

Clock Skew and Clock Drift

08:00:00

February 18, 2012
08:00:00

08:00:00

Clock Skew and Clock Drift

08:01:24

Skew = *84 seconds*
Drift = *84s / 34 days*
　　　 = *+2.47s per day*

March 23, 2012
08:00:00

08:01:48

Skew = *108 seconds*
Drift = *108s / 34 days*
　　　 = *+3.18s per day*

Dealing with Drift

- A clock can have positive or negative drift with respect to a reference clock (e.g. UTC)
  - Need to [re]synchronize periodically
- Can't just set clock to 'correct' time
  - Jumps (particularly backward!) can confuse apps
- Instead aim for gradual compensation
  - If clock fast, make it run slower until correct
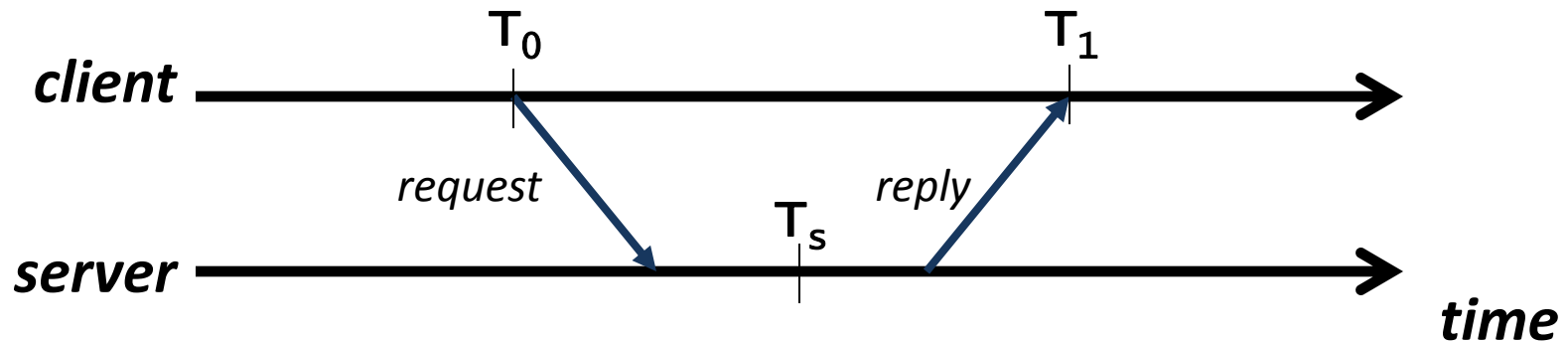 - If clock slow, make it run faster until correct

Compensation

- Most systems relate real-time to cycle counters or periodic interrupt sources
  - e.g. calibrate TSC against CMOS RT clock at boot, and compute scaling factor (e.g. cycles per microsecond)
  - can now convert TSC differences to real-time
  - similarly can determine how much real-time passes between periodic interrupts: call this **delta**
  - on interrupt, add delta to software real-time clock
- Making small changes to delta gradually adjusts time
  - Once synchronized, change delta back to original value
  - (or try to estimate drift & continually adjust delta)
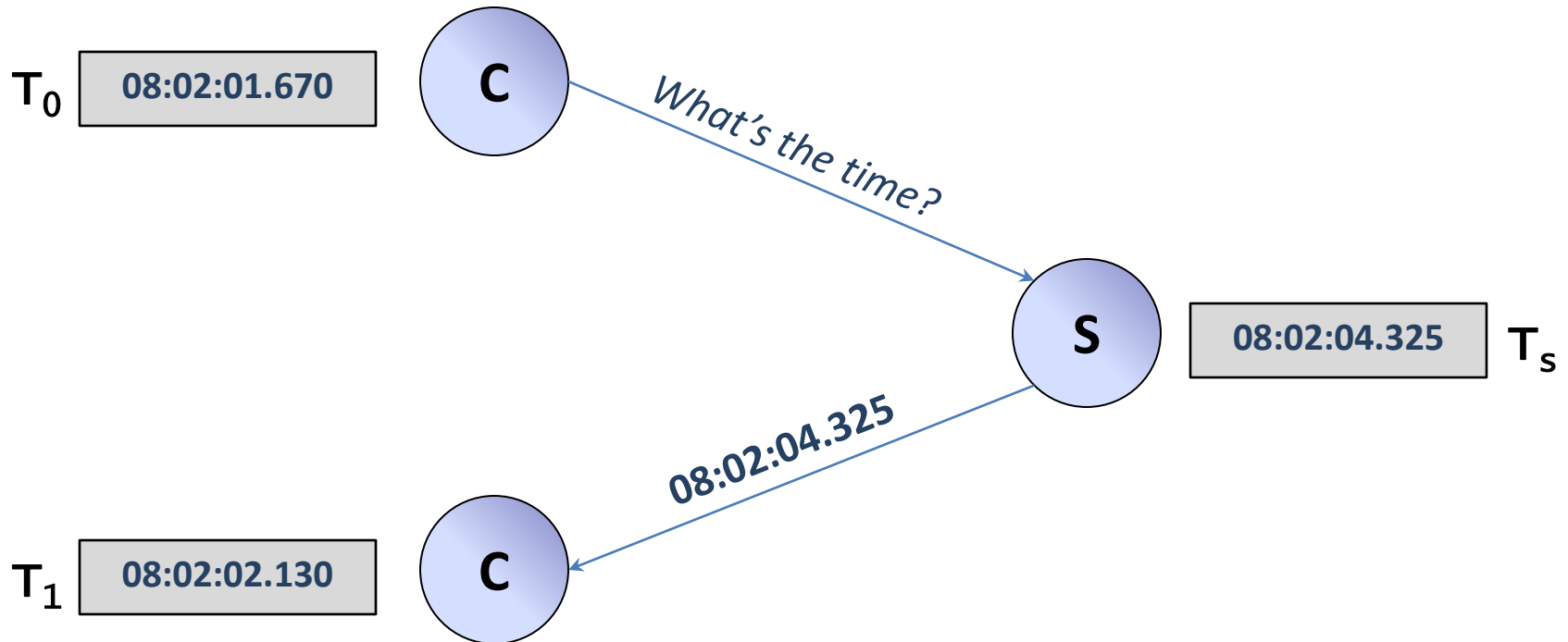
Obtaining accurate time

- Of course, need some way to know correct time (e.g. UTC) in order to adjust clock!
  - could attach a GPS receiver (or GOES receiver) to computer, and get ±1ms (or ±0.1ms) accuracy…
  - …but too expensive/clunky for general use
- Instead can ask some machine with a more accurate clock: a **time server**
  - e.g. send RPC getTime() to server
  - What's the problem here?

Cristian's Algorithm (1989)

- Attempt to compensate for network delays
  - Remember local time just before sending: T_0
  - Server gets request, and puts T_s into response
  - When client receives reply, notes local time: T_1
  - Correct time is then approximately (T_s + (T_1- T_0) / 2)
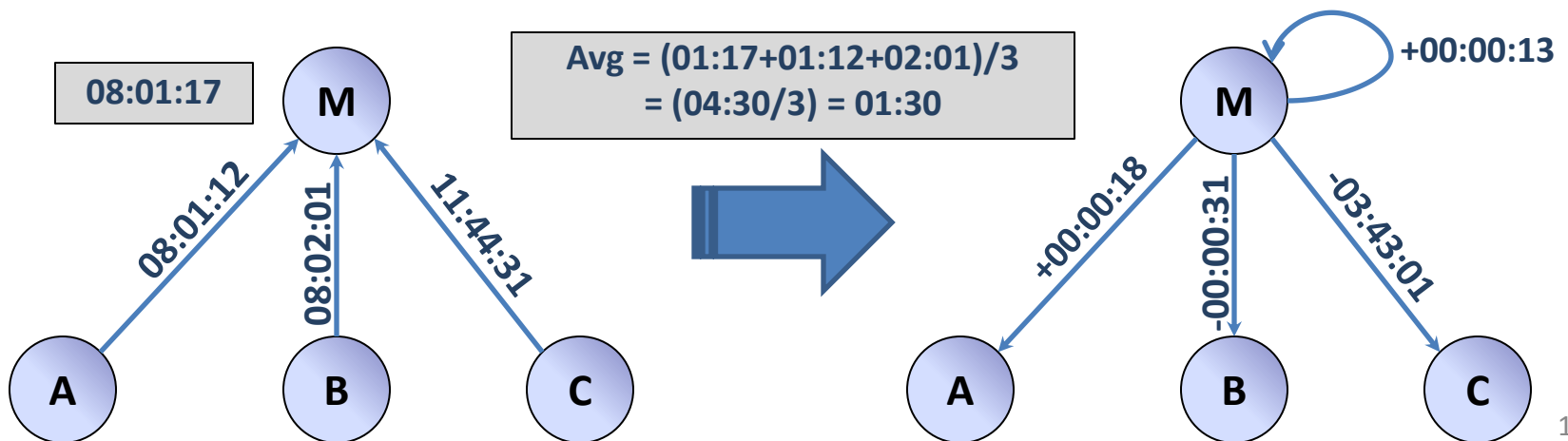 - (assumes symmetric behaviour...)

Cristian's Algorithm: Example

T_0 08:02:01.670

C

What's the time?

S   08:02:04.325 T_s

08:02:04.325

C

T_1 08:02:02.130

- RTT = 460ms, so one way delay is [approx] 230ms.
- Estimate correct time as (08:02:04.325 + 230ms) = 08:02:04.555
- Client gradually adjusts local clock to gain 2.425 seconds
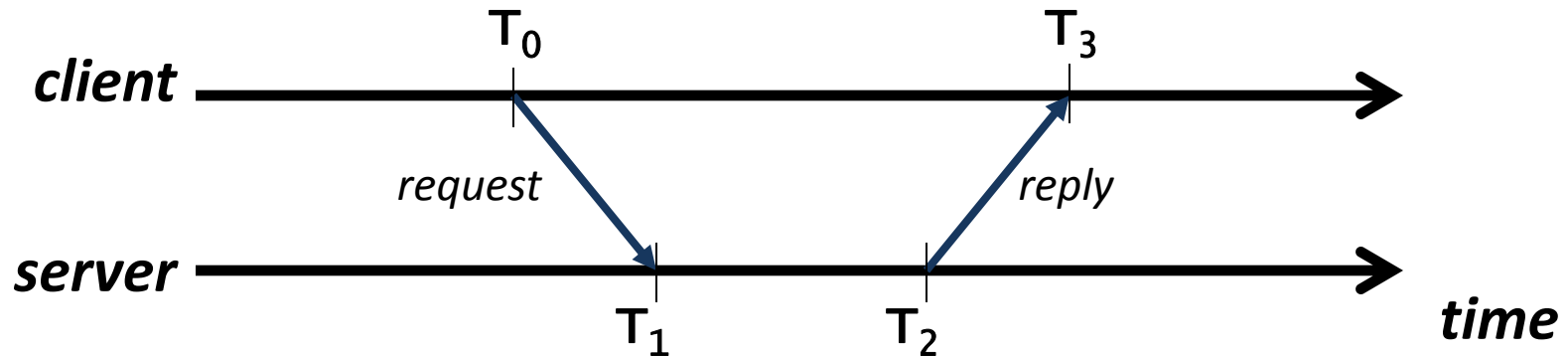
Berkeley Algorithm (1989)

- Don't assume have an accurate time server
- Try to synchronize a set of clocks to the average
  - One machine, M, is designated the master
  - M periodically polls all other machines for their time
  - (can use Cristian's technique to account for delays)
  - Master computes average (including itself, but ignoring outliers), and sends an adjustment to each machine

08:01:17

M

Avg = (01:17+01:12+02:01)/3
= (04:30/3) = 01:30

+00:00:13

M

08:01:12

08:02:01

11:44:31

+00:00:18

-00:00:31

-03:43:01

A   B   C

A   B   C
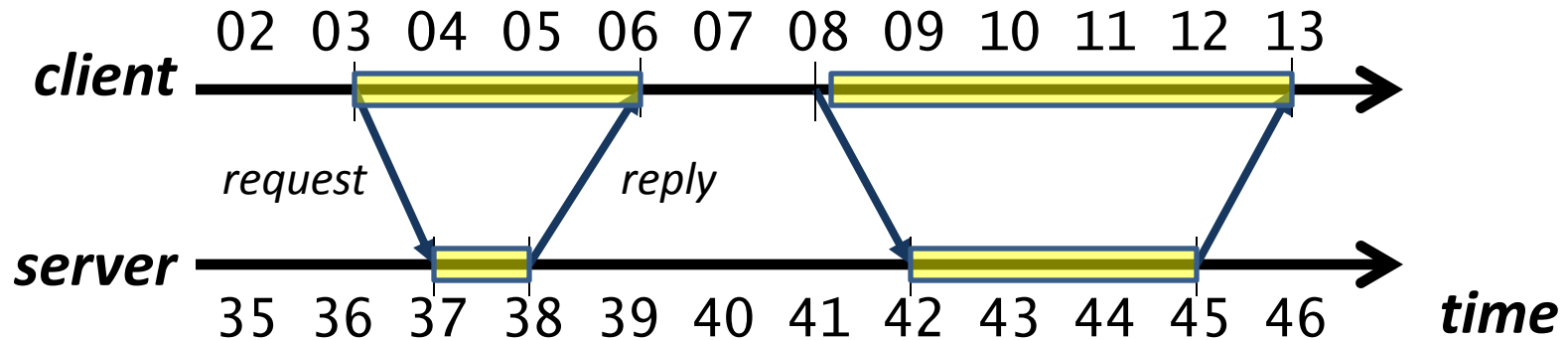
Network Time Protocol (NTP)

- Previous schemes designed for LANs; in practice today's systems use NTP:
  - Global service designed to enable clients to stay within (hopefully) a few ms of UTC
- Hierarchy of clocks arranged into strata
  - Stratum0 = atomic clocks (or maybe GPS, GEOS)
  - Stratum1 = servers directly attached to stratum0 clock
  - Stratum2 = servers that synchronize with stratum1
  - … and so on
- Timestamps made up of seconds and 'fraction'
  - e.g. 32 bit seconds-since-epoch; 32 bit 'picoseconds'

NTP Algorithm

- UDP/IP messages with slots for four timestamps
  - systems insert timestamps at earliest/latest opportunity
- Client computes:
  - Offset O = $((T_1 - T_0) + (T_2 - T_3)) / 2$
  - Delay D = $(T_3 - T_0) - (T_2 - T_1)$
- Relies on symmetric messaging delays to be correct (but now excludes variable processing delay at server)

NTP Example

02 03 04 05 06 07 08 09 10 11 12 13

client

request   *reply*

server

35 36 37 38 39 40 41 42 43 44 45 46   **time**

- First request/reply pair:
  - Total message delay is ((6-3) - (38-37)) = 2
  - Offset is ((37-3) + (38-6)) / 2 = 33
- Second request/reply pair:
  - Total message delay is ((13-8) - (45-42)) = 2
  - Offset is ((42-8) + (45-13)) / 2 = 33

NTP: Additional Details

- NTP uses multiple requests per server
  - Remember <offset, delay> in each case
  - Calculate the **filter dispersion** of the offsets & discard outliers
  - Chooses remaining candidate with the smallest delay
- NTP can also use multiple servers
  - Servers report **synchronization dispersion** = estimate of their quality relative to the root (stratum 0)
  - Combined procedure to select best samples from best servers (see RFC 5905 for the gory details)
- Various operating modes:
  - **Broadcast** ("multicast"): server advertises current time
  - **Client-server** ("procedure call"): as described on previous
  - **Symmetric**: between a set of NTP servers

Physical Clocks: Summary

- Physical devices exhibit **clock drift**
  - Even if initially correct, they tick too fast or too slow, and hence time ends up being wrong
  - Drift rates depend on the specific device, and can vary with time, temperature, acceleration, …
- Difference between clocks is called **clock skew**
- **Clock synchronization algorithms** attempt to minimize the skew between a set of clocks
  - Decide upon a target correct time (atomic, or average)
  - Communicate to agree, compensating for delays
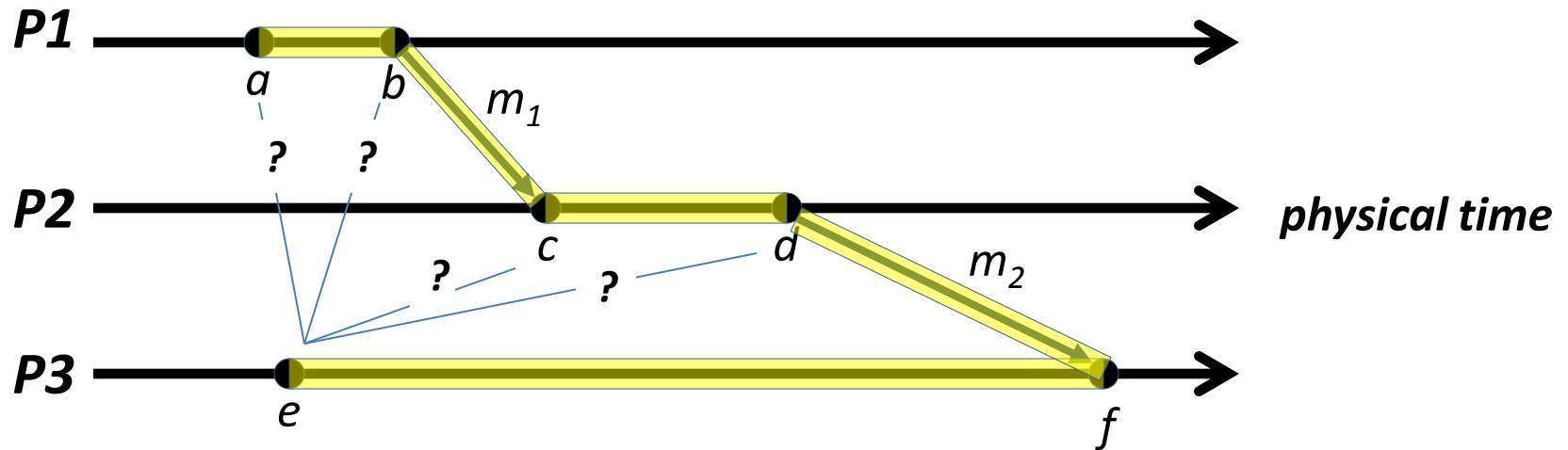 - In reality, will still have 1-10ms skew after sync ;-(

Ordering

- One use of time is to provide ordering
  - If I withdrew £100 cash at 23:59.44…
  - And the bank computes interest at 00:00.00…
  - Then interest calculation shouldn't include the £100
- But in distributed systems we can't perfectly synchronize time => cannot use this for ordering
  - Clock skew can be large, and may not be trusted
  - And over large distances, relativistic events mean that ordering depends on the observer
  - (similar effect due to finite 'speed of Internet' ;-)

The "happens-before" relation

- Often don't need to know <u>when</u> event *a* occurred
  - Just need to know if *a* occurred before or after *b*
- Define the **happens-before** relation, $a \rightarrow b$
  - If events *a* and *b* are within the same process, then $a \rightarrow b$ if *a* occurs with an earlier local timestamp
  - Messages between processes are ordered *causally*, i.e. the event *send(m)* $\rightarrow$ the event *receive(m)*
  - Transitivity: i.e. if $a \rightarrow b$ and $b \rightarrow c$, then $a \rightarrow c$
- Note that this only provides a partial order:
  - Possible for neither $a \rightarrow b$ nor $b \rightarrow a$ to hold
  - We say that *a* and *b* are **concurrent** and write $a \sim b$
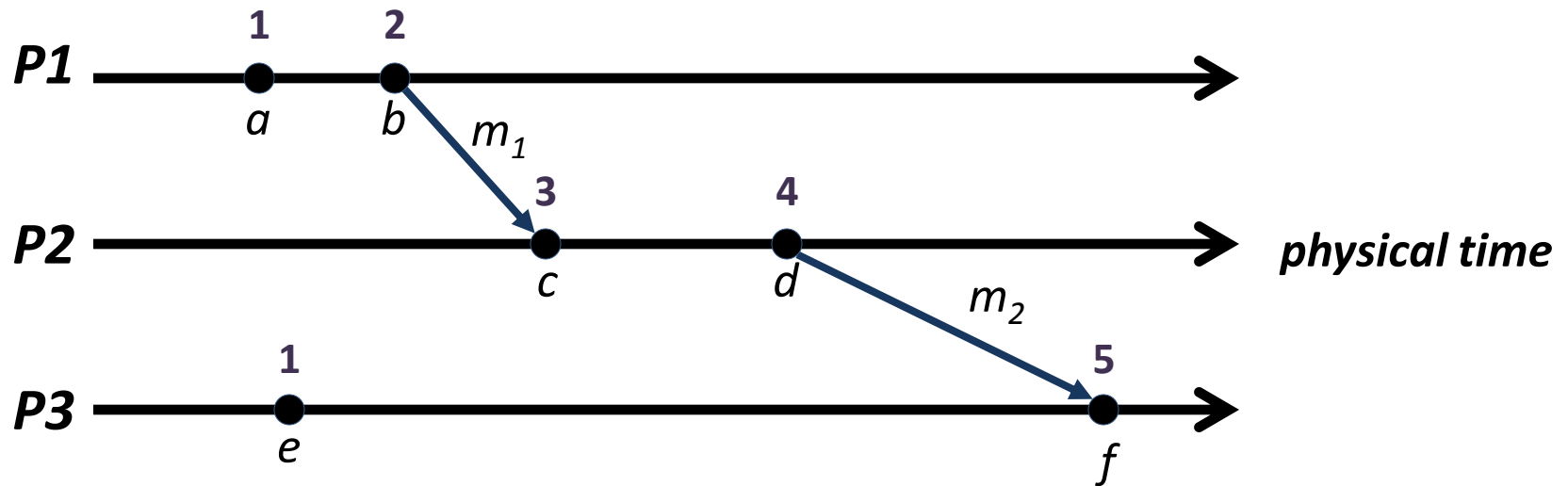
Example

physical time

- Three processes (each with 2 events), and 2 messages
  - Due to process order, we know $a \rightarrow b$, $c \rightarrow d$ and $e \rightarrow f$
  - Causal order tells us $b \rightarrow c$ and $d \rightarrow f$
  - And by transitivity $a \rightarrow c$, $a \rightarrow d$, $a \rightarrow f$, $b \rightarrow d$, $b \rightarrow f$, $c \rightarrow f$
- However event e is **concurrent** with a, b, c and d

Implementing Happens-Before

- One early scheme due to Lamport [1978]
  - Each process P_i has a logical clock L_i
    - L_i can simply be an integer, initialized to 0
  - L_i is incremented on every local event e
    - We write $L_i(e)$ or $L(e)$ as the timestamp of e
  - When P_i sends a message, it increments L_i and copies the value into the packet
  - When P_i receives a message from P_j, it extracts L_j and sets $L_i := \mathbf{max}(L_i, L_j)$, and then increments L_i
- Guarantees that if $a \rightarrow b$, then $L(a) < L(b)$
  - However if $L(x) < L(y)$, this doesn't imply $x \rightarrow y$!
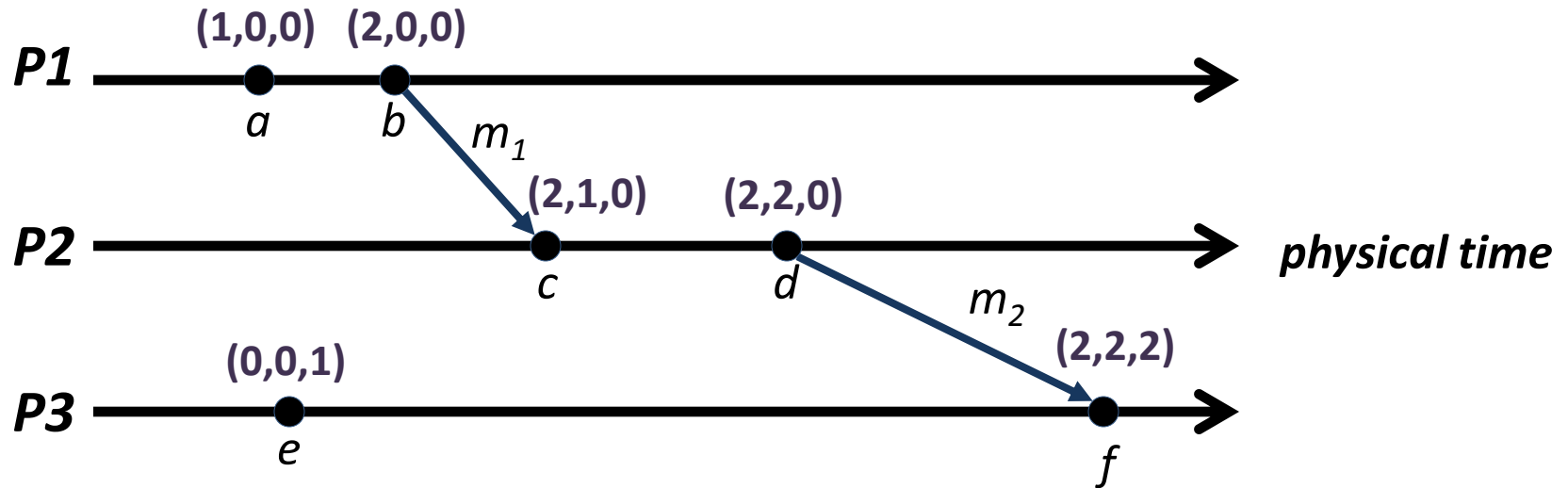
Lamport Clocks: Example

physical time

- When P_2 receives m_1, it extracts timestamp 2 and sets its clock to max(0, 2) before increment
- Possible for events to have duplicate timestamps
  - e.g. event e has the same timestamp as event a
- If desired can break ties by looking at pids, IP addresses, …
  - this gives a **total order**, but doesn't imply happens-before!

Vector Clocks

- With Lamport clocks, given L(a) and L(b), we can't tell if $a \rightarrow b$ or $b \rightarrow a$ or $a \sim b$
- One solution is **vector clocks**:
  - An ordered list of logical clocks, one per-process
  - Each process P_i maintains $V_i[]$, initially all zeroes
  - On a local event e, P_i increments $V_i[i]$
    - If the event is message send, new $V_i[]$ copied into packet
  - If P_i receives a message from P_j then, for all k = 0, 1, …, it sets $V_i[k] := max(V_j[k], V_i[k])$, and increments $V_i[i]$
- Intuitively $V_i[k]$ captures the number of events at process P_k that have been observed by P_i

Vector Clocks: Example

P1 — (1,0,0) a — (2,0,0) b — m_1

P2 — (2,1,0) c — (2,2,0) d — m_2 — *physical time*

P3 — (0,0,1) e — (2,2,2) f

- When P_2 receives m_1, it **merges** the entries from P_1's clock
  - choose the maximum value in each position
- Similarly when P_3 receives m_2, it merges in P_2's clock
  - this incorporates the changes from P_1 that P_2 already saw
- Vector clocks *explicitly track the transitive causal order*: f's timestamp captures the history of a, b, c & d
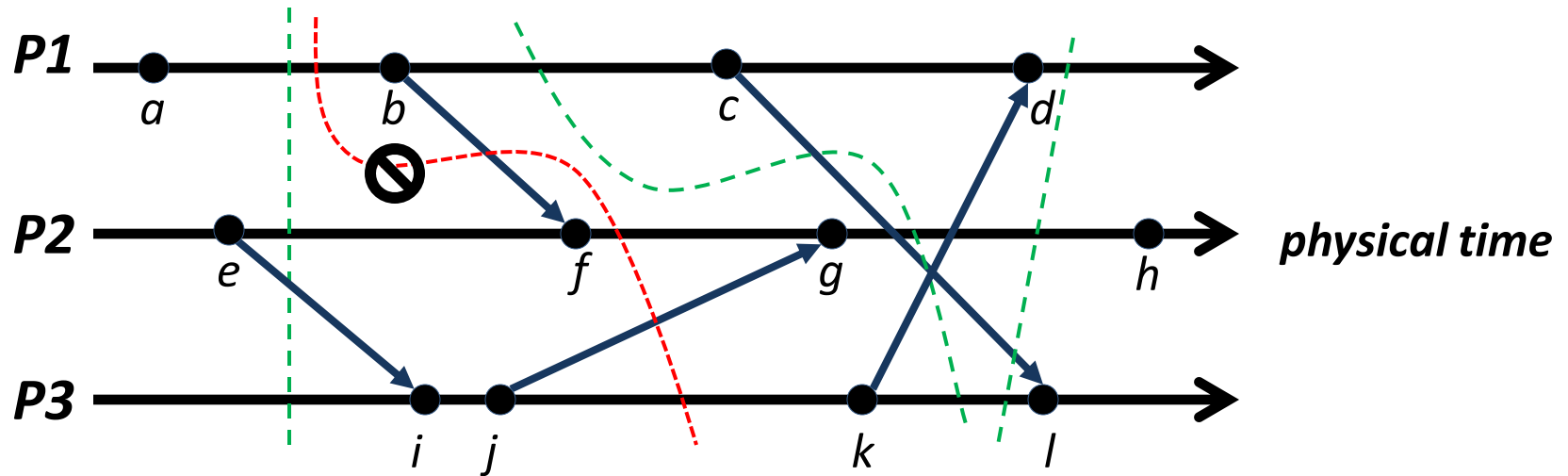
Using Vector Clocks for Ordering

- Can compare vector clocks piecewise:
  - $V_i = V_j$ iff $V_i[k] = V_j[k]$ for $k = 0, 1, 2, \ldots$
  - $V_i \leq V_j$ iff $V_i[k] \leq V_j[k]$ for $k = 0, 1, 2, \ldots$
  - $V_i < V_j$ iff $V_i \leq V_j$ and $V_i \neq V_j$
  - $V_i \sim V_j$ otherwise

  > e.g. [2,0,0] versus [0,0,1]

- For any two event timestamps $T(a)$ and $T(b)$
  - if $a \rightarrow b$ then $T(a) < T(b)$; **and**
  - if $T(a) < T(b)$ then $a \rightarrow b$

- Hence can use timestamps to determine if there is a causal ordering between any two events
  - i.e. determine whether $a \rightarrow b$, $b \rightarrow a$ or $a \sim b$

Consistent Global State

- We have the notion of "a happens-before b" ($a \rightarrow b$) or "a is concurrent with b" ($a \sim b$)
- What about 'instantaneous' system-wide state?
  - distributed debugging, GC, deadlock detection, …
- Chandy/Lamport introduced **consistent cuts**:
  - draw a (possibly wiggly) line across all processes
  - this is a consistent cut if the set of events (on the lhs) is closed under the happens-before relationship
  - i.e. if the cut includes event x, then it also includes all events e which happened before x
- In practical terms, this means every *delivered* message included in the cut was also *sent* within the cut

Consistent Cuts: Example

- Vertical cuts are always consistent (due to the way we draw these diagrams), but some curves are ok too:
  - providing we don't include any receive events without their corresponding send events
- Intuition is that a consistent cut *could* have occurred during execution (depending on scheduling etc),

<< Observing Consistent Cuts >>

- Chandy/Lamport Snapshot Algorithm (1985):
  - Distributed algorithm for generating a 'snapshot' of relevant system-wide state (e.g. all memory, locks held, …)
  - Based on flooding special marker message M to all processes; causal order of flood defines the cut
  - If P_i receives M from P_j and it has yet to snapshot:
    - It pauses all communication, takes local snapshot & sets C_{ij} to {}
    - Then sends M to all other processes P_k and starts recording C_{ik} = { *set of all post local snapshot messages received from P_k* }
  - If P_i receives M from some P_k *after* taking snapshot
    - Stops recording C_{ik}, and saves alongside local snapshot
  - Global snapshot comprises all local snapshots & C_{ij}
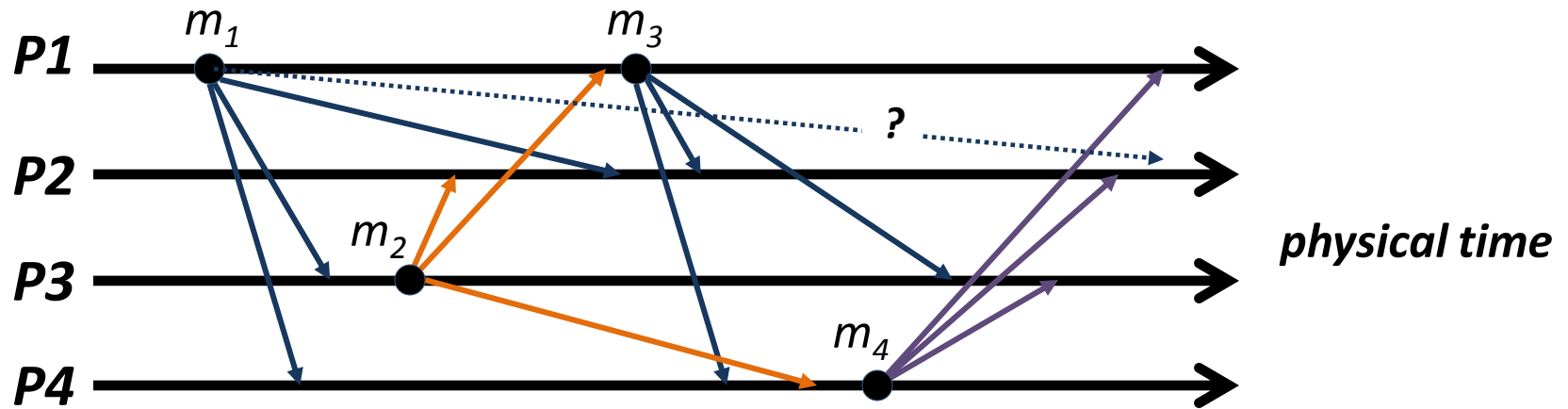 - Assumes reliable, in-order messages, & no failures

Process Groups

- Often useful to build distributed systems around the notion of a **process group**
  - Set of processes on some number of machines
  - Possible to **multicast** messages to all members
  - Allows fault-tolerant systems even if some processes fail
- Membership can be **fixed** or **dynamic**
  - if dynamic, have explicit join() and leave() primitives
- Groups can be **open** or **closed**:
  - Closed groups only allow messages from members
- Internally can be structured (e.g. coordinator and set of slaves), or symmetric (peer-to-peer)
  - Coordinator makes e.g. concurrent join/leave easier…
  - … but may require extra work to **elect** coordinator

Group Communication: Assumptions

- Assume we have ability to send a message to multiple (or all) members of a group
  - Don't care if 'true' multicast (single packet sent, received by multiple recipients) or "netcast" (send set of messages, one to each recipient)
- Assume also that message delivery is reliable, and that messages arrive in bounded time
  - But may take different amounts of time to reach different recipients
- Assume (for now) that processes don't crash
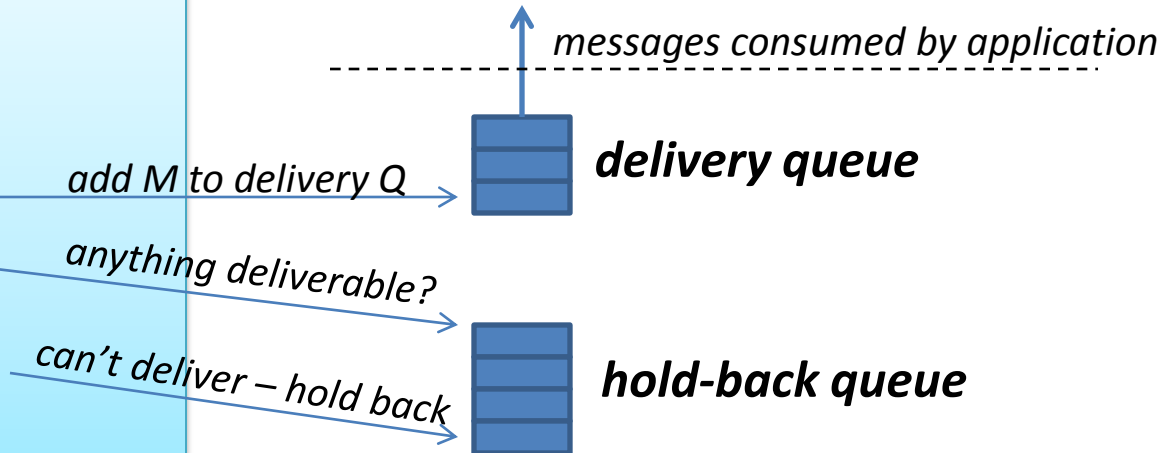- What delivery *orderings* can we enforce?

FIFO Ordering

- With **FIFO ordering**, messages from a particular process P_i must be received at all other processes P_j in the order they were sent
  - e.g. in the above, everyone must see m_1 before m_3
  - (ordering of m_2 and m_4 is not constrained)
- Seems easy but not trivial in case of delays / retransmissions
  - e.g. what if message m_1 to P2 takes a loooong time?
- Hence receivers may need to **buffer** messages to ensure order

Receiving versus Delivering

- Group communication middleware provides extra features above 'basic' communication
  - e.g. providing reliability and/or ordering guarantees on top of IP multicast or netcast
- Assume that OS provides receive() primitive:
  - returns with a packet when one arrives on wire
- Received messages either **delivered** or **held back**:
  - "delivered" means inserted into delivery queue
  - "held back" means inserted into hold-back queue
  - held-back messages are delivered later as the result of the receipt of another message…

Implementing FIFO Ordering

```
receive(M from Pi) {
  s = SeqNo(M);
  if (s == (Sji+1) ) {
    deliver(M);
    s = flush(hbq);
    Sji = s;
  } else holdback(M);
}
```
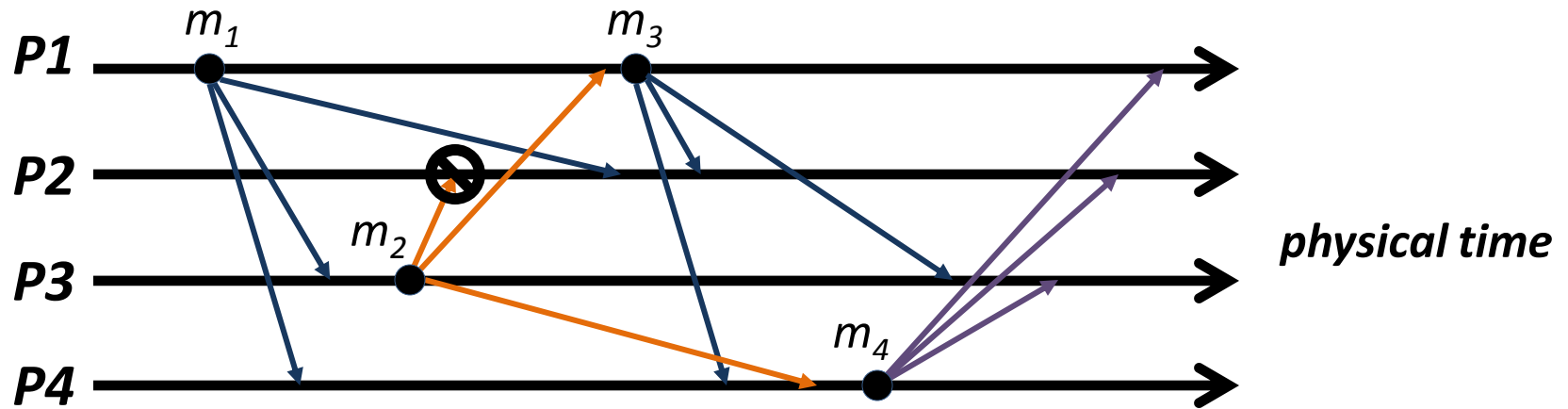
add M to delivery Q

anything deliverable?

can't deliver – hold back

messages consumed by application

delivery queue

hold-back queue

- Each process P_i maintains a message sequence number (SeqNo) S_i
- Every message sent by P_i includes S_i, incremented after each send
  – not including retransmissions!
- P_j maintains S_{ji} : the SeqNo of the last ***delivered*** message from P_i
  – If receive message from P_i with SeqNo $\neq$ (S_{ji}+1), hold back
  – When receive message with SeqNo = (S_{ji}+1), deliver it … and also deliver any consecutive messages in hold back queue … and update S_{ji}

Stronger Orderings

- Can also implement FIFO ordering by just using a reliable FIFO transport like TCP/IP ;-)
- But the general 'receive versus deliver' model also allows us to provide **stronger** orderings:
  - **Causal ordering**: if event *multicast(g, m_1) $\rightarrow$ multicast(g, m_2)*, then all processes will see m_1 before m_2
  - **Total ordering**: if any processes delivers a message m_1 before m_2, then all processes will deliver m_1 before m_2
- Causal ordering implies FIFO ordering, since any two multicasts by the same process are related by $\rightarrow$
- Total ordering (as defined) does *not* imply FIFO (or causal) ordering, just says that all processes must agree
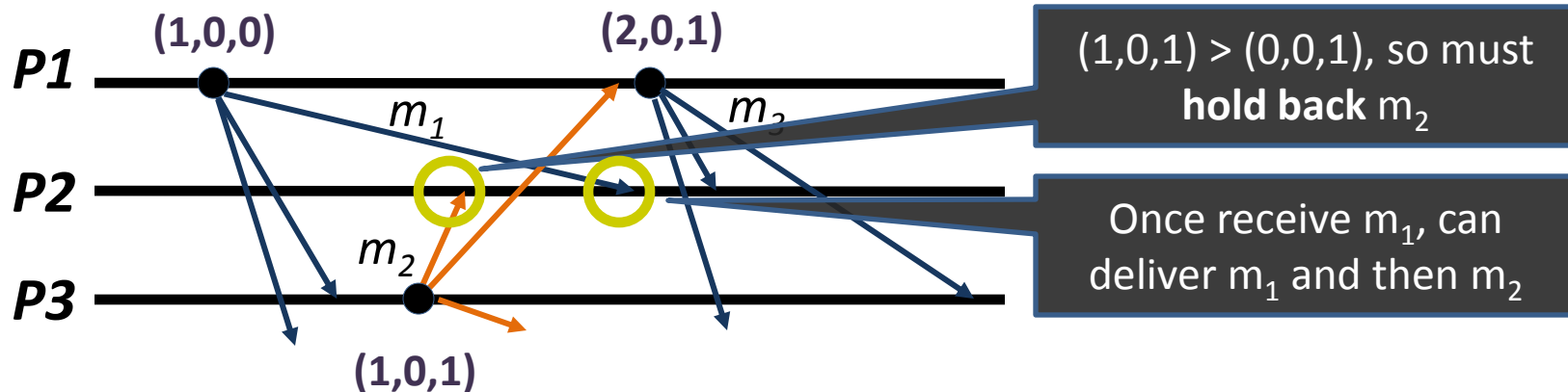 - In reality often want **FIFO-total** ordering (combines the two)

Causal Ordering

- Same example as previously, but now causal ordering means that
  (*a*) everyone must see m_1 before m_3 (as with FIFO), **and**
  (*b*) everyone must see m_1 before m_2 (due to happens-before)
- Is this ok?
  - No! $m_1 \rightarrow m_2$, but P2 sees m_2 before m_1
  - To be correct, must hold back (delay) delivery of m_2 at P2
  - But how do we know this?

Implementing Causal Ordering

- Turns out this is pretty easy!
  - Start with receive algorithm for FIFO multicast...
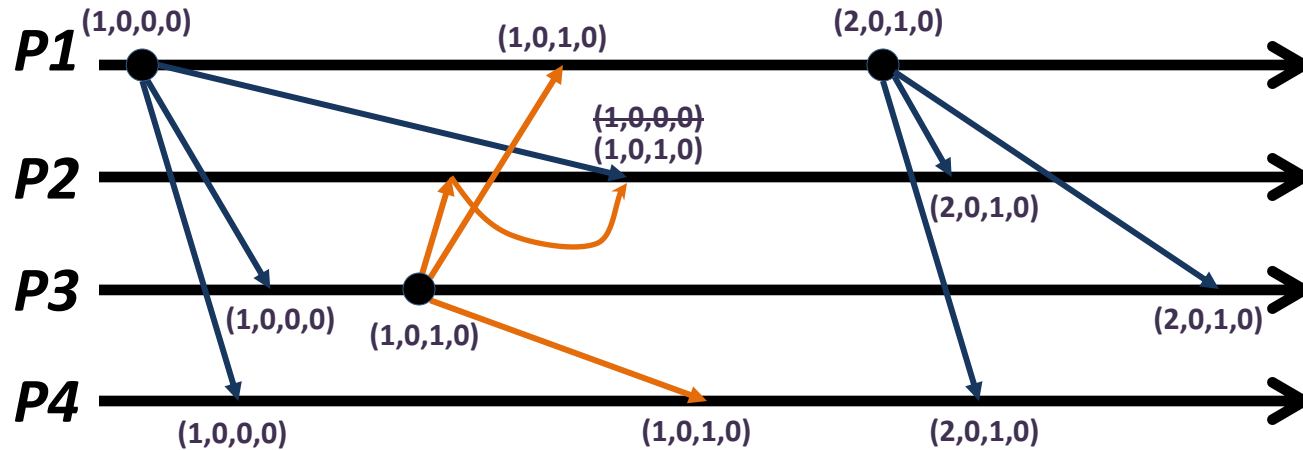 - and replace sequence numbers with vector clocks

(1,0,0)   **(2,0,1)**

P1

m_1 m_3

P2

m_2

P3

(1,0,1)

(1,0,1) > (0,0,1), so must **hold back** m_2

Once receive m_1, can deliver m_1 and then m_2

- Need some care with dynamic groups
  - must encode variable-length vector clock, typically using positional notation, and deal with joins and leaves

In more detail

- Each process P_i has vector $V_i[]$ to ensure causal order
  - don't use this vector to track *other* process-internal events
- To send message m, P_i first increments its local vector $V_i[i]$, and copies the result into message as a timestamp
- On receipt of message m from P_j we only deliver if
  - **$V_j[j] = V_i[j] + 1$** (i.e. m is the *next* message from P_j) **and**
  - **$V_j[k] <= V_i[k]$** for all **$k \neq j$** (i.e. P_i has seen at least as many other messages as P_j)
  - If these conditions **do not** hold, m must be held back
  - Otherwise we increment $V_i[j]$ and deliver the message... and check if we can now deliver any held-back messages
- Note that we do not increment $V_i[i]$ on receive

Example:

- P1 increments first element, and sends message w/ timestamp [1,0,0,0]
- P3 and P4 receive it and compare local (0,0,0,0) to [1,0,0,0]
  - **ok**, so both set their local vectors to (1,0,0,0)
- P3 increments third element, and sends message w/ timestamp [1,0,1,0]
  - P1, P4 compare (1,0,0,0) to [1,0,1,0] => **ok**, so both update to (1,0,1,0)
  - P2 receives and compares (0,0,0,0) to [1,0,1,0] – **cannot deliver!**
- P2 receives P1's message and compares (0,0,0,0) to [1,0,0,0] – **ok**
- After delivery, P2 checks held-back queue, and now can deliver P3's message

Total Ordering

- Sometimes we want all processes to see exactly the same, FIFO, sequence of messages
  - particularly for state machine replication (see later)
- One way is to have a **'can send' token**:
  - Token passed round-robin between processes
  - Only process with token can send (if he wants)
- Or use a **dedicated sequencer process**
  - Other processes ask for **global sequence no**. (GSN), and then send with this in packet
  - Use FIFO ordering algorithm, but on GSNs
- Can also build *non-FIFO* total order multicast by having processes generate GSNs themselves and resolving ties

Ordering and Asynchrony

- FIFO ordering allows quite a lot of **asynchrony**
  - e.g. any process can delay sending a message until it has a batch (to improve performance)
  - or can just tolerate variable and/or long delays
- Causal ordering also allows some asynchrony
  - But must be careful queues don't grow too large!
- Traditional total order multicast not so good:
  - Since every message delivery transitively depends on every other one, delays holds up the entire system
  - Instead tend to an (almost) synchronous model, but this performs poorly, particularly over the wide area ;-)
  - Some clever work on **virtual synchrony** (for the interested)